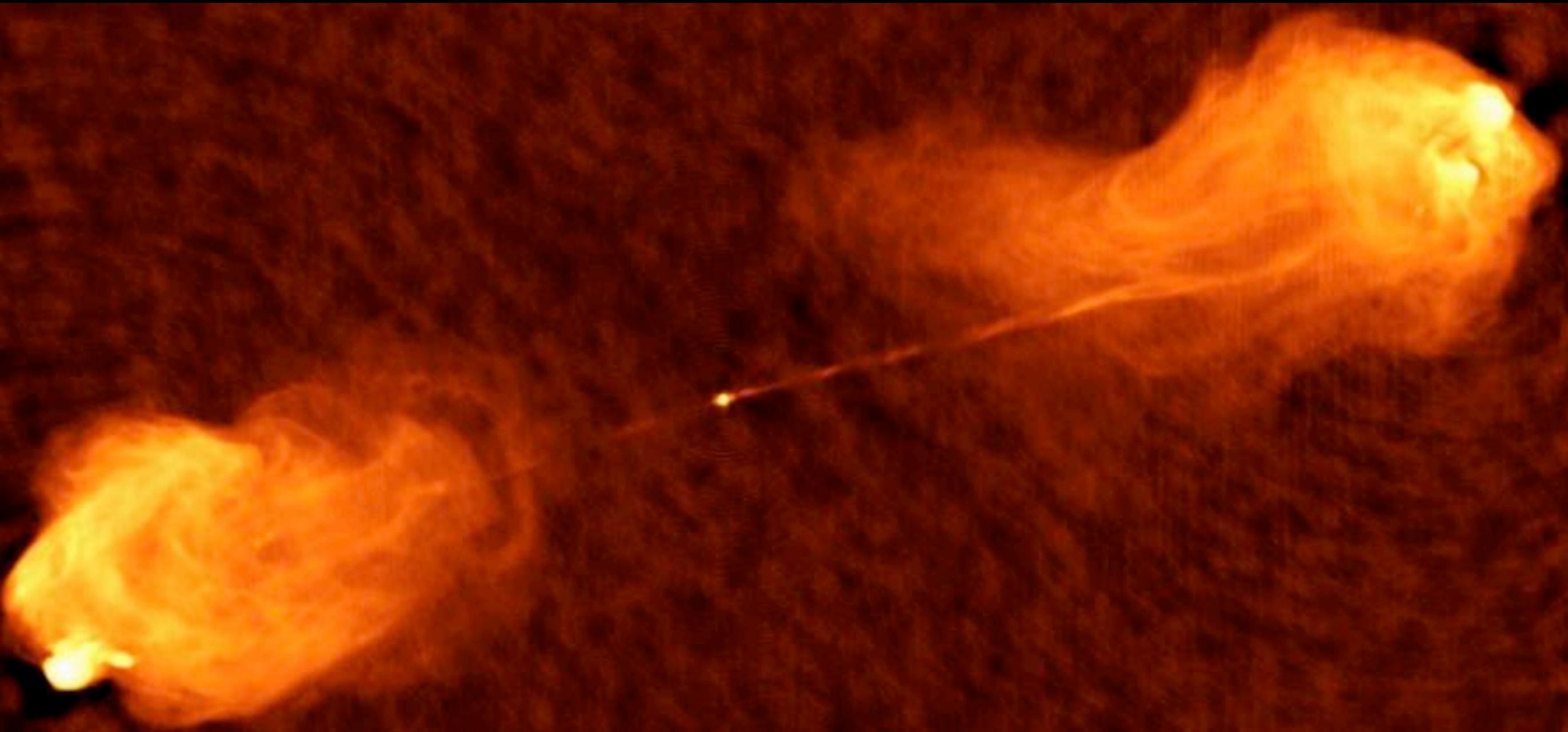


Particle Acceleration via Shocks and Reconnection in Relativistic Jets



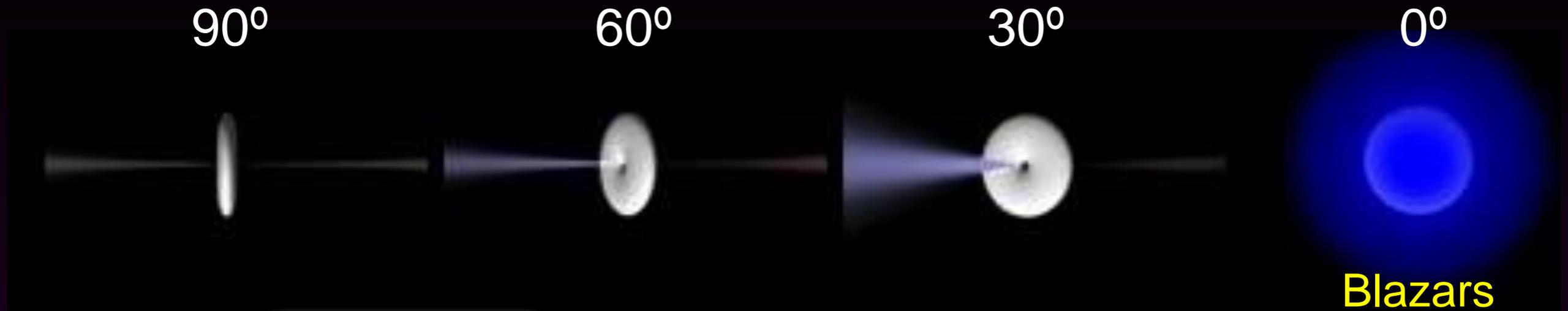
Lorenzo Sironi (ITC-Harvard, future Assistant Prof. at Columbia U.)

MFU V, Cargèse, October 6th 2015

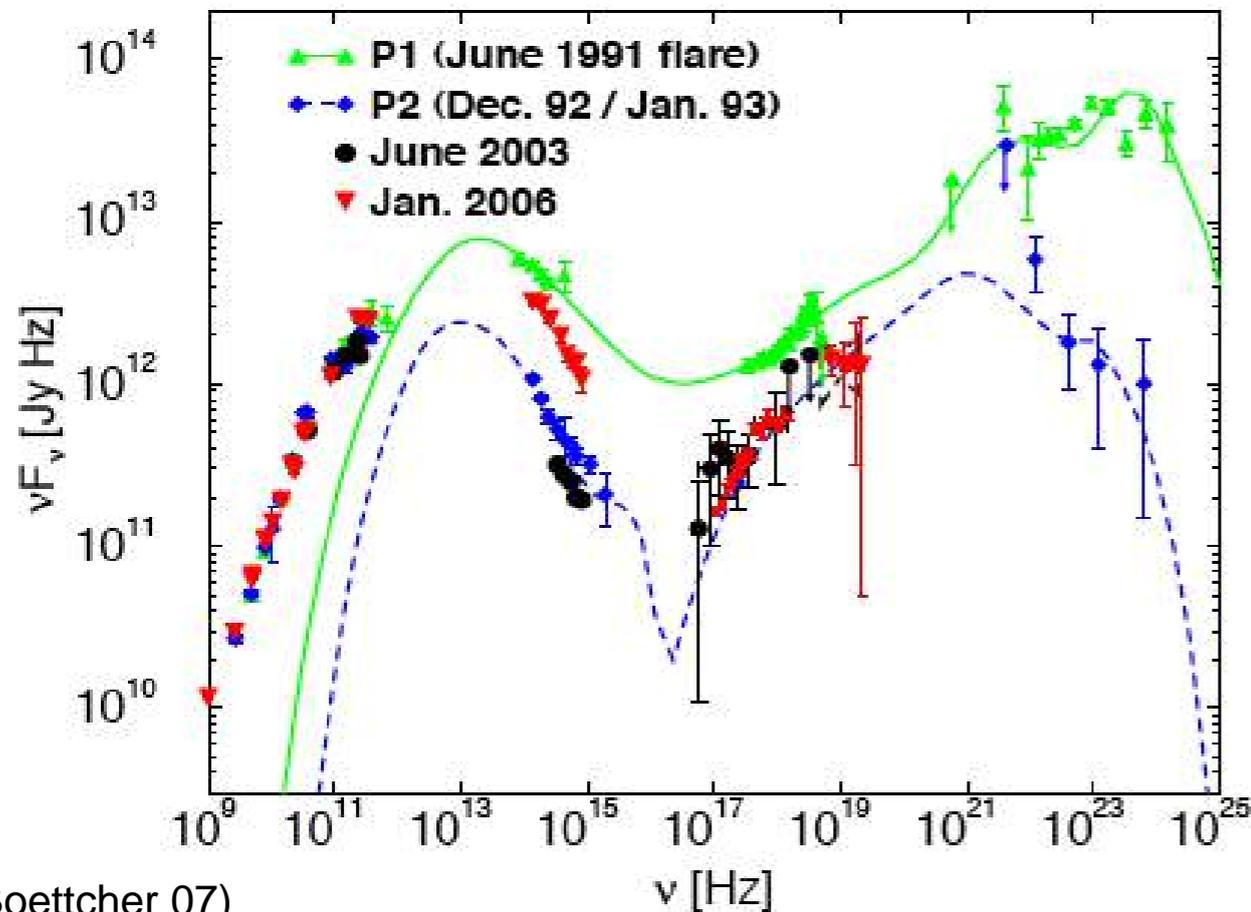
with: J. Arons, D. Giannios, M. Petropoulou, A. Spitkovsky

Non-thermal emission from blazars

Blazars: jets from Active Galactic Nuclei pointing along our line of sight



3C 279



(Boettcher 07)

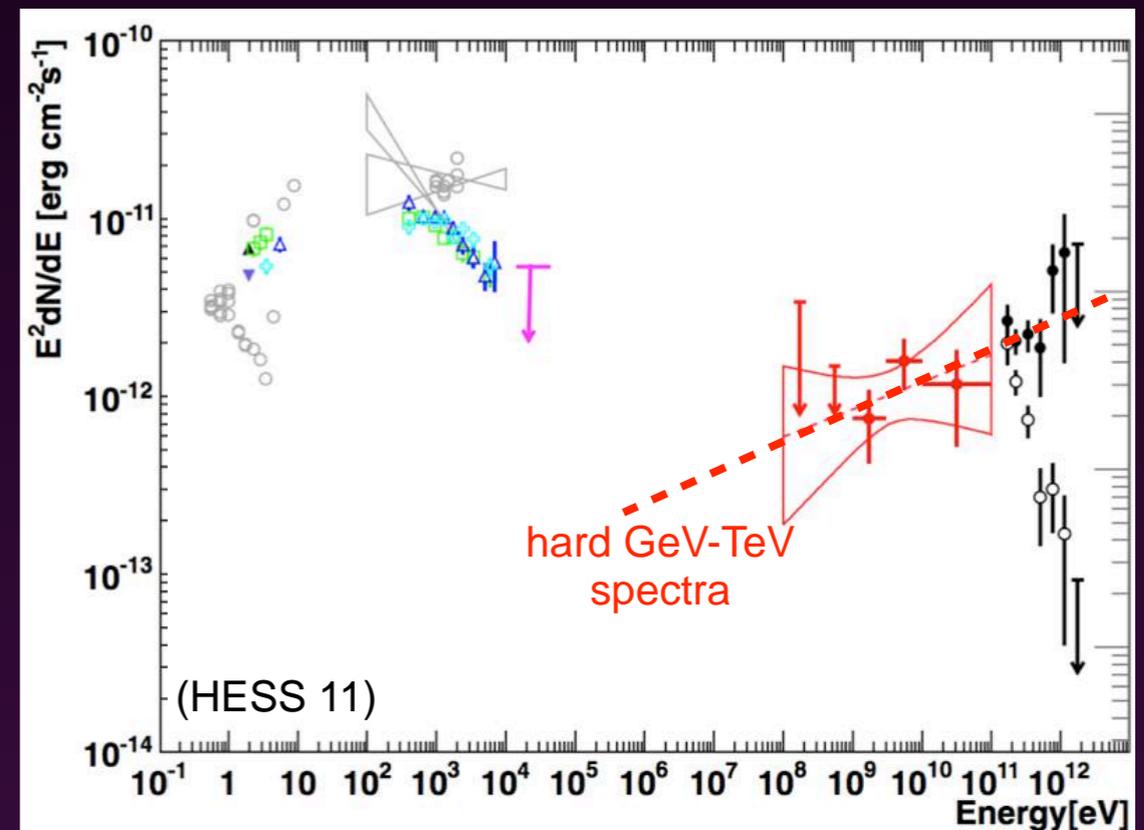
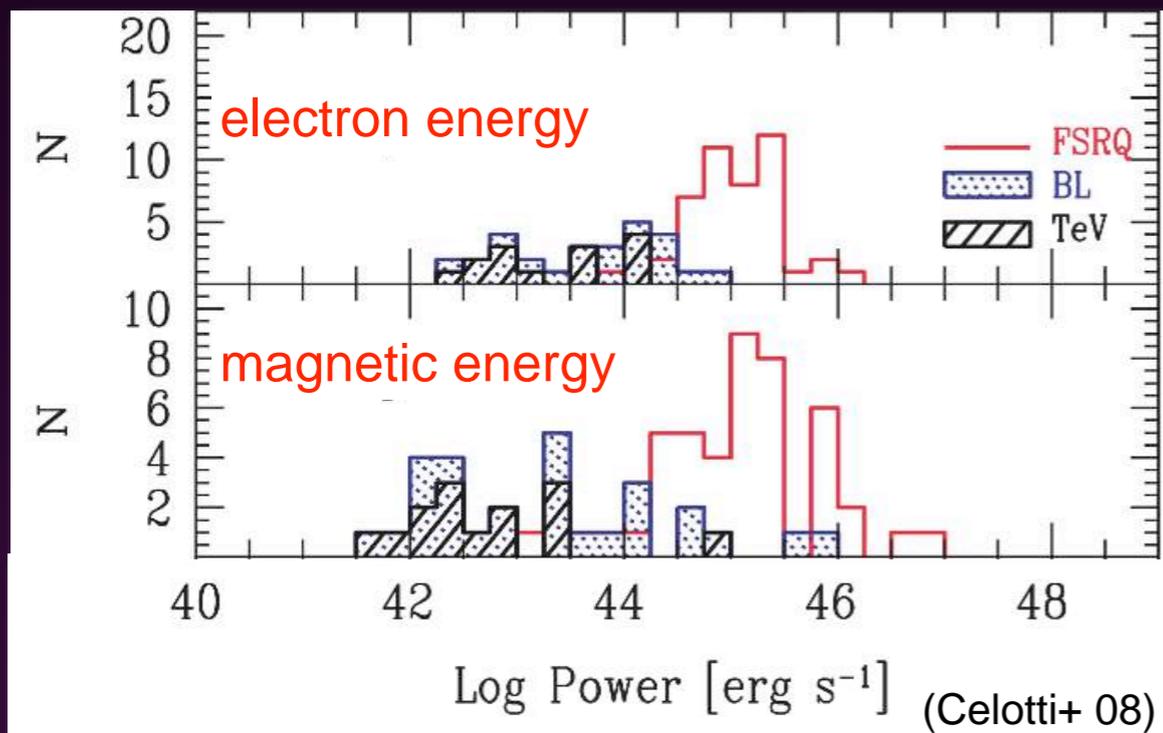
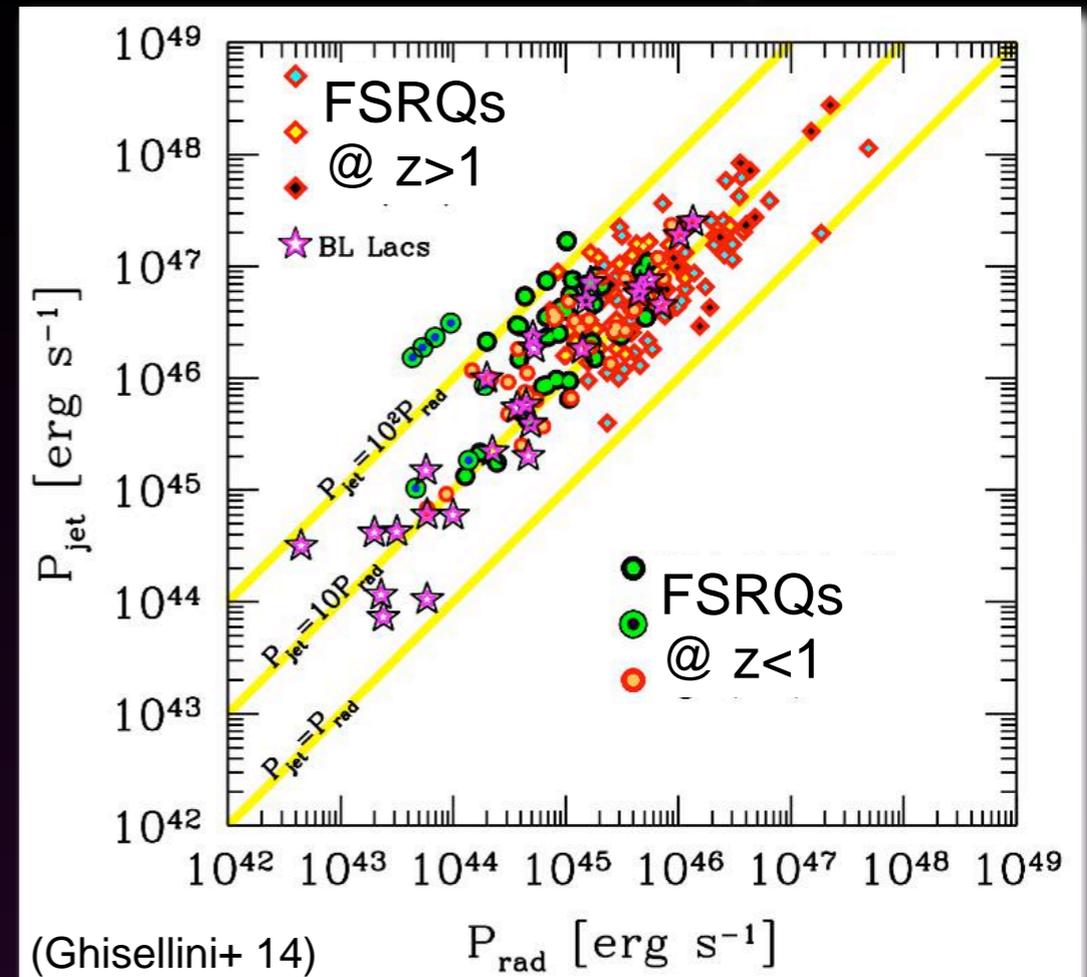
- broadband spectrum, from radio to γ -rays (and even TeV energies)
- low-energy synchrotron + high-energy inverse Compton (IC) from non-thermal particles
- high degree of radio and optical polarization \rightarrow magnetic fields

Powerful emission and hard TeV spectra

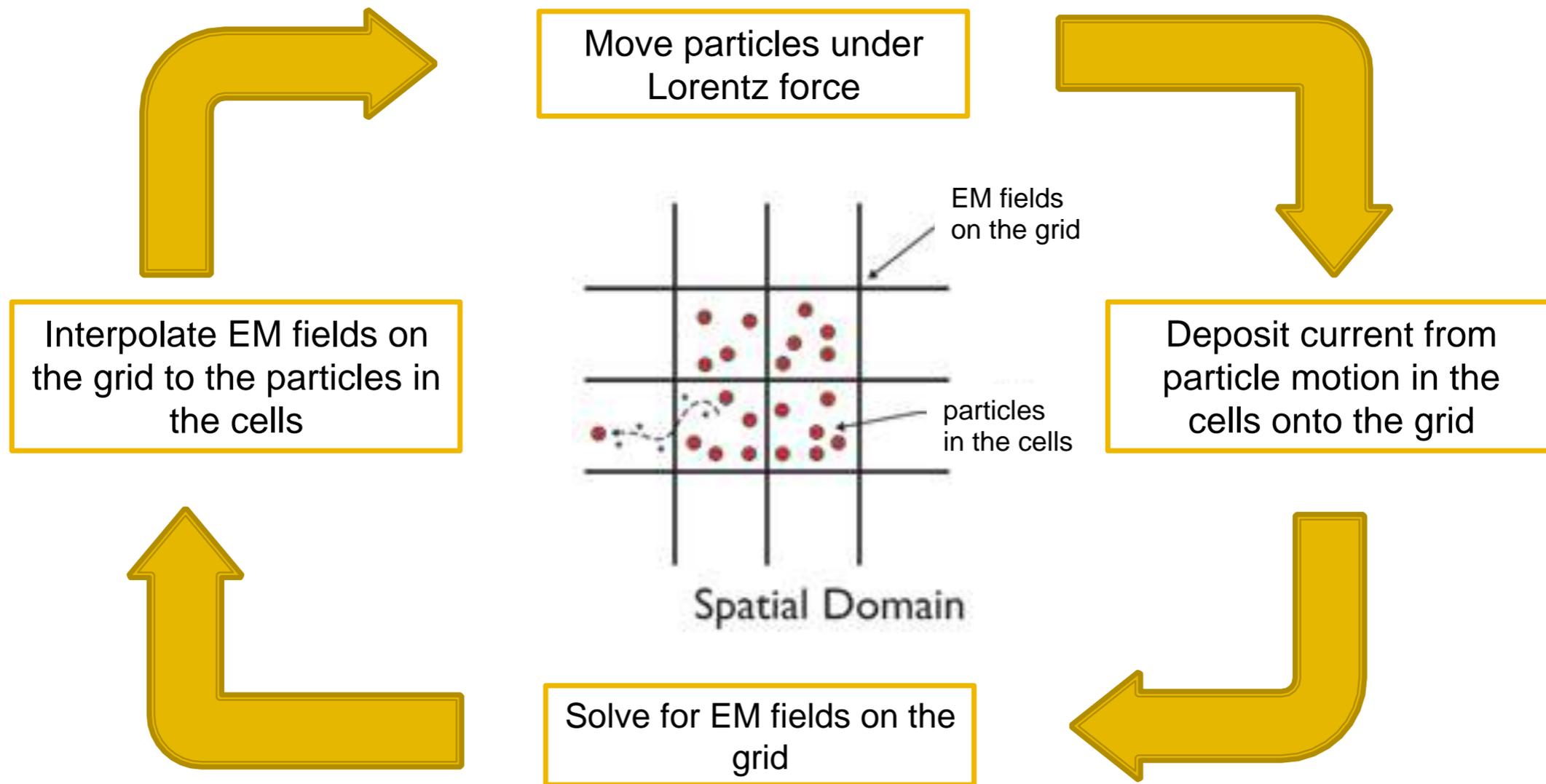
Blazar phenomenology:

- (1) blazars are efficient emitters (radiated power $\sim 10\%$ of jet power)
- (2) rough energy equipartition between emitting particles and magnetic field
- (3) extended power-law distributions of the emitting particles, with hard slope

$$\frac{dn}{d\gamma} \propto \gamma^{-p} \quad p \lesssim 2$$



The PIC method



No approximations, full plasma physics of **ions** and **electrons**



Tiny length-scales (c/ω_p) and time-scales (ω_p^{-1}) need to be resolved:

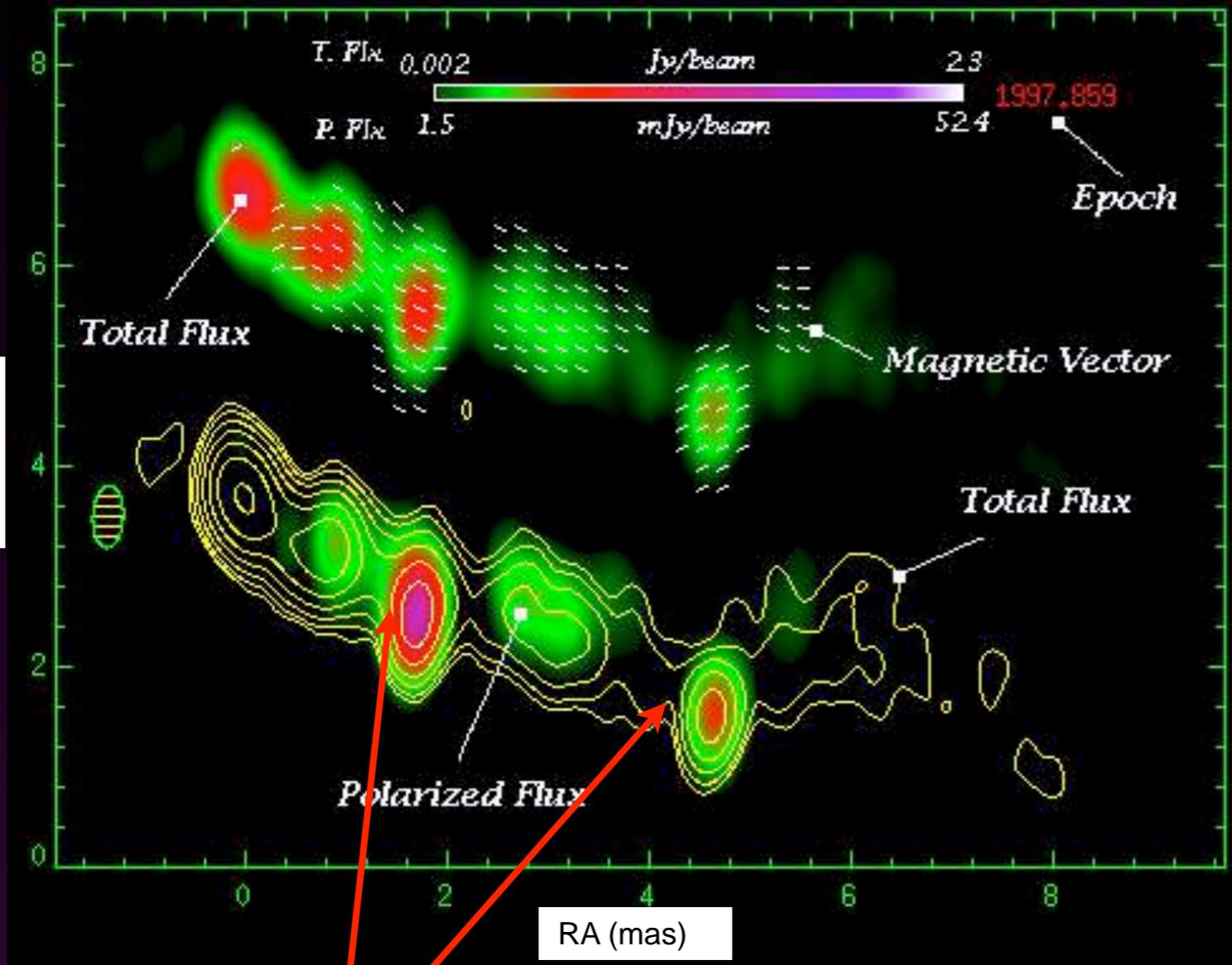
$$\omega_p = \sqrt{\frac{4\pi n e^2}{m}}$$

→ huge simulations, limited time coverage

- Relativistic 3D e.m. PIC code TRISTAN-MP (Buneman 93, Spitkovsky 05, LS+ 13,14)

Internal dissipation in blazar jets

3C 120



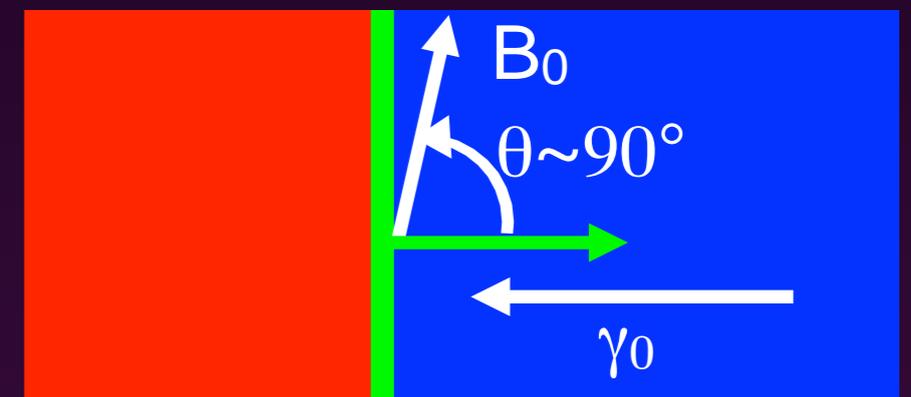
Internal Dissipation:
Shocks or Reconnection?

Internal shocks in blazars and gamma-ray burst jets:

- trans-relativistic ($\gamma_0 \sim$ a few)
- magnetized ($\sigma > 0.01$)

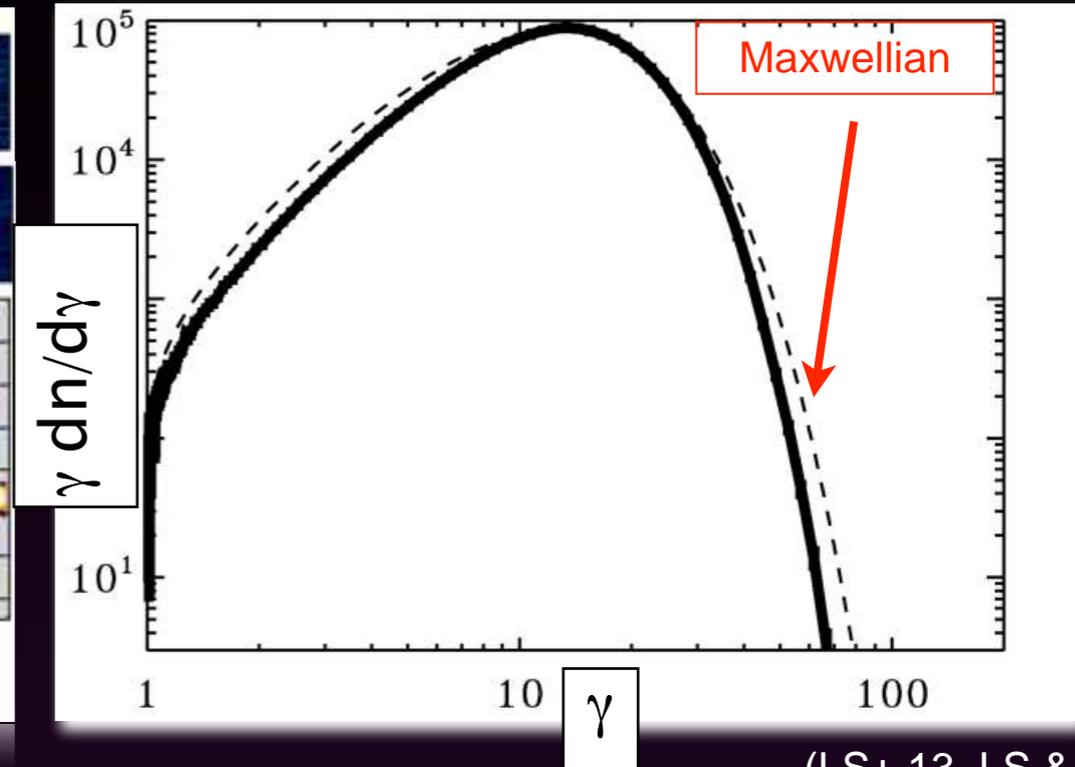
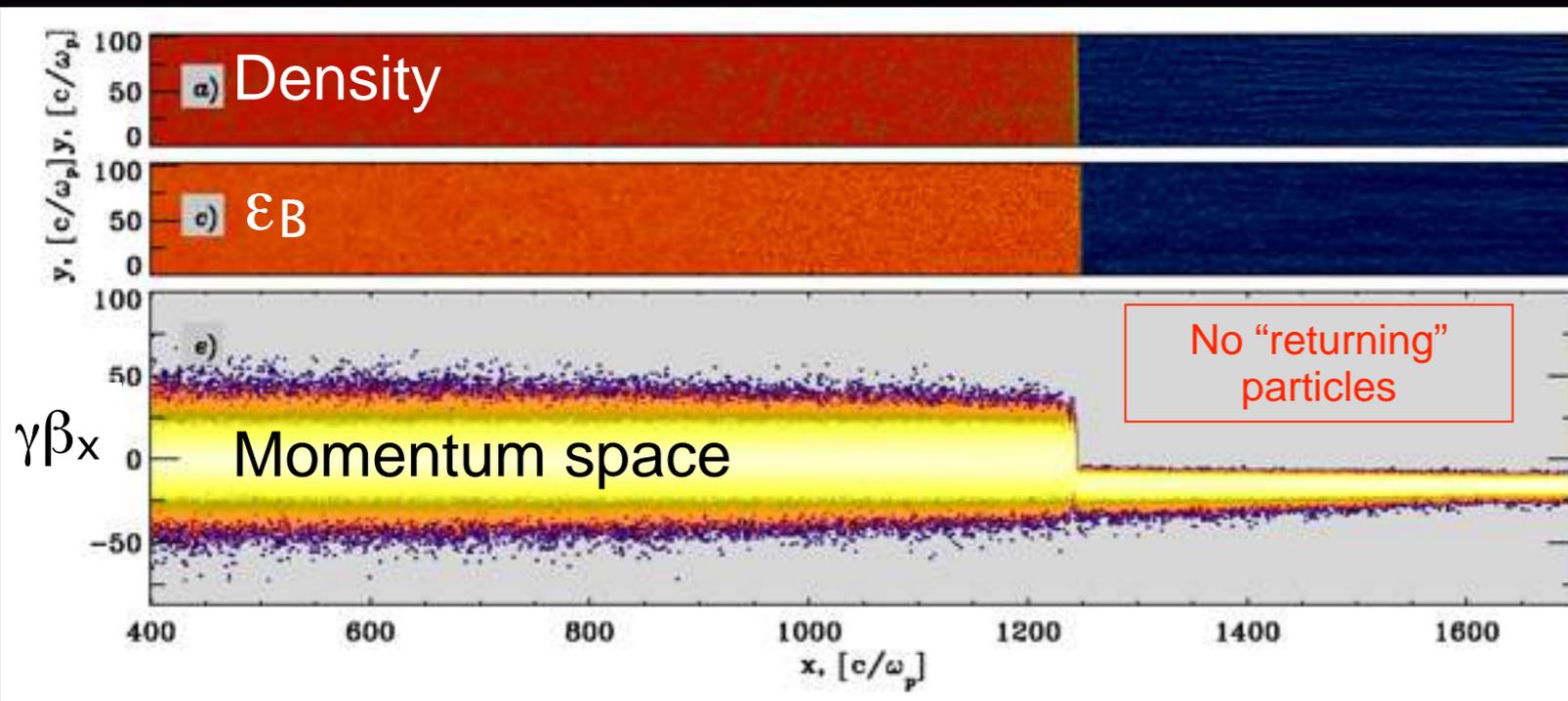
$$\sigma = \frac{B_0^2}{4\pi\gamma_0 n_0 m_p c^2}$$

- toroidal field around the jet \rightarrow field \perp to the shock normal



Shocks: no turbulence → no acceleration

$\sigma=0.1$ $\theta=90^\circ$ $\gamma_0=15$ e⁻-e⁺ shock

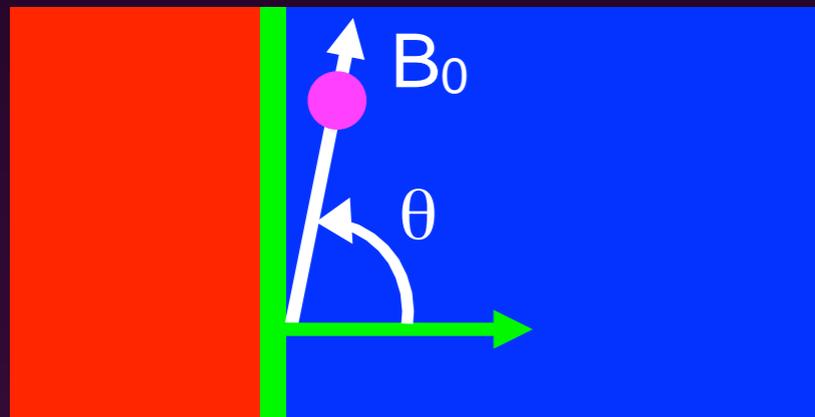


(LS+ 13, LS & Spitkovsky 09,11)

No "returning" particles → No self-generated turbulence

No self-generated turbulence → No particle acceleration

Strongly magnetized ($\sigma > 10^{-3}$) quasi-perp $\gamma_0 \gg 1$ shocks are poor particle accelerators:



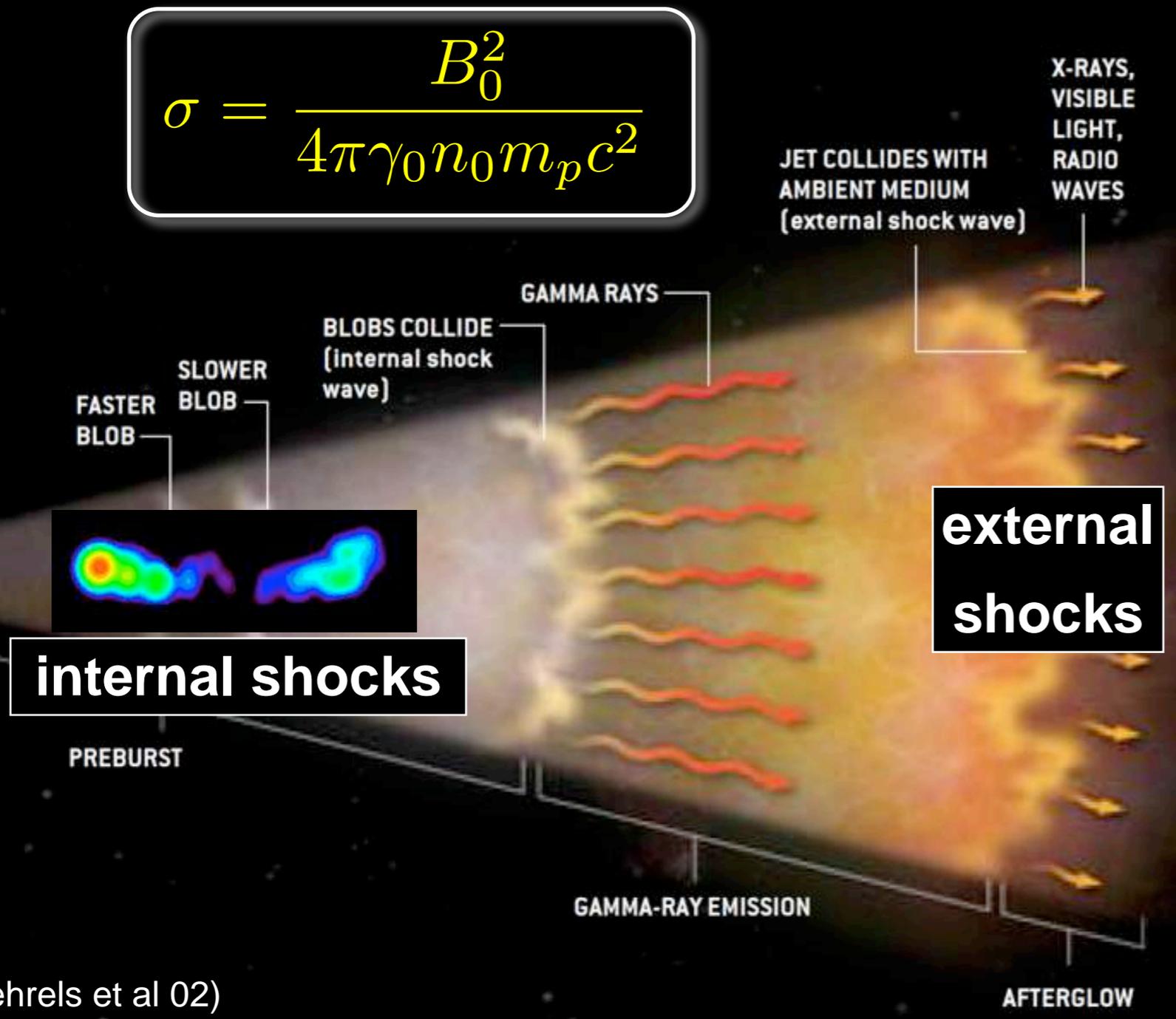
σ is large → particles slide along field lines

θ is large → particles cannot outrun the shock
unless $v > c$ ("superluminal" shock)

→ Fermi acceleration is generally suppressed

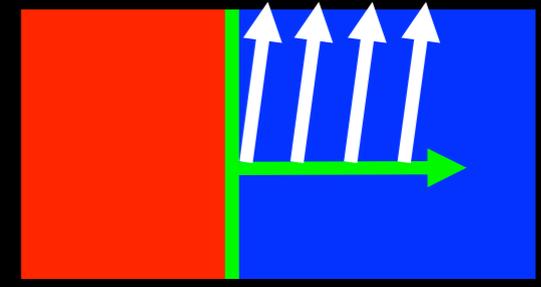
Are relativistic shocks always inefficient?

$$\sigma = \frac{B_0^2}{4\pi\gamma_0 n_0 m_p c^2}$$



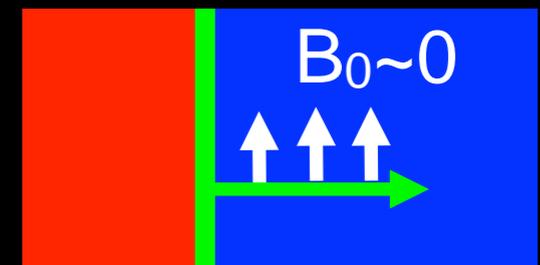
Internal shocks in blazars and gamma-ray burst jets:

- $\gamma_0 \sim$ a few
- quasi-perpendicular shocks
- $\sigma \sim 0.01 - 0.1$



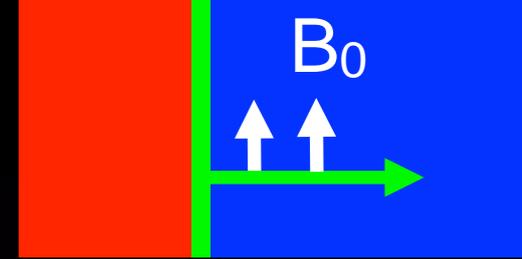
Gamma-ray burst external shocks:

- $\gamma_0 \sim$ a few hundreds
- perpendicular shocks
- $\sigma \sim 10^{-9}$



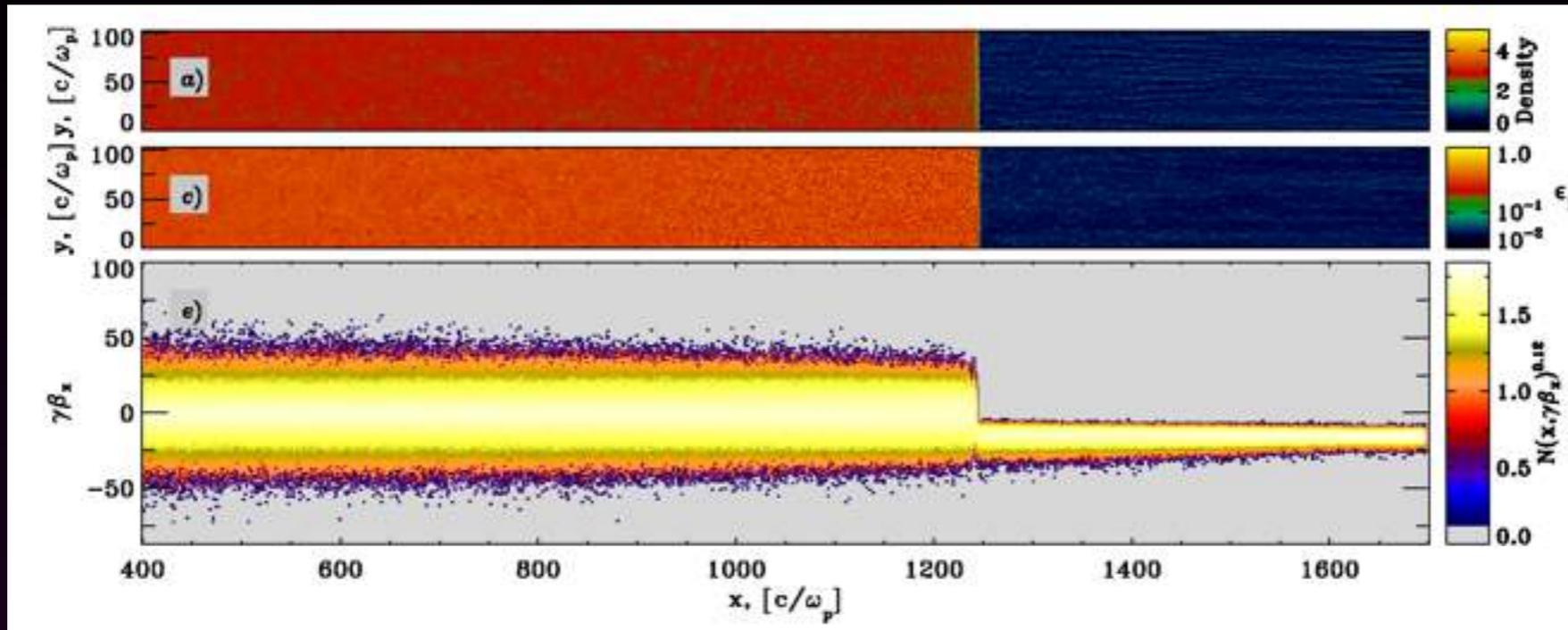
(Gehrels et al 02)

High- σ vs low- σ shocks



- High- σ shocks: no returning particles \rightarrow no turbulence

$\sigma=0.1$
perp shock
 $\gamma_0=15$
 e^-e^+



Density

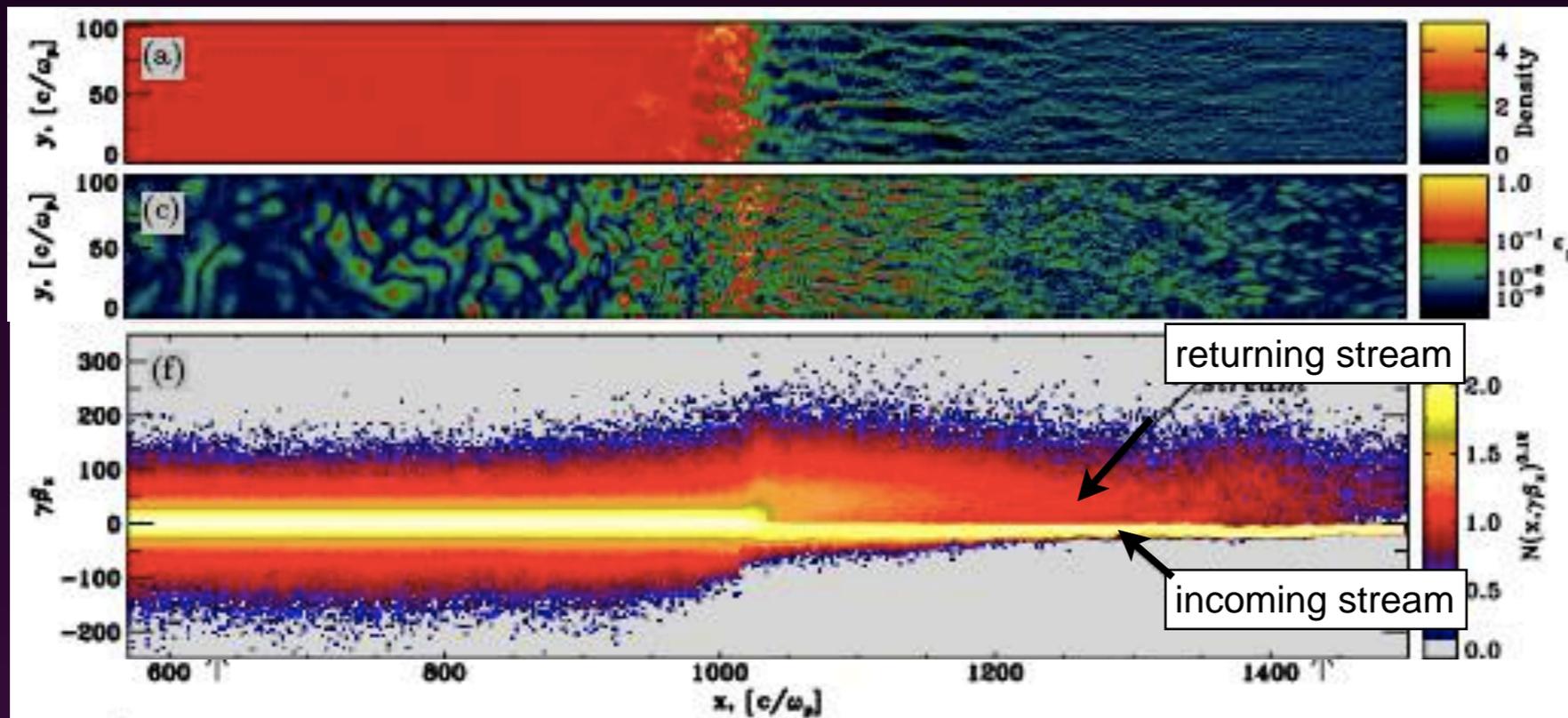
ϵ_B

$\gamma\beta_x$

(LS & Spitkovsky 11)

- Low- σ shocks: returning particles \rightarrow oblique & filamentation instabilities

$\sigma=0$
 $\gamma_0=15$
 e^-e^+



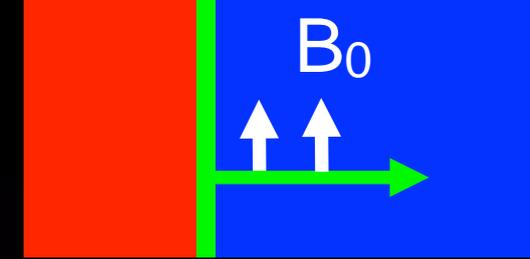
Density

ϵ_B

$\gamma\beta_x$

(LS et al 13)

Low- σ shocks are filamentary



Mediated by the filamentation (Weibel) instability, which generates small-scale sub-equipartition magnetic fields.

$\sigma=0$ $\gamma_0=15$ e^-e^+ shock



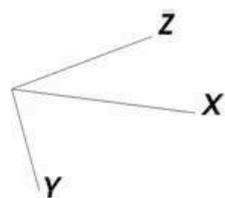
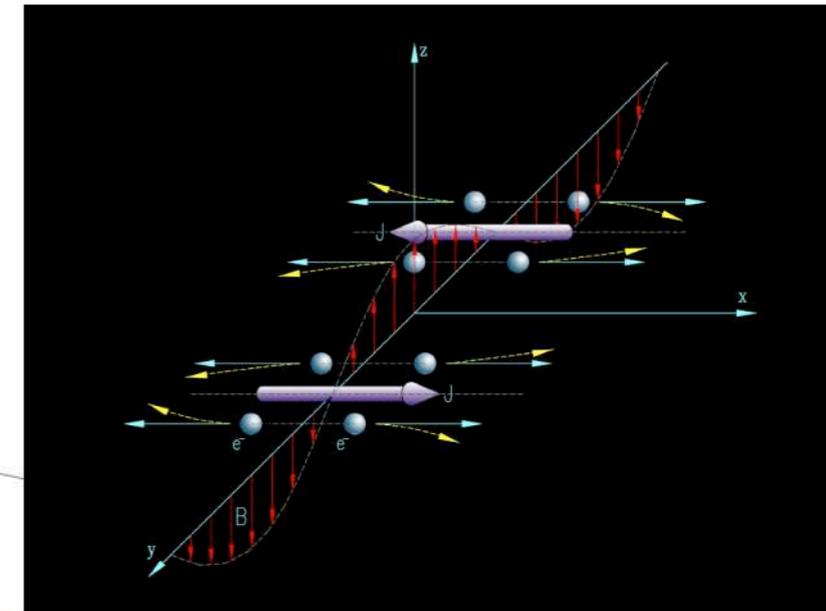
y [c/ω_p]

ϵ_B

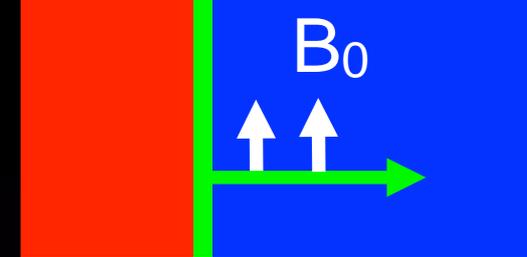
$X-X_{sh}$ [c/ω_p]

Density

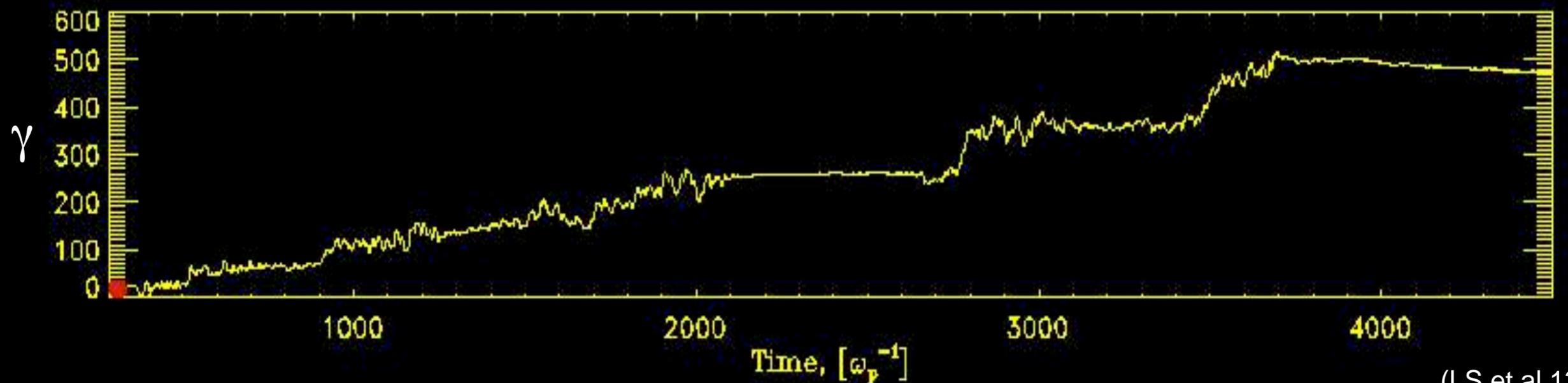
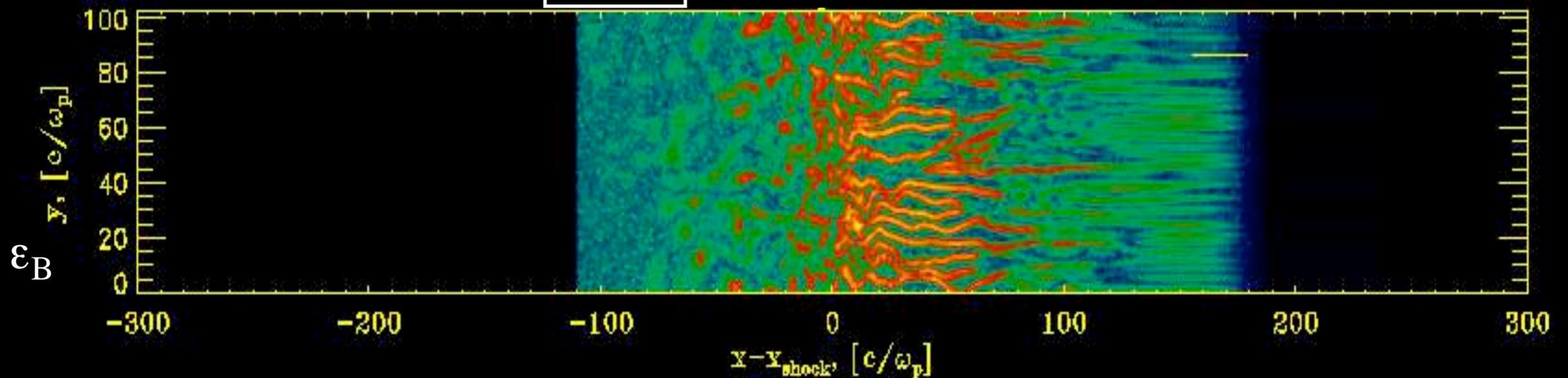
ϵ_B



The Fermi process in low- σ shocks



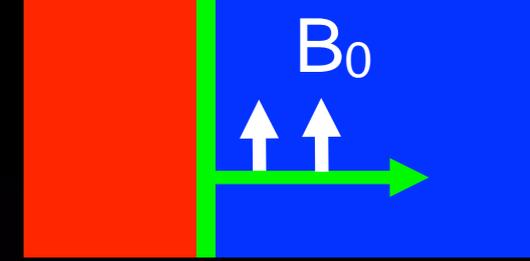
$\sigma=0$ $\gamma_0=15$ e^-e^+ shock



(LS et al 13)

Particle acceleration via the Fermi process in self-generated turbulence, for initially unmagnetized (i.e., $\sigma=0$) or weakly magnetized flows.

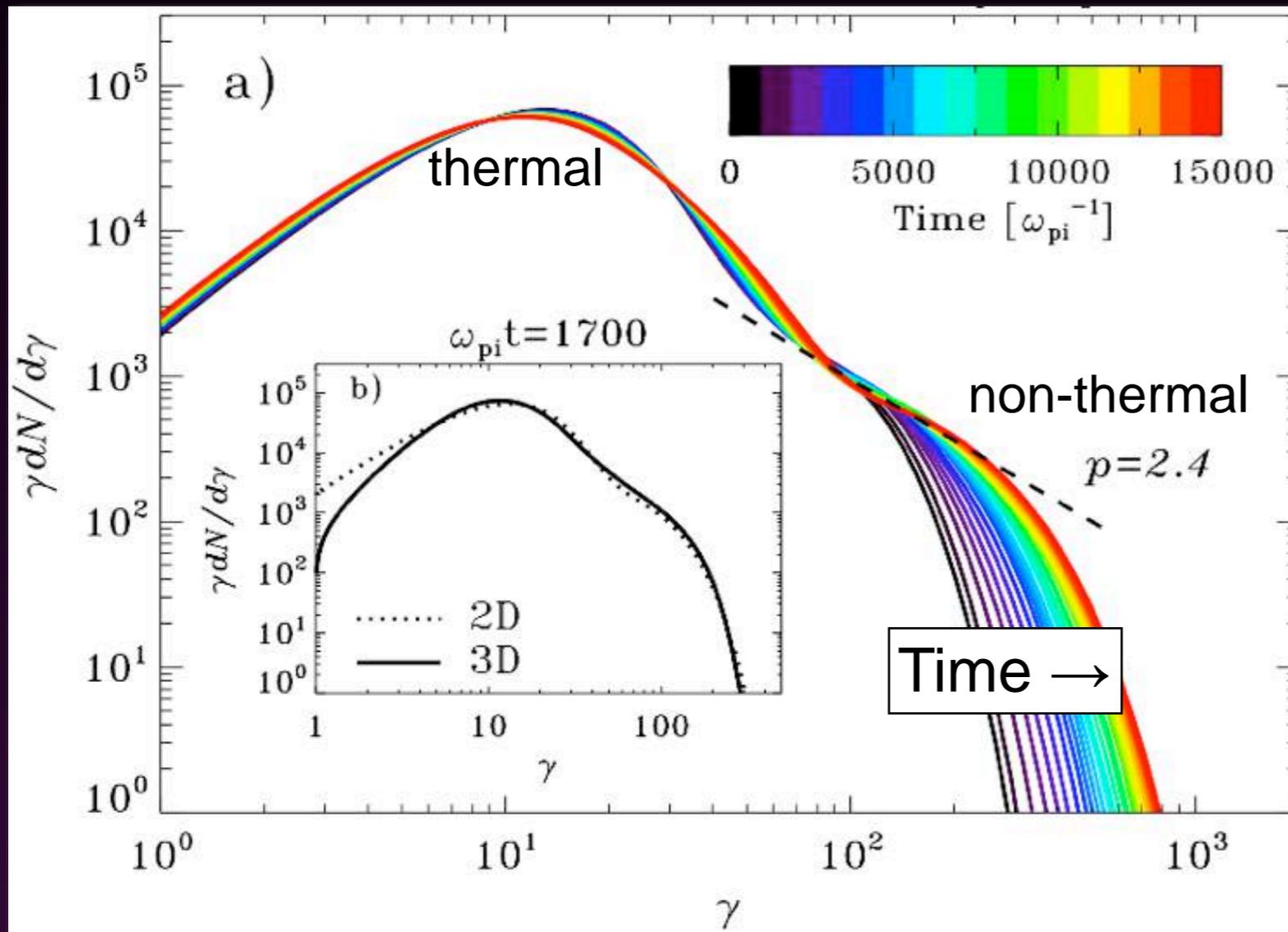
Low- σ shocks are efficient but slow



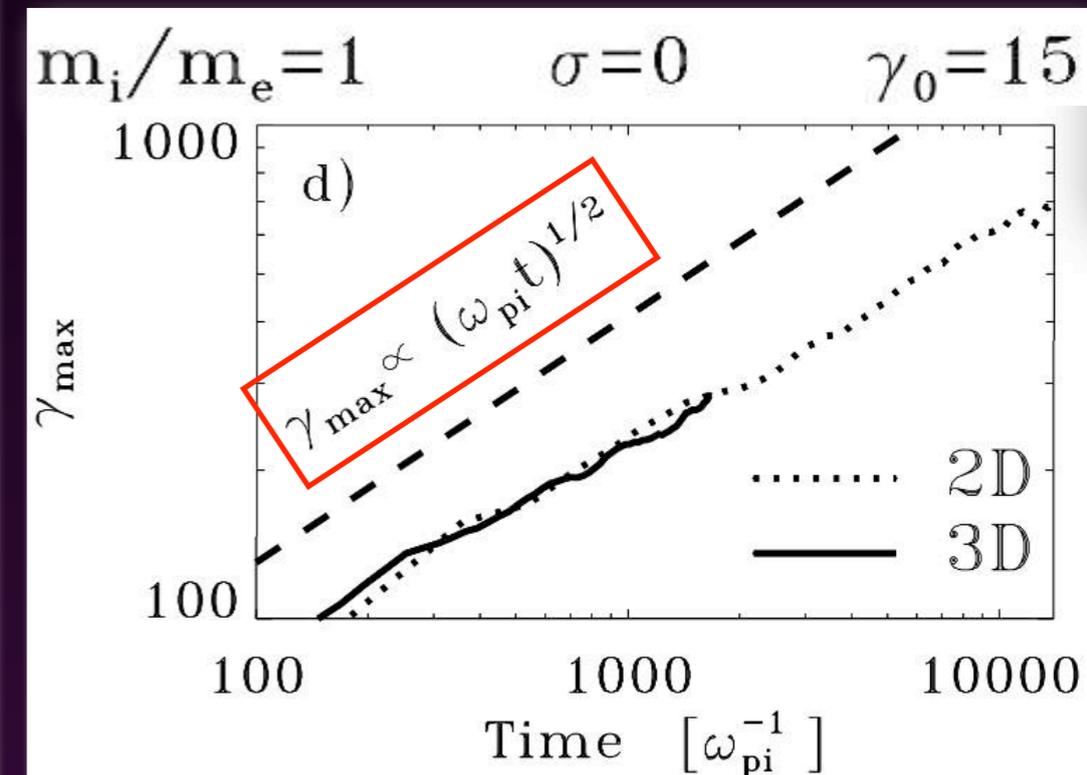
The nonthermal tail has slope $p=2.4\pm 0.1$ and contains $\sim 1\%$ of particles and $\sim 10\%$ of energy.

By scattering off small-scale Weibel turbulence, the maximum energy grows as $\gamma_{\max} \propto t^{1/2}$.

Instead, most models of particle acceleration in shocks assume $\gamma_{\max} \propto t$ (Bohm scaling).



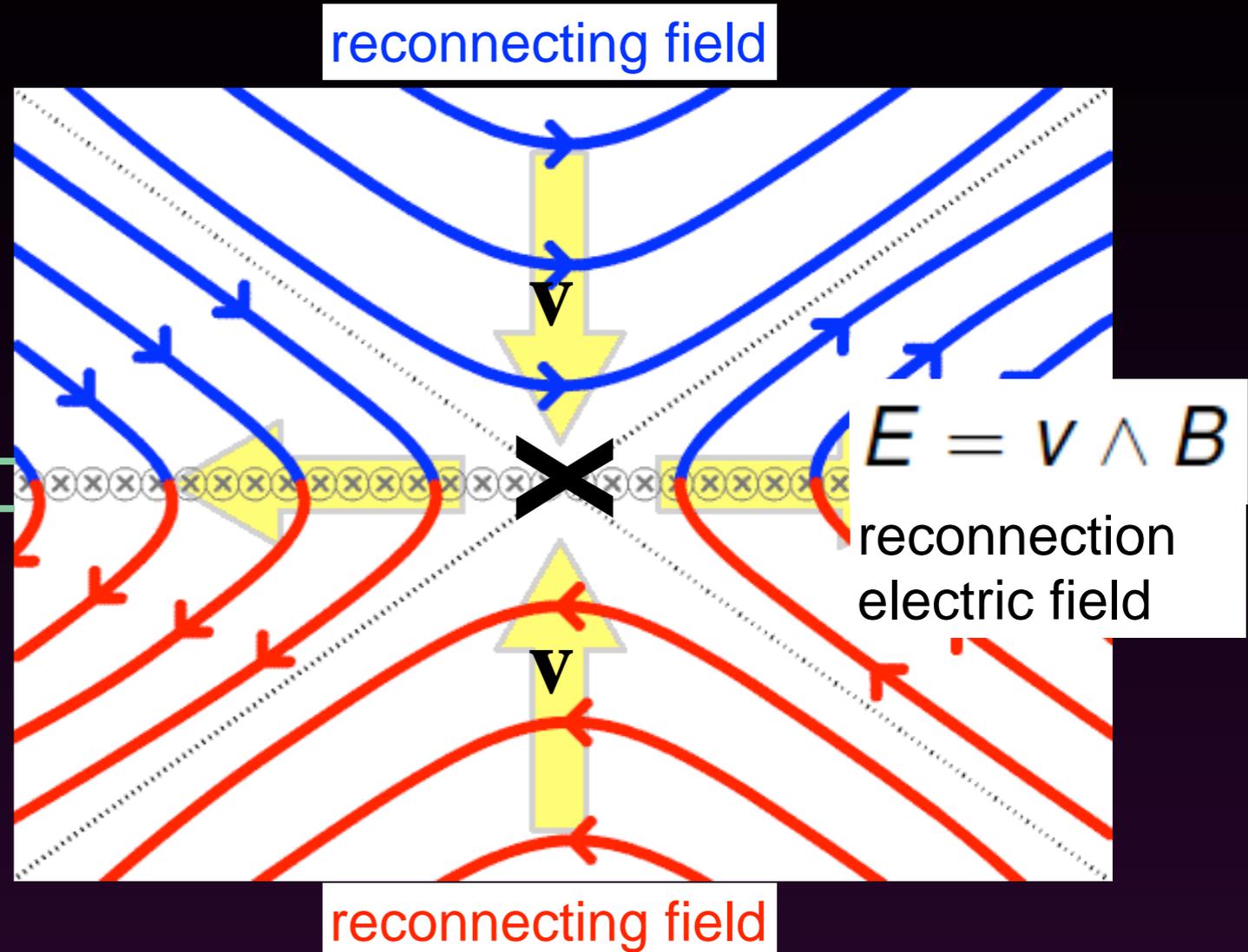
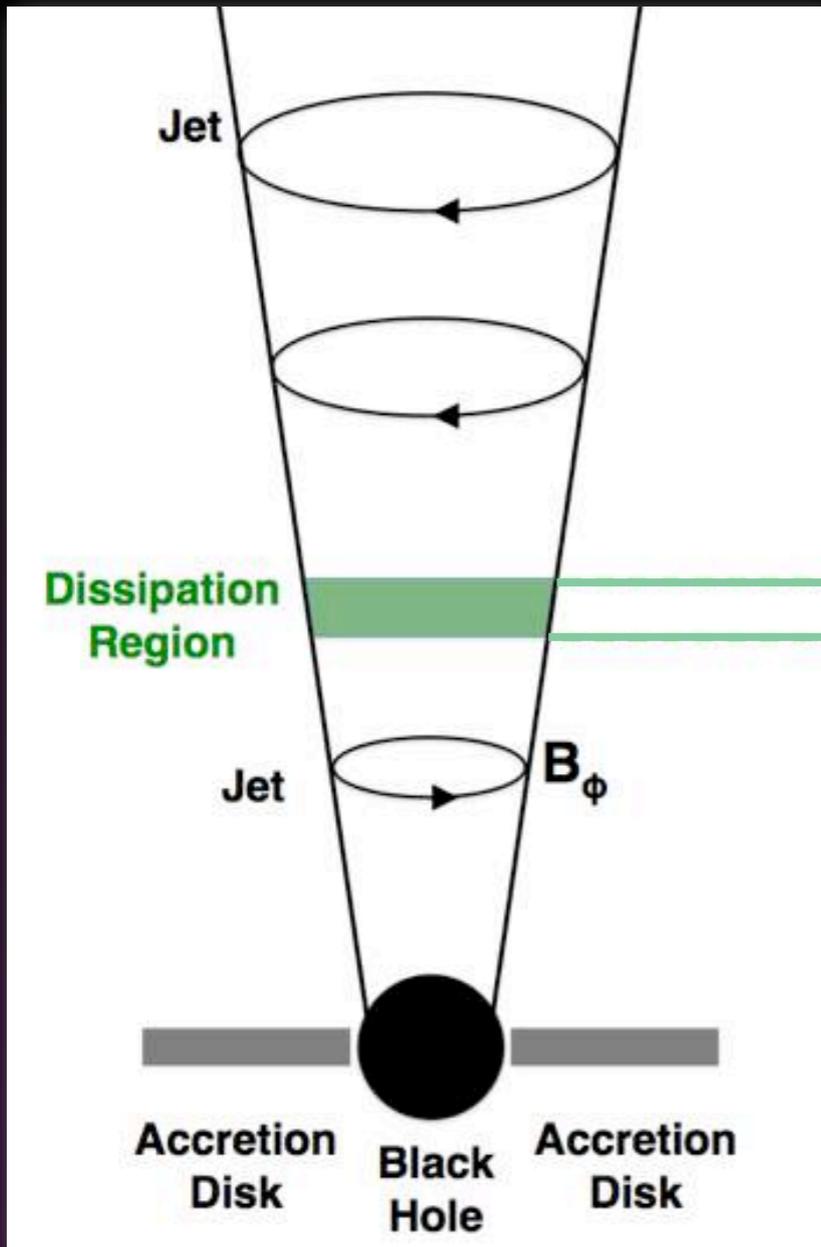
$$\gamma_{\max} \simeq 0.5 \gamma_0 (\omega_{\text{pi}} t)^{1/2}$$



(LS et al. 13, Martins et al. 09, Haugbolle 10)

Conclusions are the same in 2D and 3D

Relativistic reconnection within jets



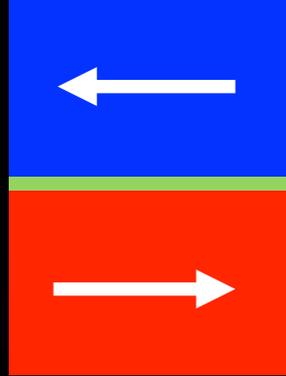
Relativistic Reconnection

$$\sigma = \frac{B_0^2}{4\pi n_0 m_p c^2} \gg 1 \quad v_A \sim c$$

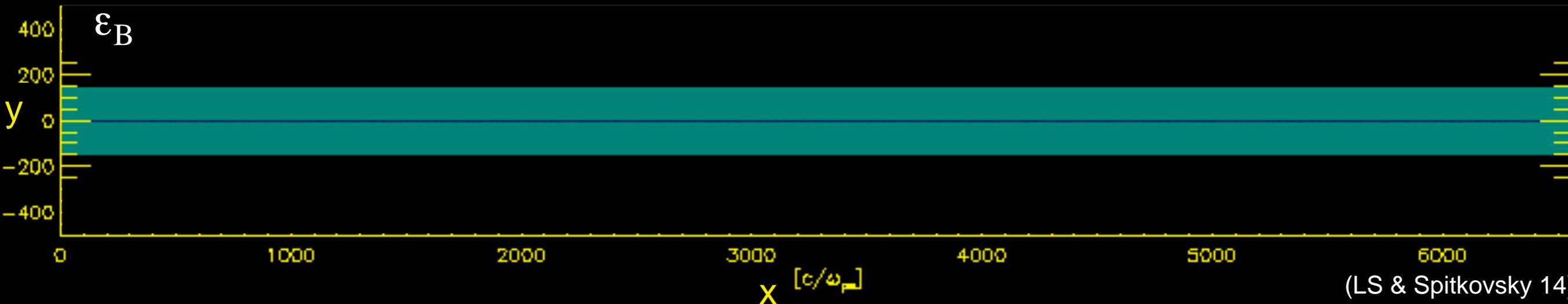
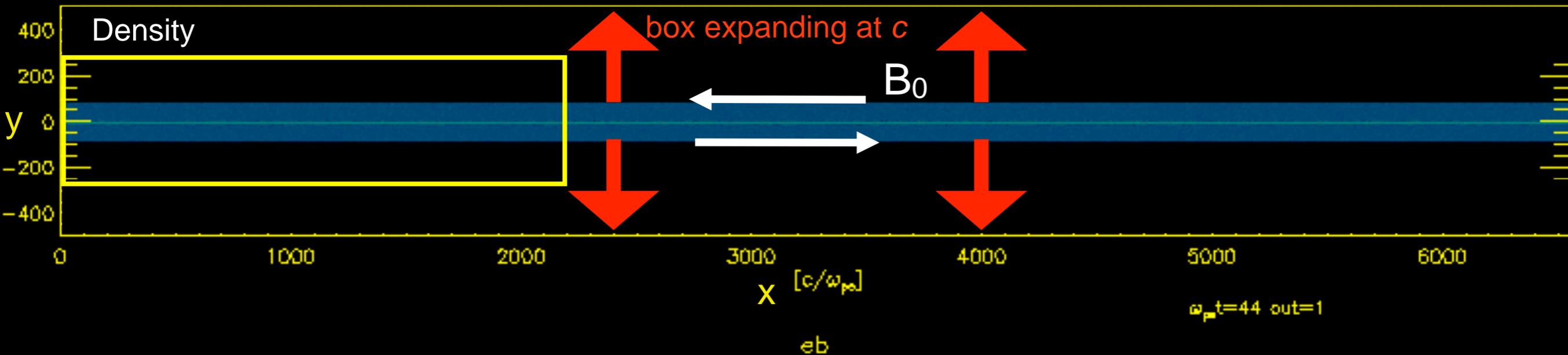
Refs: Bessho, Bhattacharjee, Cerutti, Drake, Egedal, Giannios, de Gouveia dal Pino, Hesse, Hoshino, Huang, Jaroschek, Kagan, Karimabadi, Kulsrud, Liu, Li, Lyubarsky, Lyutikov, Oka, Takamoto, Uzdensky, Yin, Zenitani

Dynamics and particle spectrum

Hierarchical reconnection



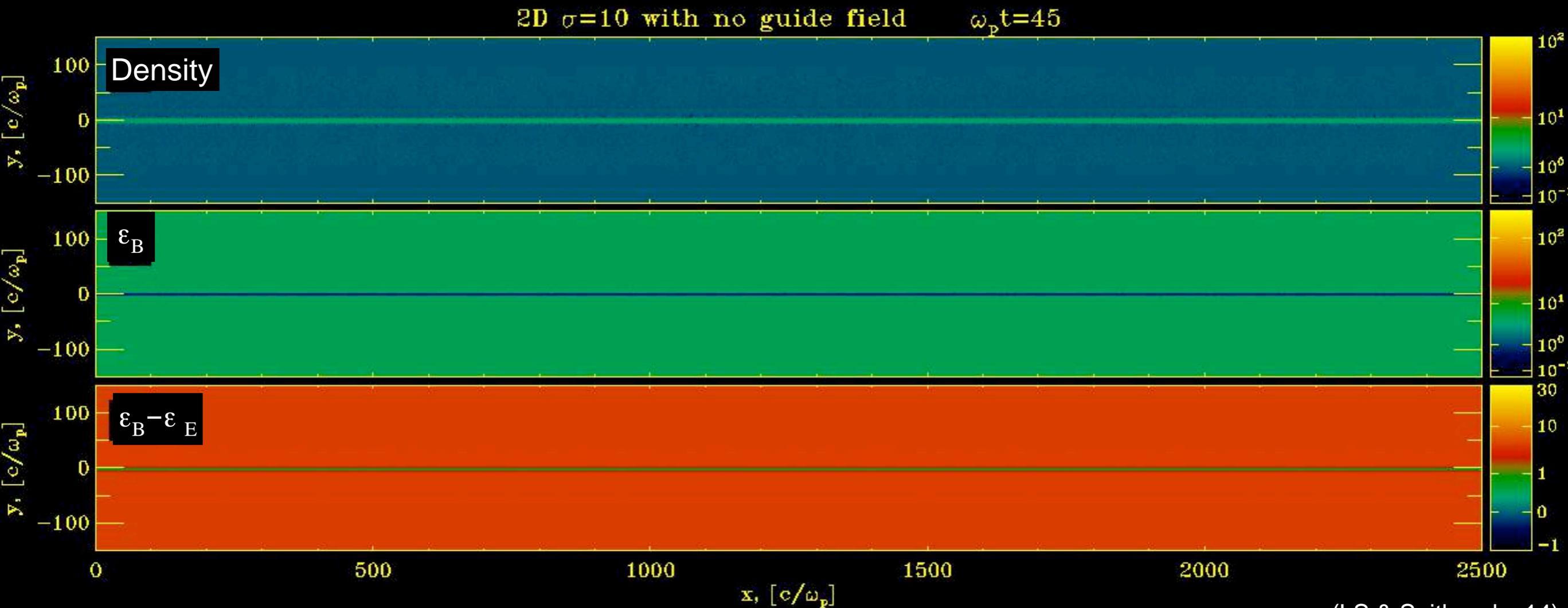
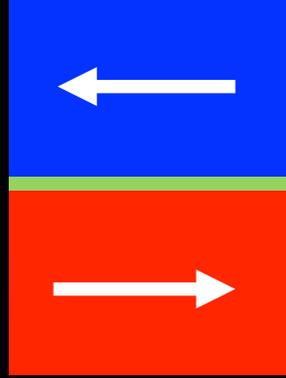
$\sigma=10$ electron-positron



- Reconnection is a hierarchical process of island formation and merging.
- The field energy is transferred to the particles at the X-points, in between the magnetic islands.

Hierarchical reconnection

$\sigma=10$ electron-positron

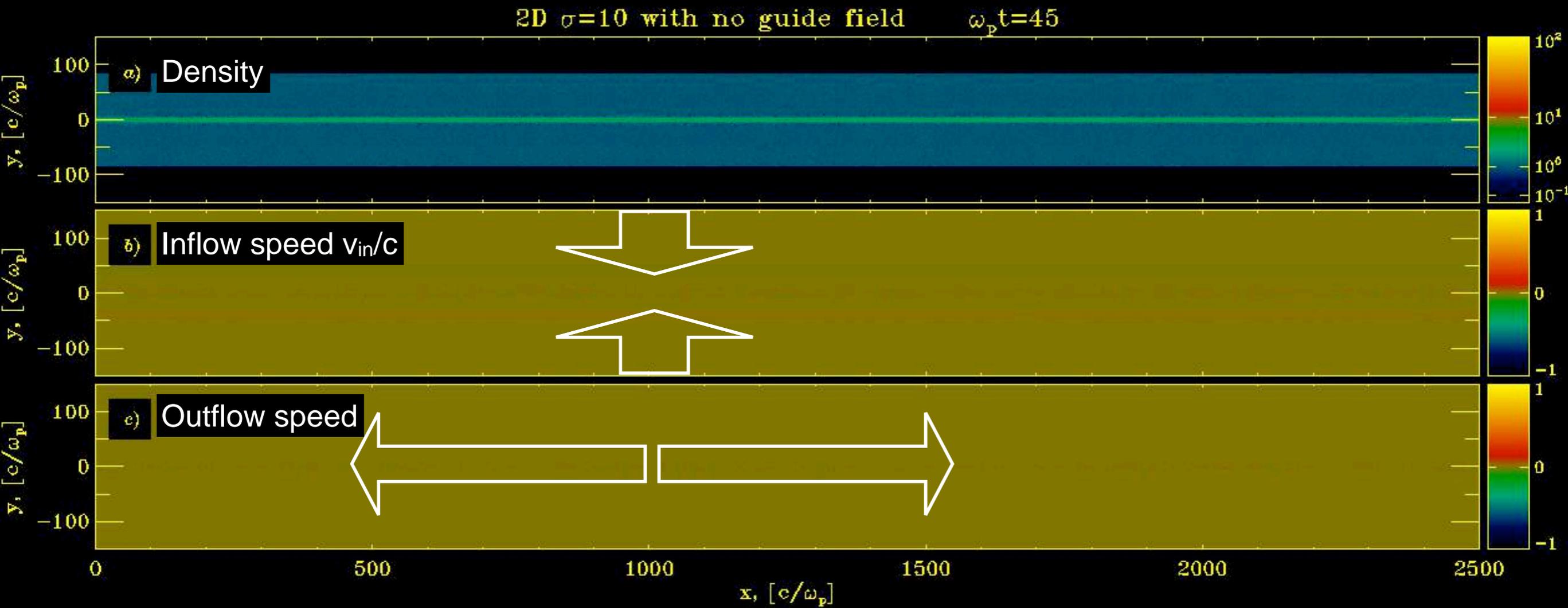
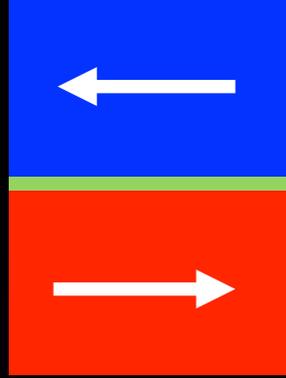


(LS & Spitkovsky 14)

- The current sheet breaks into a series of secondary islands (e.g., Loureiro+ 07, Bhattacharjee+ 09, Uzdensky+ 10, Huang & Bhattacharjee 12, Takamoto 13).
- The field energy is transferred to the particles at the X-points, in between the magnetic islands.
- Localized regions exist at the X-points where $E > B$.

Inflows and outflows

$\sigma=10$ electron-positron

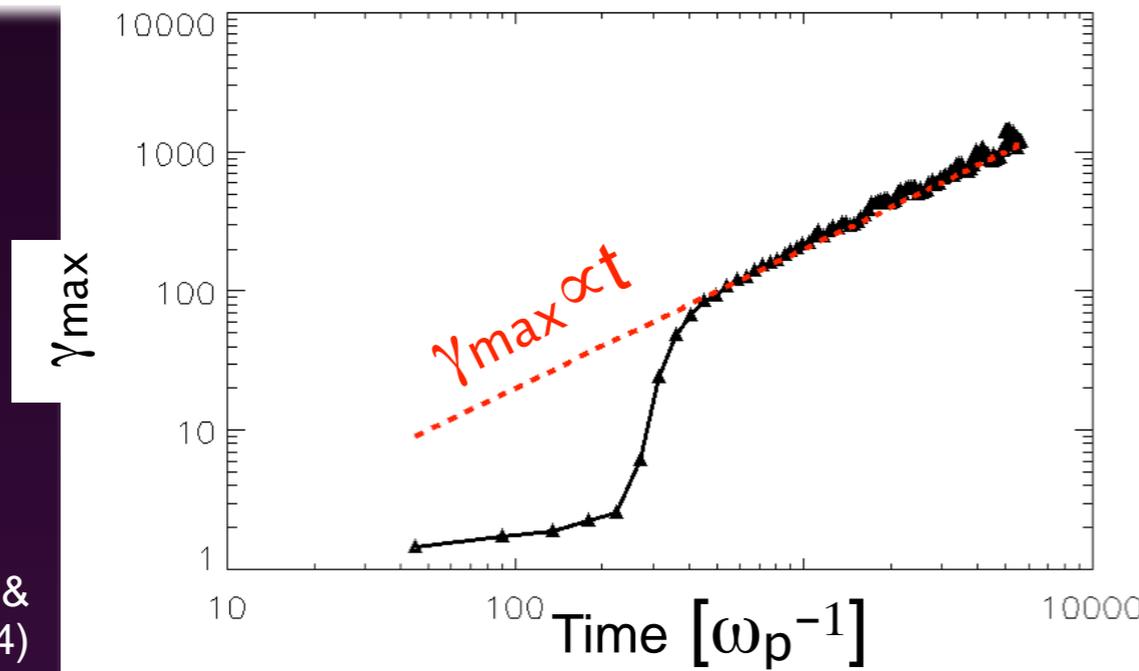
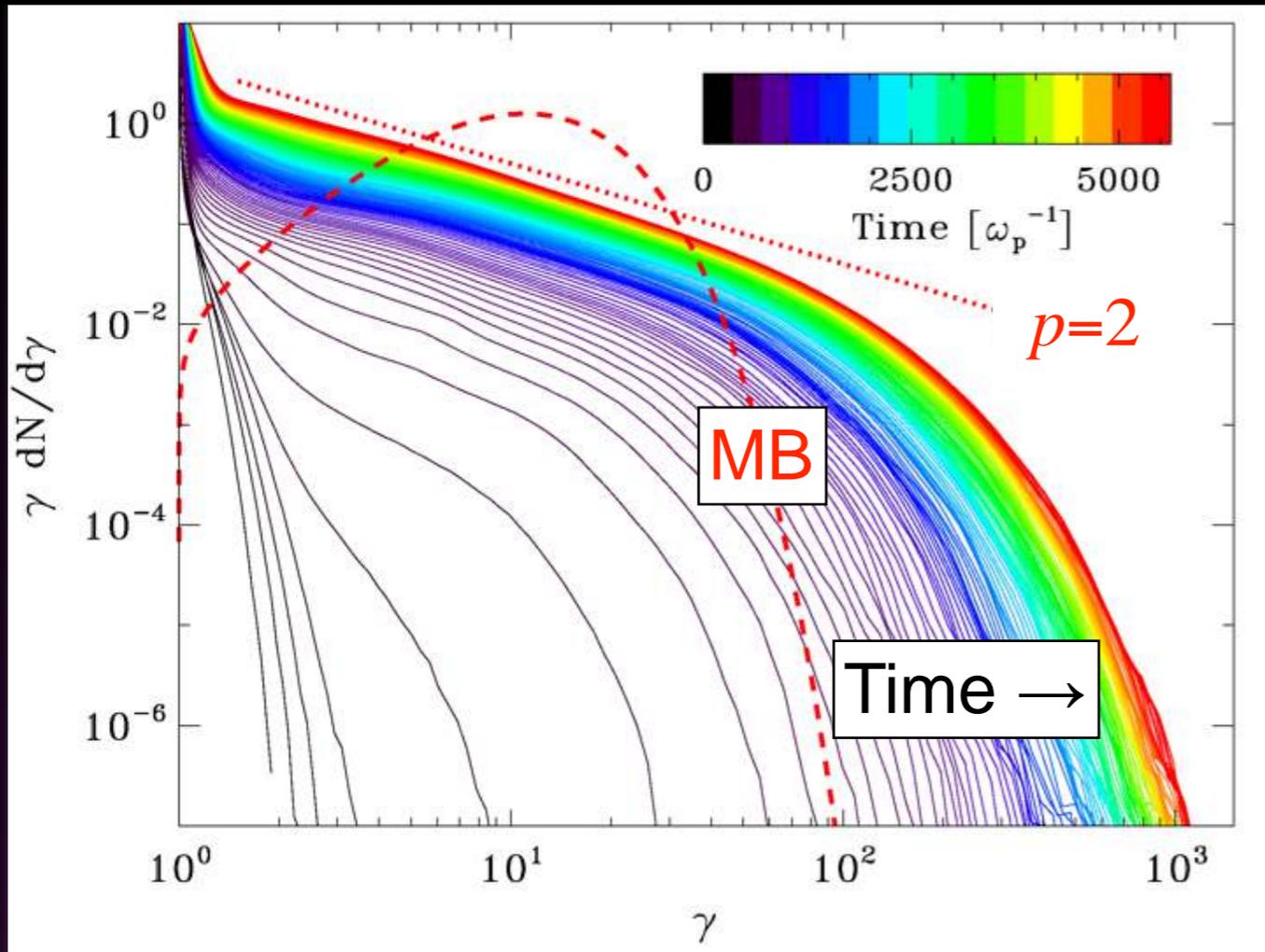


- Inflow into the X-line is non-relativistic, at $v_{in} \sim 0.1 c$ (Lyutikov & Uzdensky 03, Lyubarsky 05)

- Outflow from the X-points is ultra-relativistic, reaching the Alfvén speed $v_A = c \sqrt{\frac{\sigma}{1 + \sigma}}$

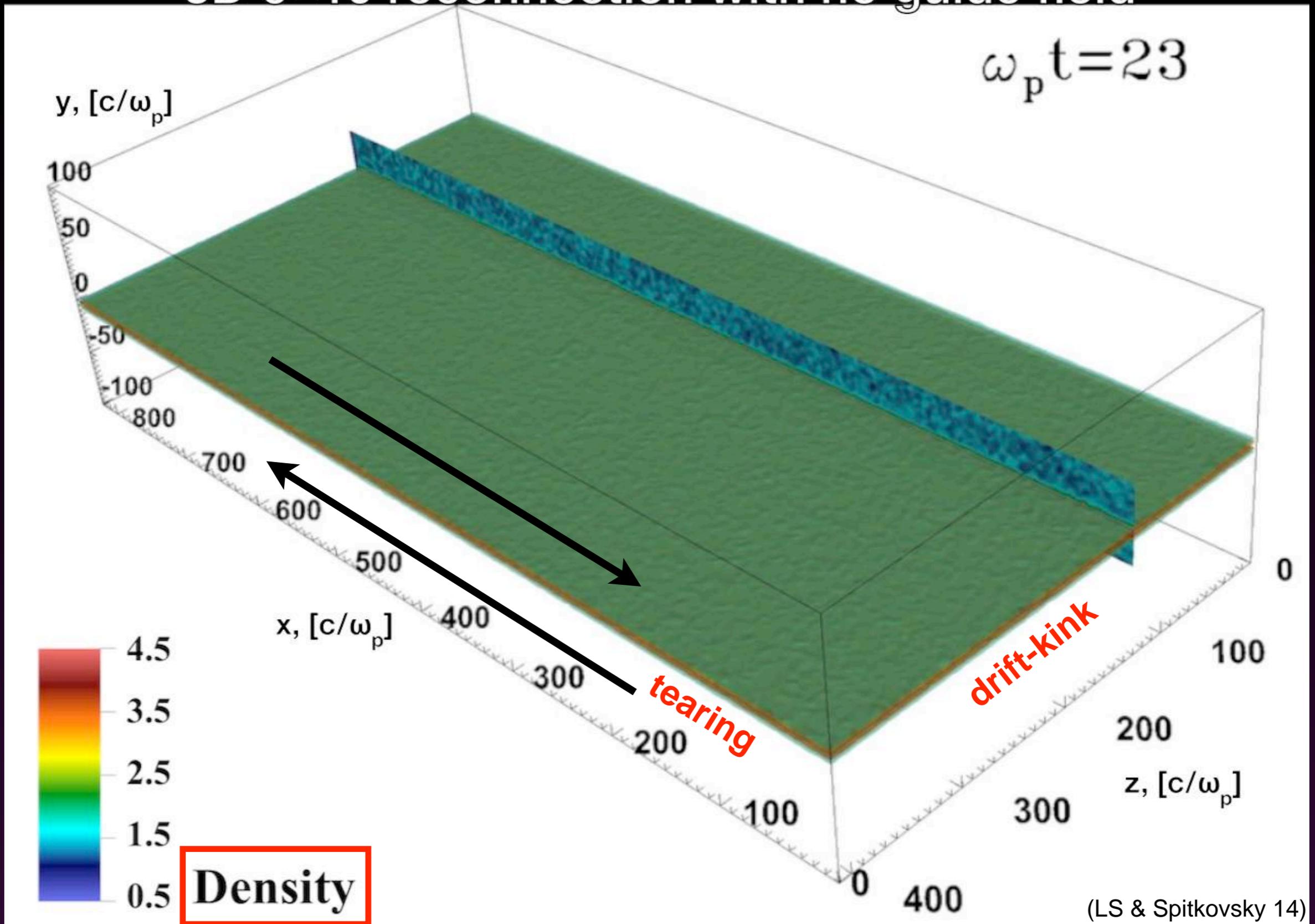
The particle energy spectrum

$\sigma=10$ electron-positron



- At late times, the particle spectrum in the current sheet approaches a power law $dn/d\gamma \propto \gamma^{-p}$ of slope $p \sim 2$.
- The normalization increases, as more and more particles enter the current sheet.
- The mean particle energy in the current sheet reaches $\sim \sigma/4$
 → rough energy equipartition
- The max energy grows as $\gamma_{\max} \propto t$
 (compare to $\gamma_{\max} \propto t^{1/2}$ in shocks).

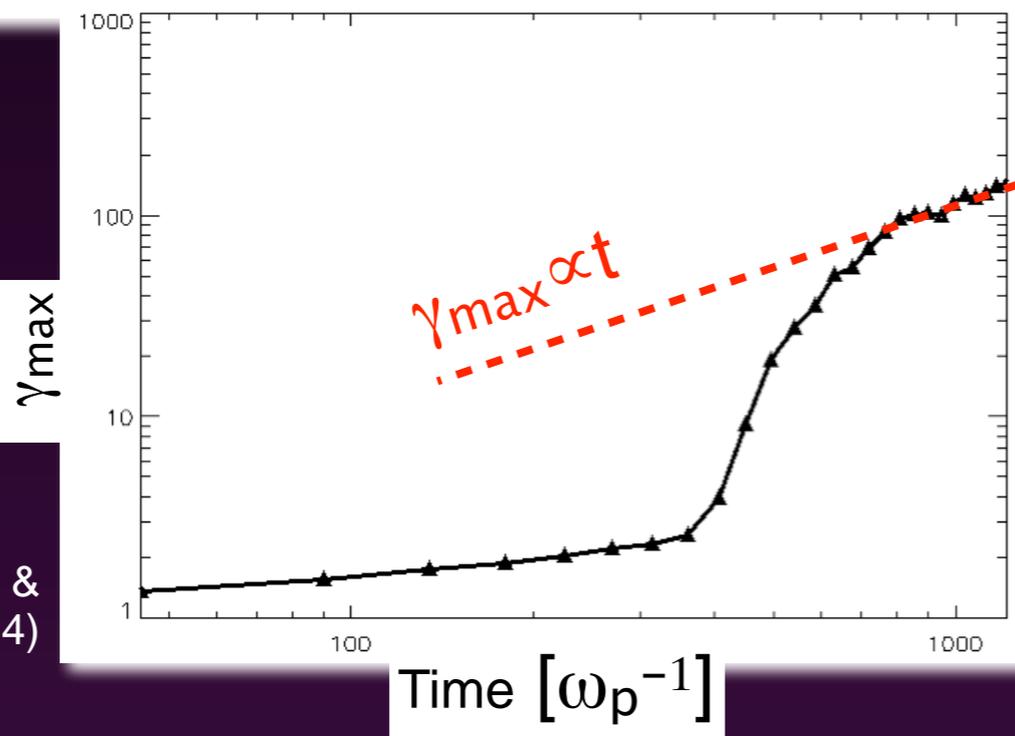
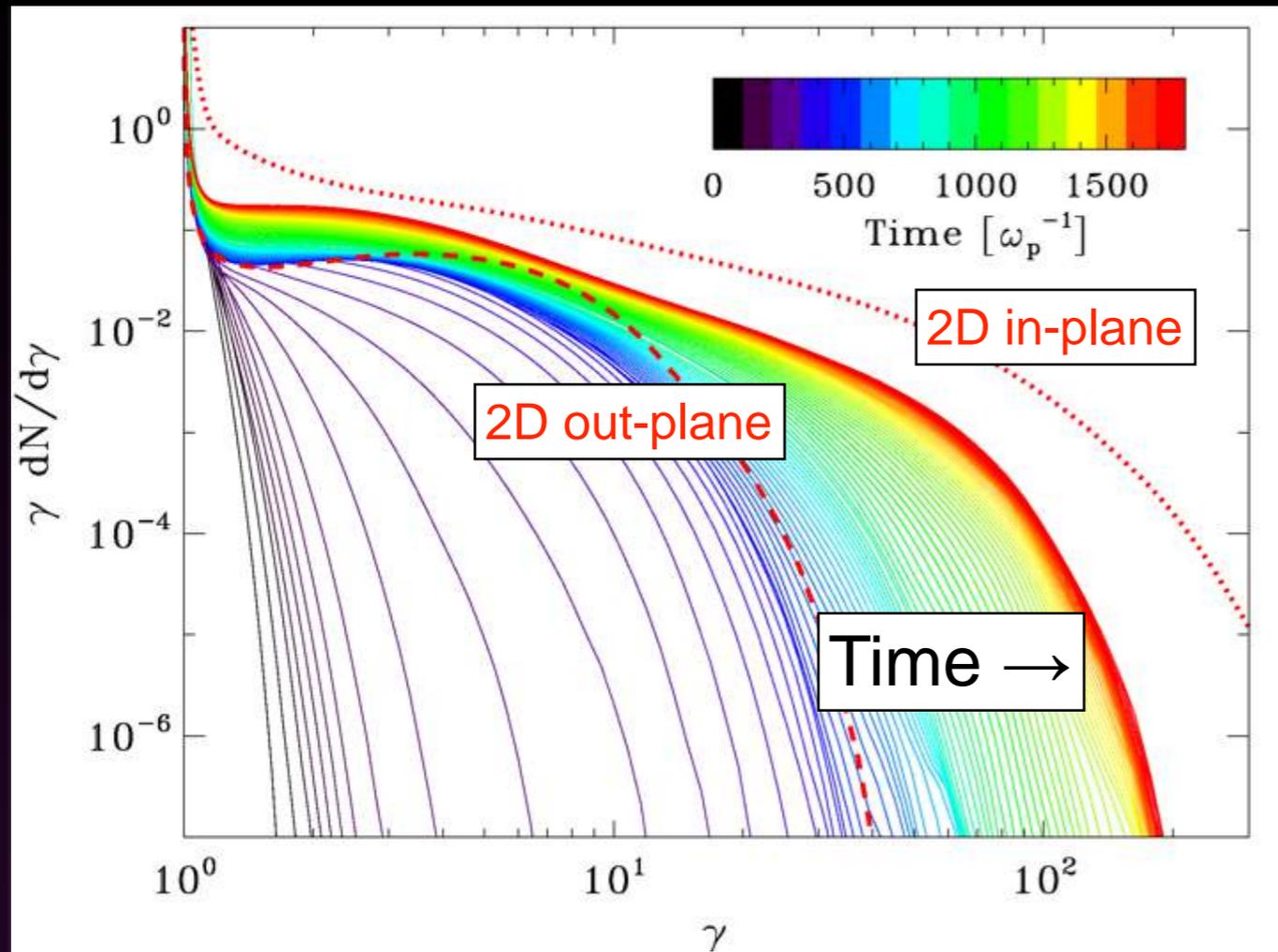
3D $\sigma=10$ reconnection with no guide field



- In 3D, the in-plane tearing mode and the out-of-plane drift-kink mode coexist.
- The drift-kink mode is the fastest to grow, but the physics at late times is governed by the tearing mode, as in 2D.

3D: particle spectrum

$\sigma=10$ electron-positron



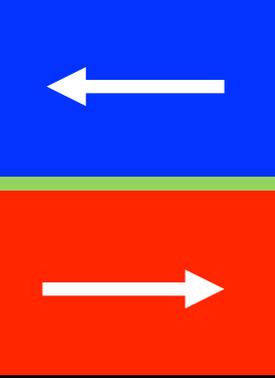
(LS & Spitkovsky 14)

- At late times, the particle spectrum approaches a power-law tail of slope $p \sim 2$, extending in time to higher and higher energies. The same as in 2D.
- The maximum energy grows as $\gamma_{\max} \propto t$ (compare to $\gamma_{\max} \propto t^{1/2}$ in shocks). The reconnection rate is $v_{\text{in}}/c \sim 0.02$ in 3D (compare to $v_{\text{in}}/c \sim 0.1$ in 2D).

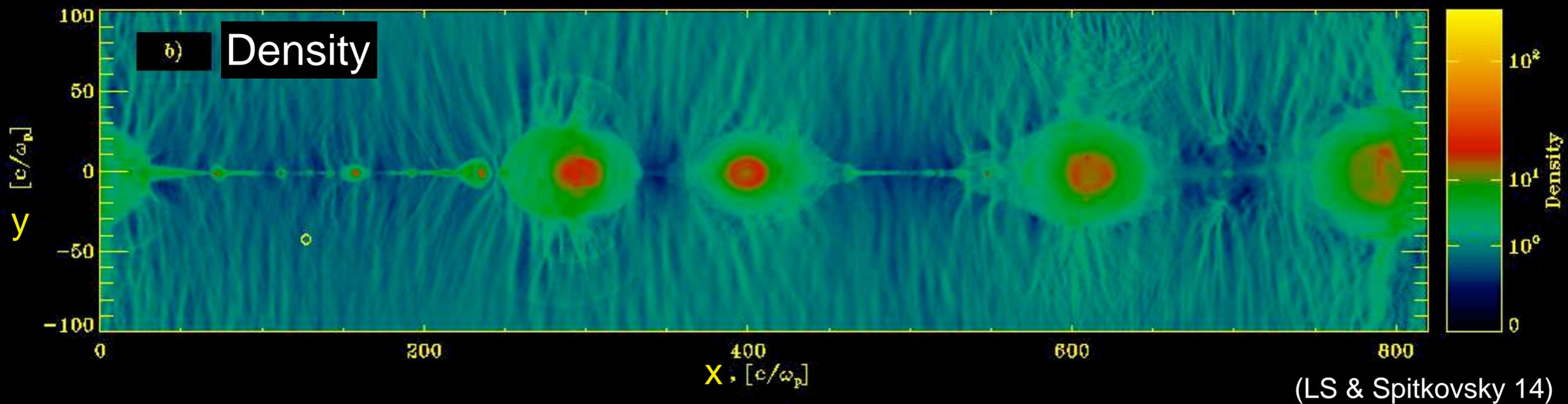


Particle acceleration mechanism

The highest energy particles

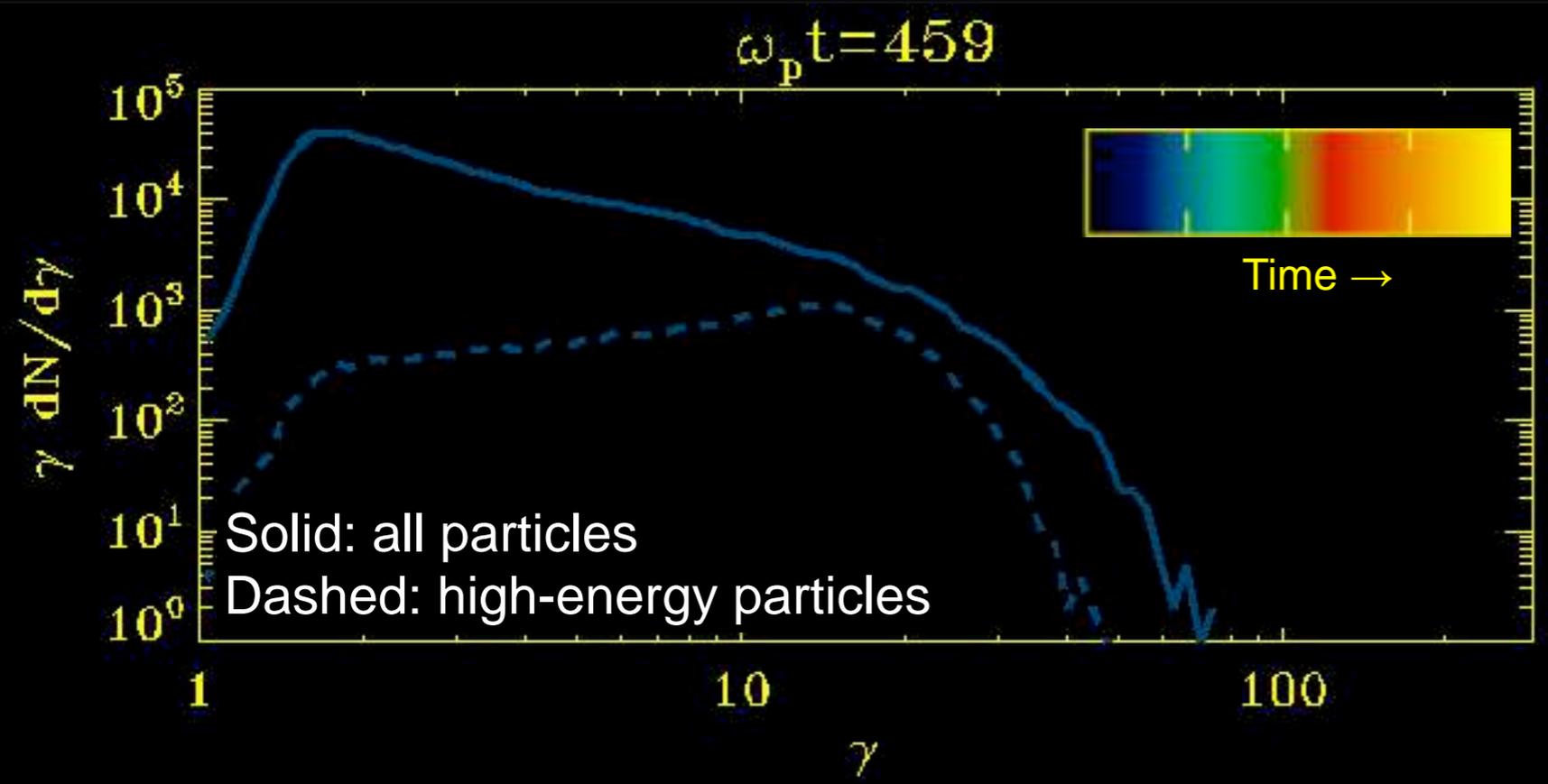
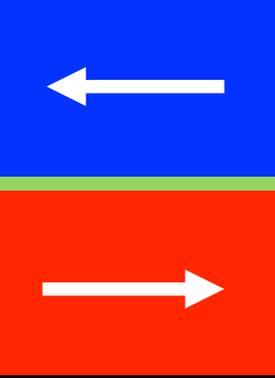


$\sigma=10$ $\omega_p t=720$

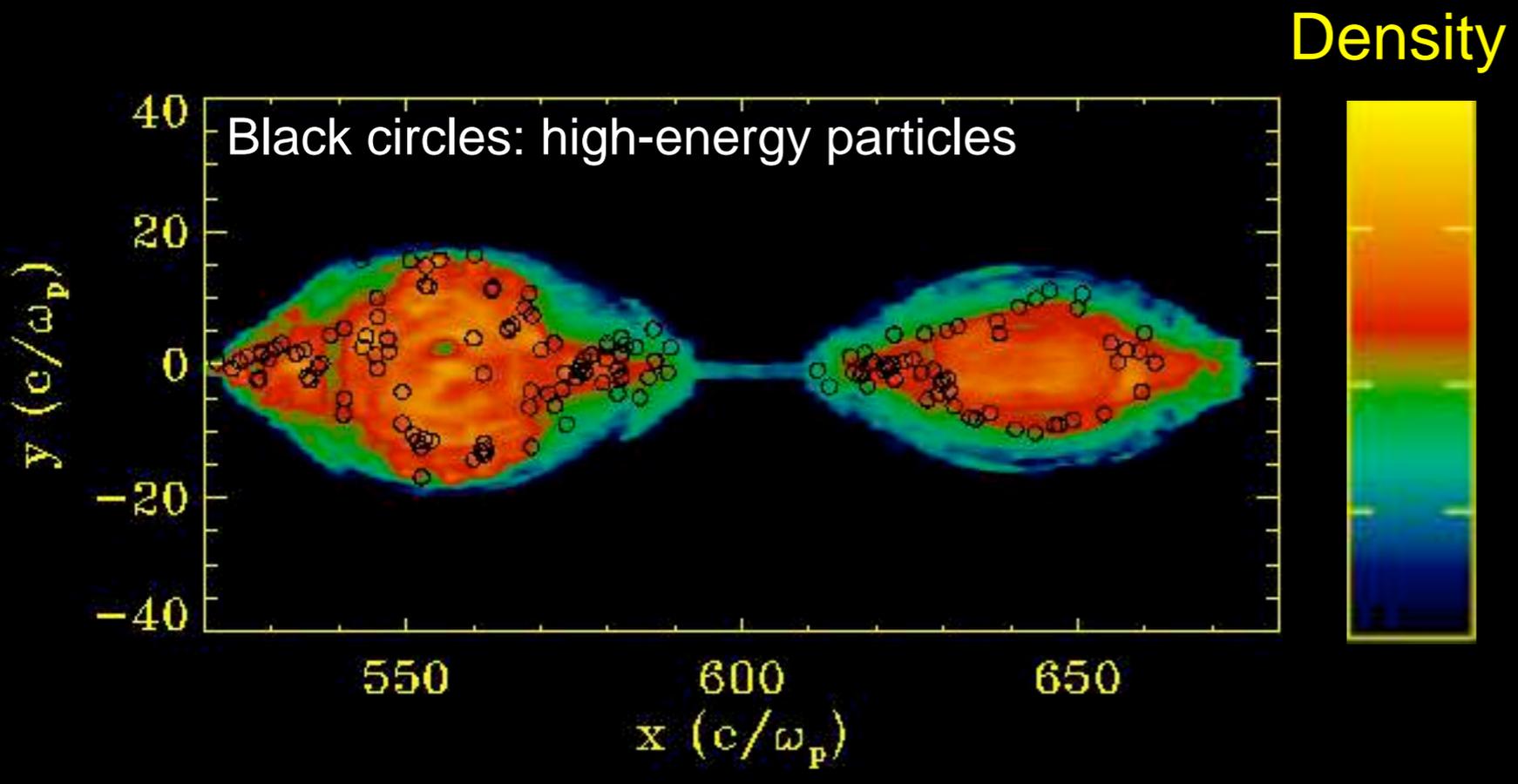
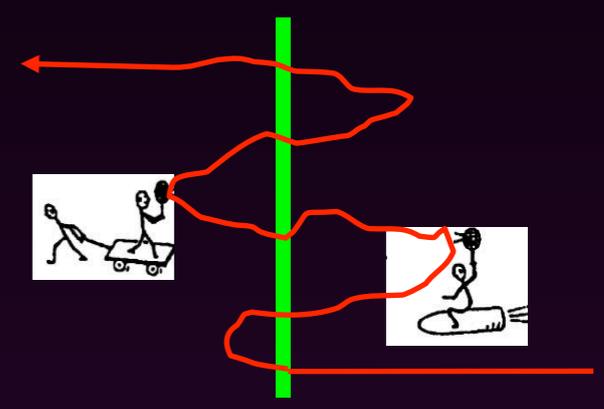


Two acceleration phases: (1) at the X-point; (2) in between merging islands

(2) Fermi process in between islands

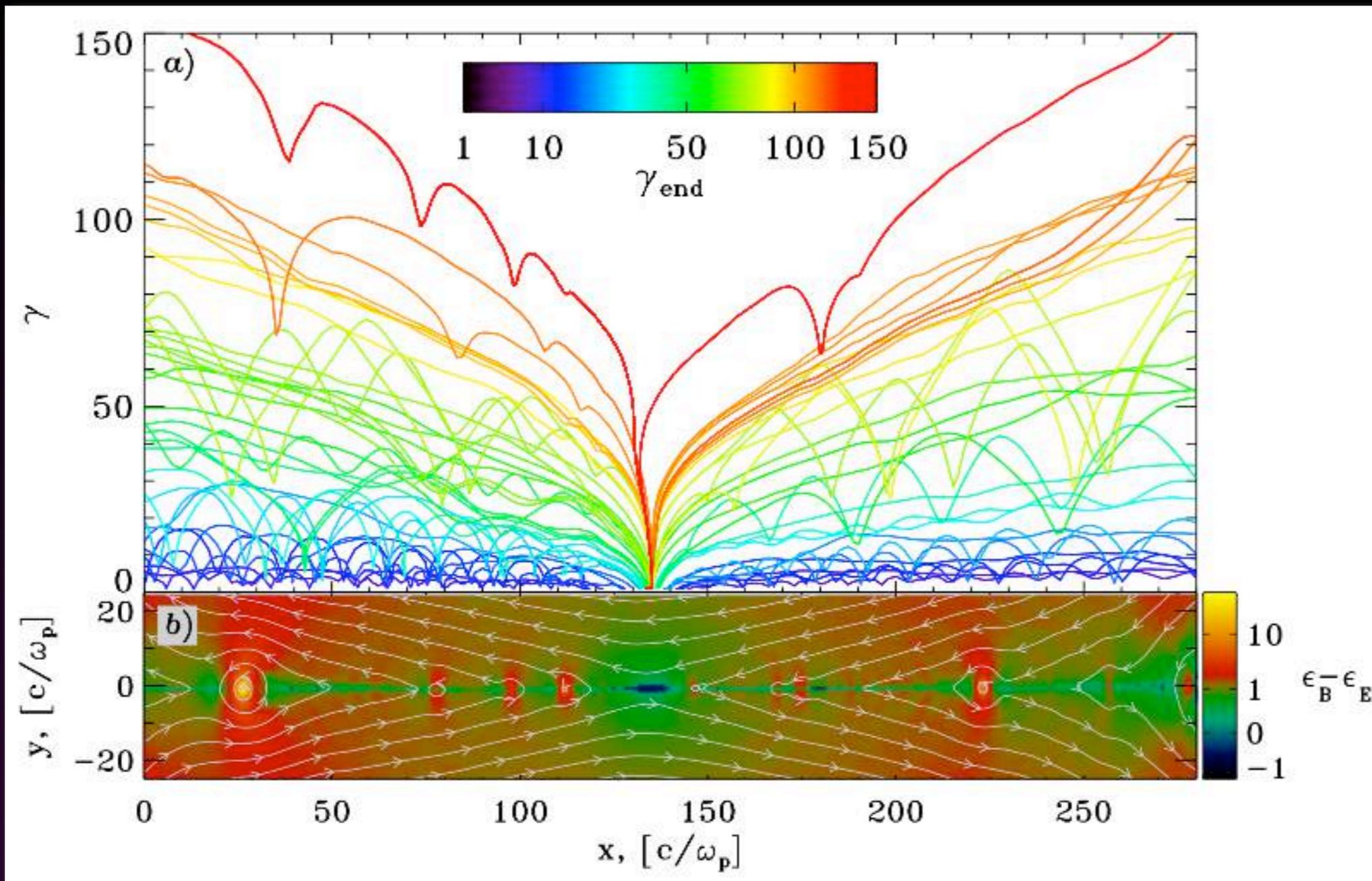


- The particles are accelerated by a Fermi-like process in between merging islands.



- Island merging is essential to shift up the spectral cutoff energy.
- In the Fermi process, the rich get richer. But how do they get rich in the first place?

(1) Acceleration at X-points

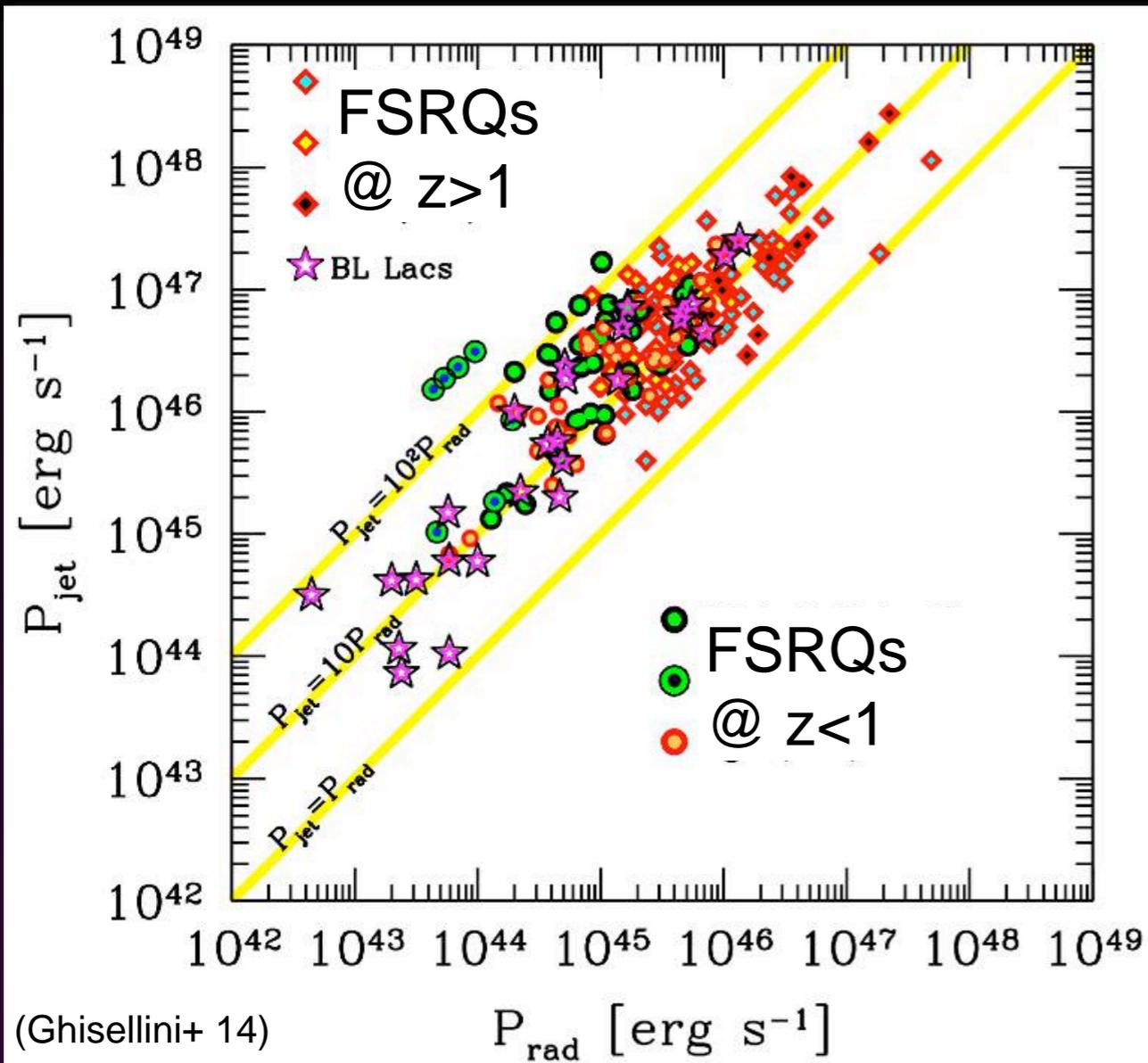


(LS & Spitkovsky 14)

- In cold plasmas, the particles are tied to field lines and they go through X-points.
- The particles are accelerated by the reconnection electric field at the X-points, and then advected into the nearest magnetic island.
- The energy gain can vary, depending on where the particles interact with the sheet.

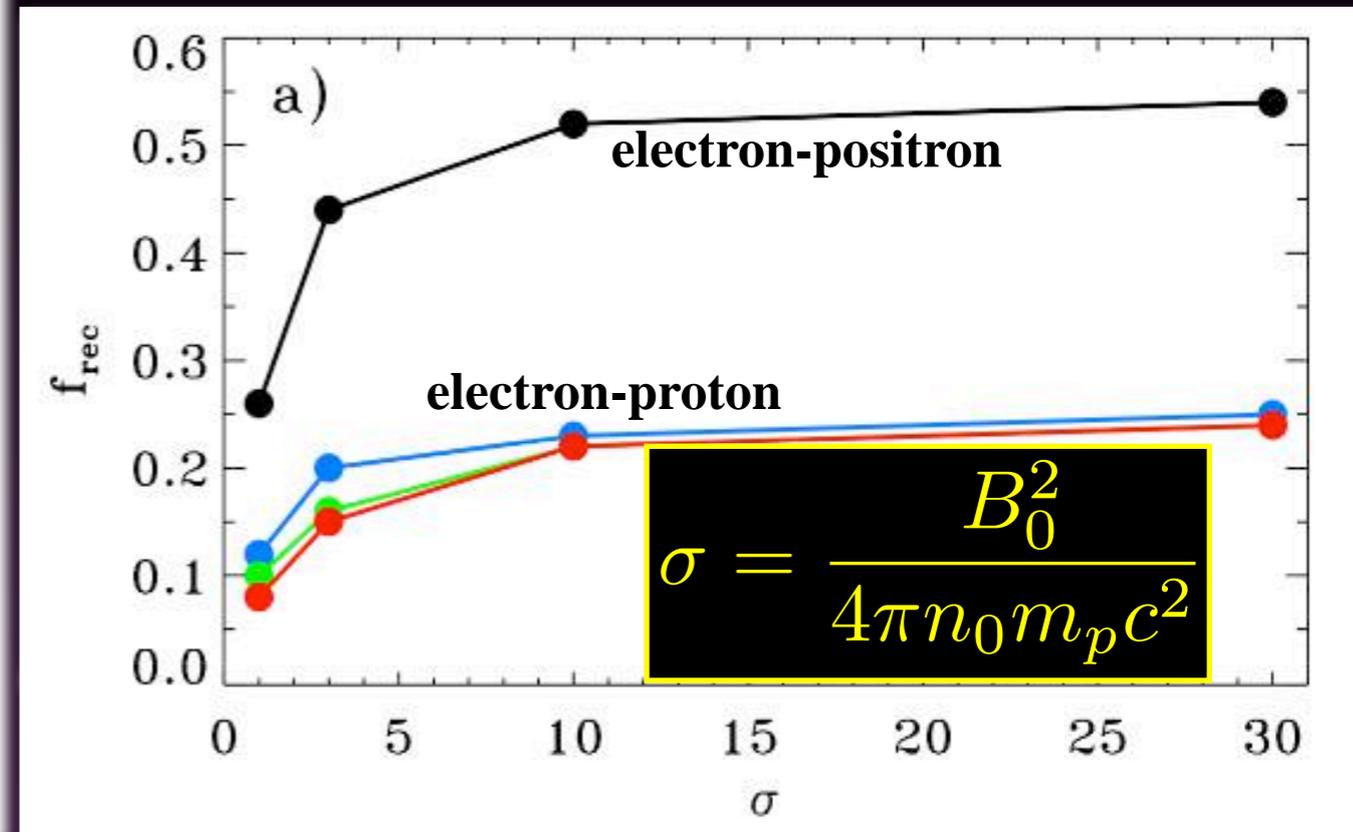
Implications for blazar emission

(1) Relativistic reconnection is efficient



Efficiency

$$f_{\text{rec}} \equiv \frac{\sum_i \int_{V_i} U_e dV_i}{\sum_i \int_{V_i} (e + \rho c^2 + U_B) dV_i}$$



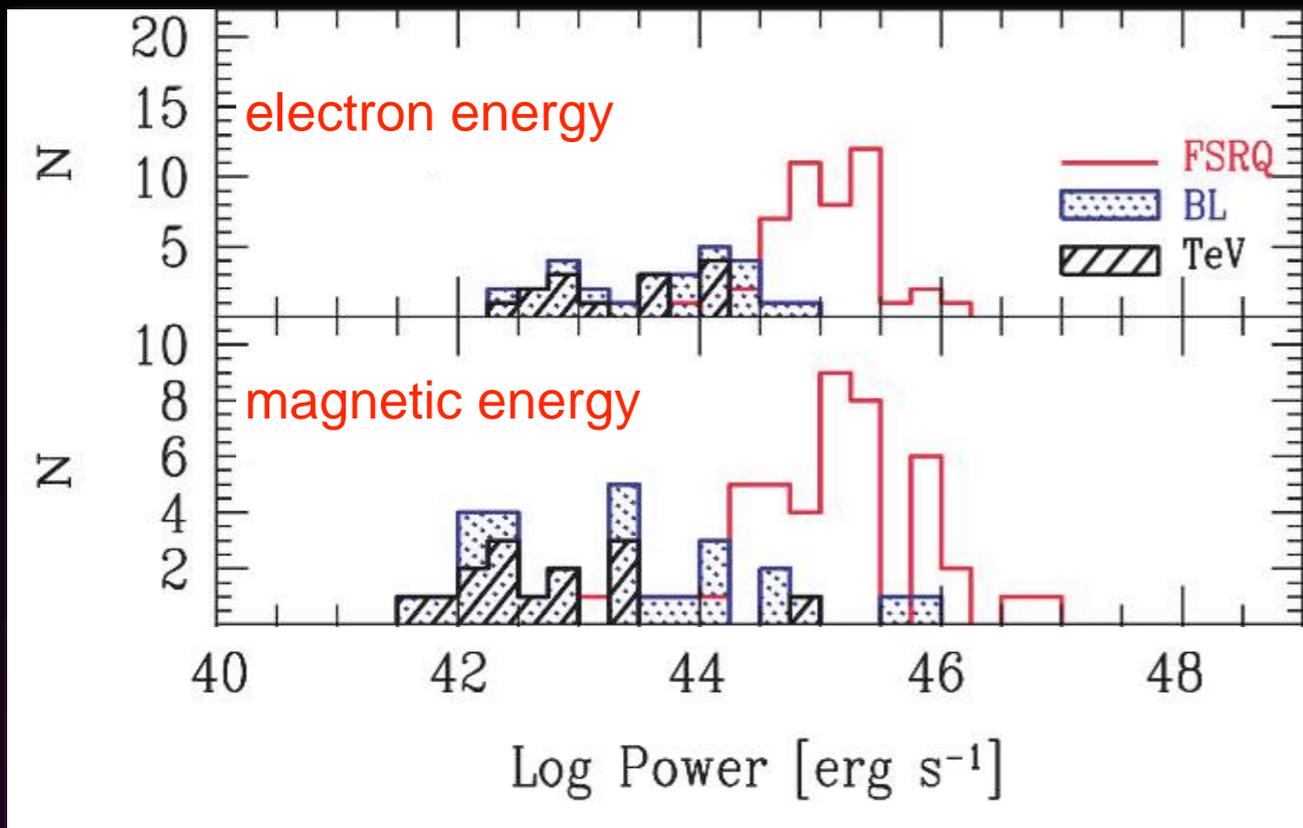
Blazar phenomenology:

- blazars are efficient emitters (radiated power $\sim 10\%$ of jet power)

Relativistic reconnection:

- ✓ it transfers up to $\sim 50\%$ of flow energy (electron-positron plasmas) or up to $\sim 25\%$ (electron-proton) to the emitting particles

(2) Equipartition of particles and fields



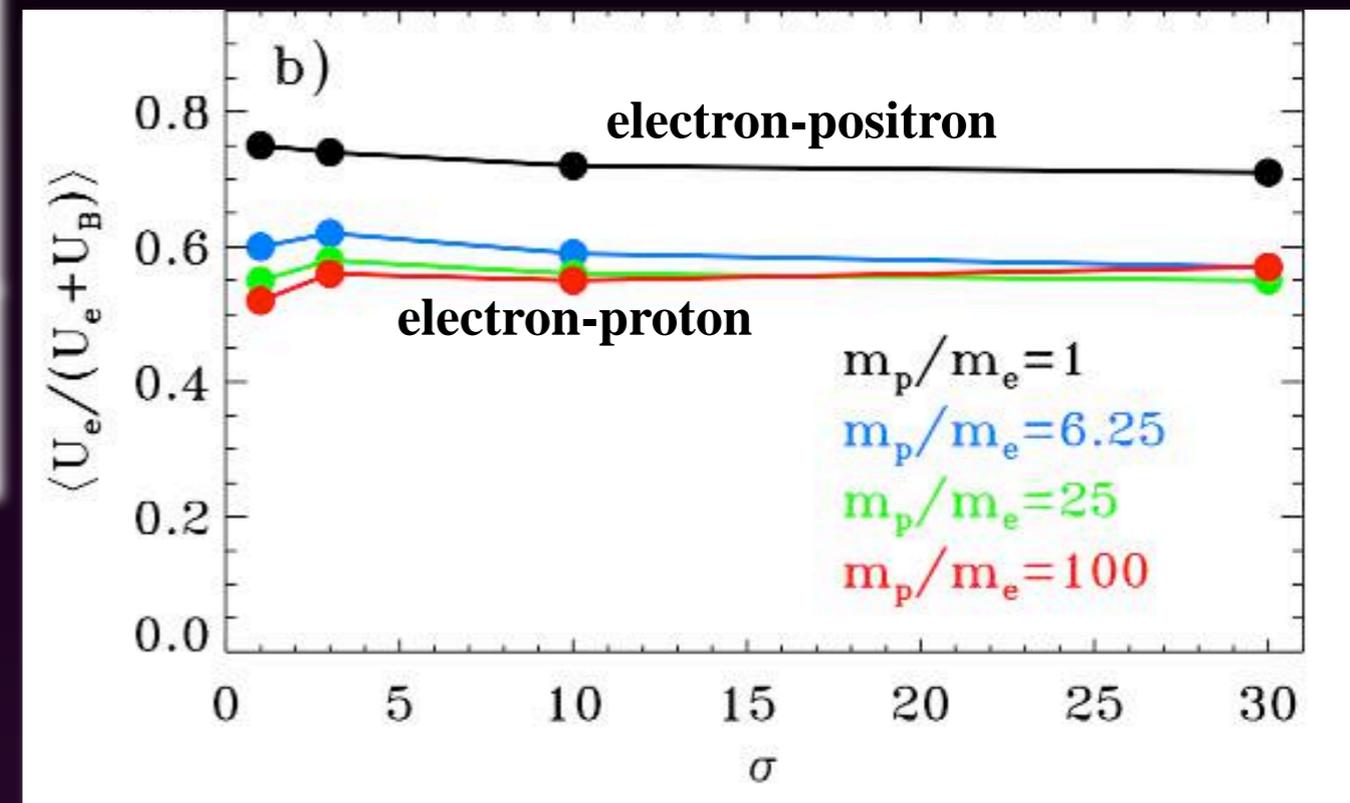
(Celotti+ 08)

Blazar phenomenology:

- rough energy equipartition between emitting particles and magnetic field

Equipartition parameter

$$\left\langle \frac{U_e}{U_e + U_B} \right\rangle$$

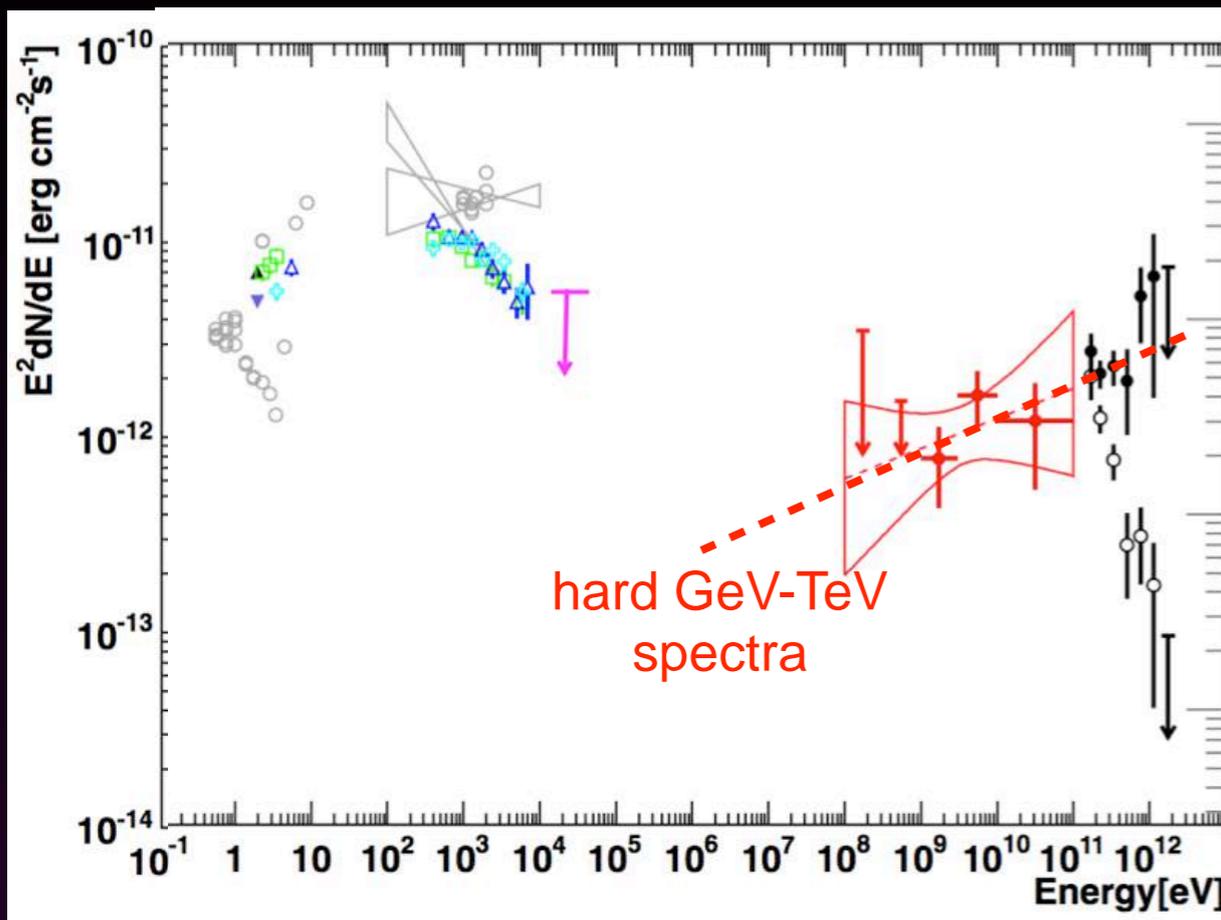


(Sironi+ 15)

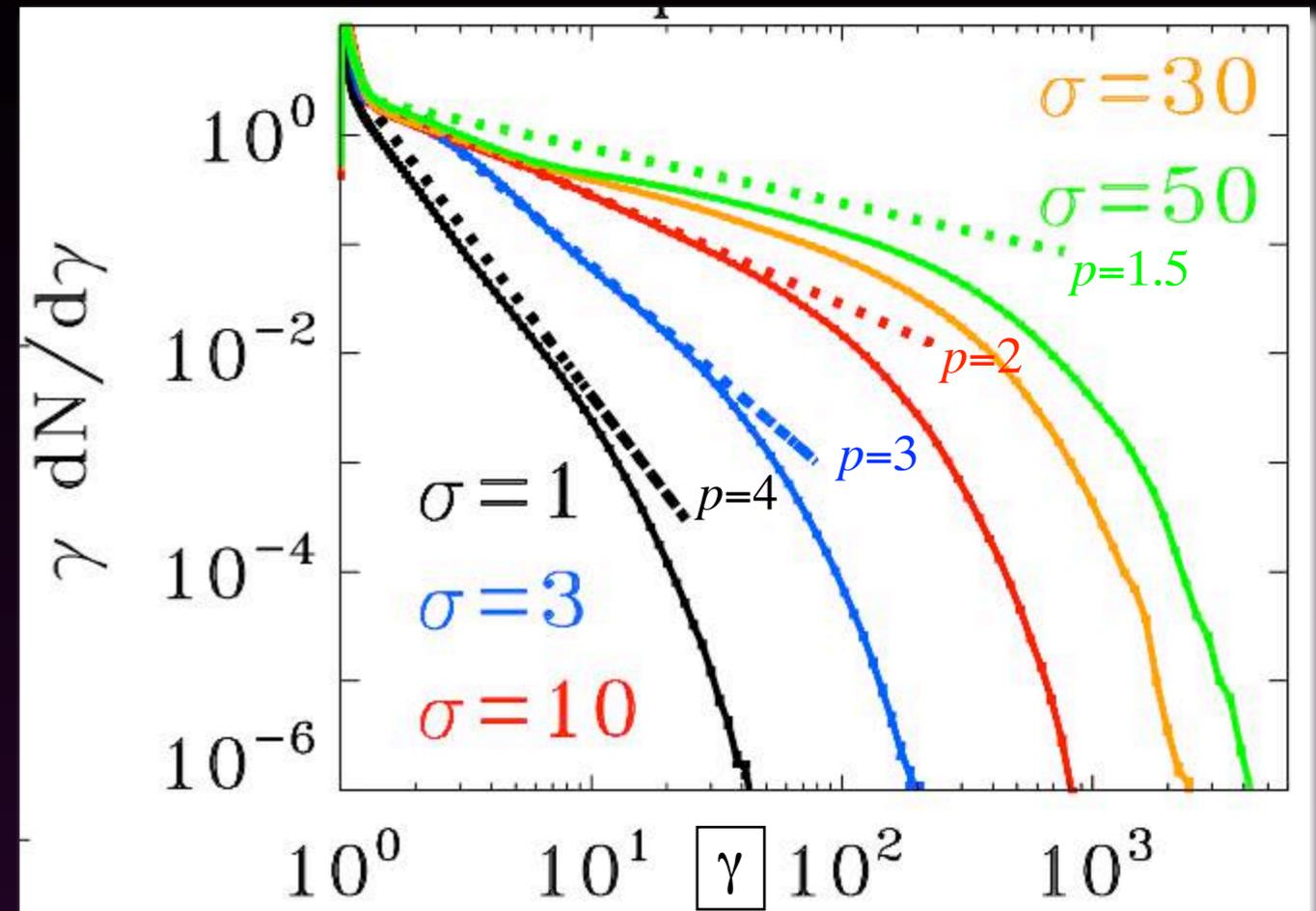
Relativistic reconnection:

- ✓ in the magnetic islands, it naturally results in rough energy equipartition between particles and magnetic field

(3) Extended non-thermal distributions



(HESS 11)



(LS & Spitkovsky 14, confirmed by Guo et al. 14, Werner et al. 14)

Blazar phenomenology:

- extended power-law distributions of the emitting particles, with hard slope

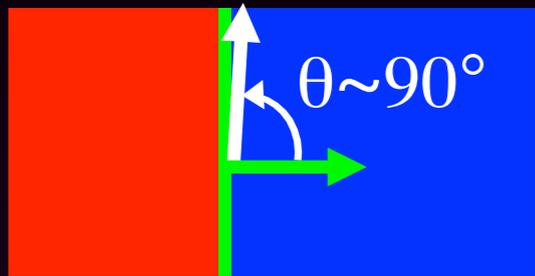
$$\frac{dn}{d\gamma} \propto \gamma^{-p} \quad p \lesssim 2$$

Relativistic reconnection:

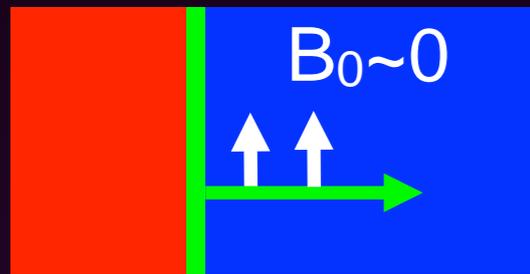
- ✓ it produces extended non-thermal tails of accelerated particles, whose power-law slope is harder than $p=2$ for high magnetizations ($\sigma > 10$)

Summary

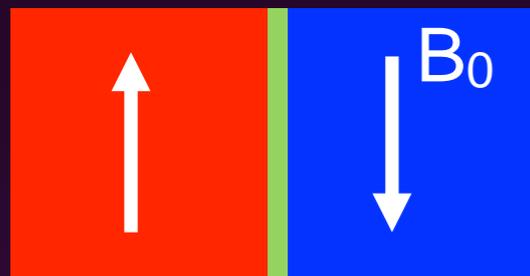
High-energy emission from relativistic jets:



- Internal shocks in blazars and GRB jets: Since they are significantly magnetized ($\sigma > 10^{-3}$) and quasi-perpendicular, they are poor particle accelerators.



- External shocks in GRBs: Weakly magnetized ($\sigma < 10^{-3}$) shocks can be efficient particle accelerators ($\sim 1\%$ by number, $\sim 10\%$ by energy). The maximum energy grows slowly, as $\gamma_{\max} \propto t^{1/2}$.



- Magnetic reconnection in magnetically-dominated flows ($\sigma \gg 1$) satisfies all the basic conditions for the emission: it is fast and efficient, can produce non-thermal populations with a power-law slope $p \sim 1 \div 2$, and results in rough energy equipartition between particles and fields.