

The link between magnetic fields and cloud/star formation



Hua-bai Li

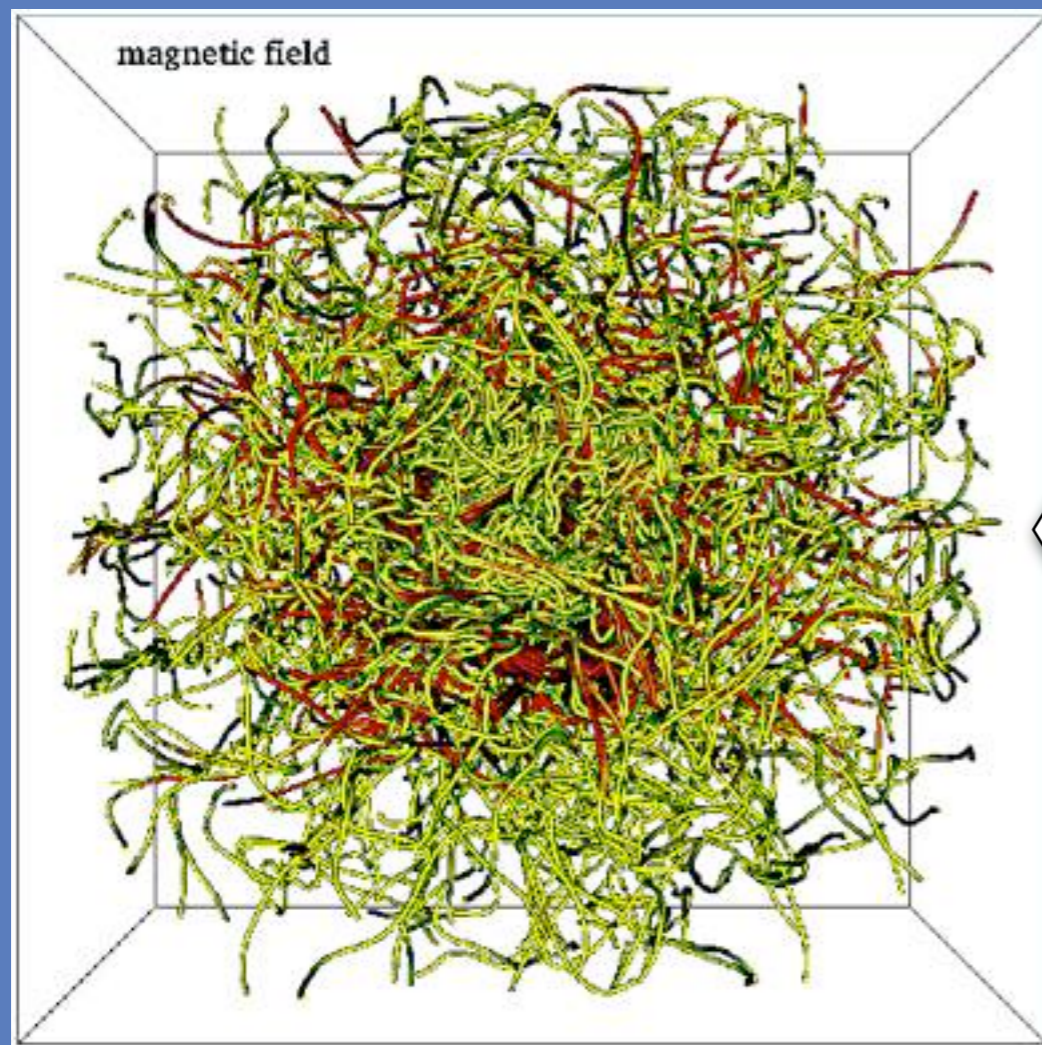


香港中文大學

The Chinese University of Hong Kong

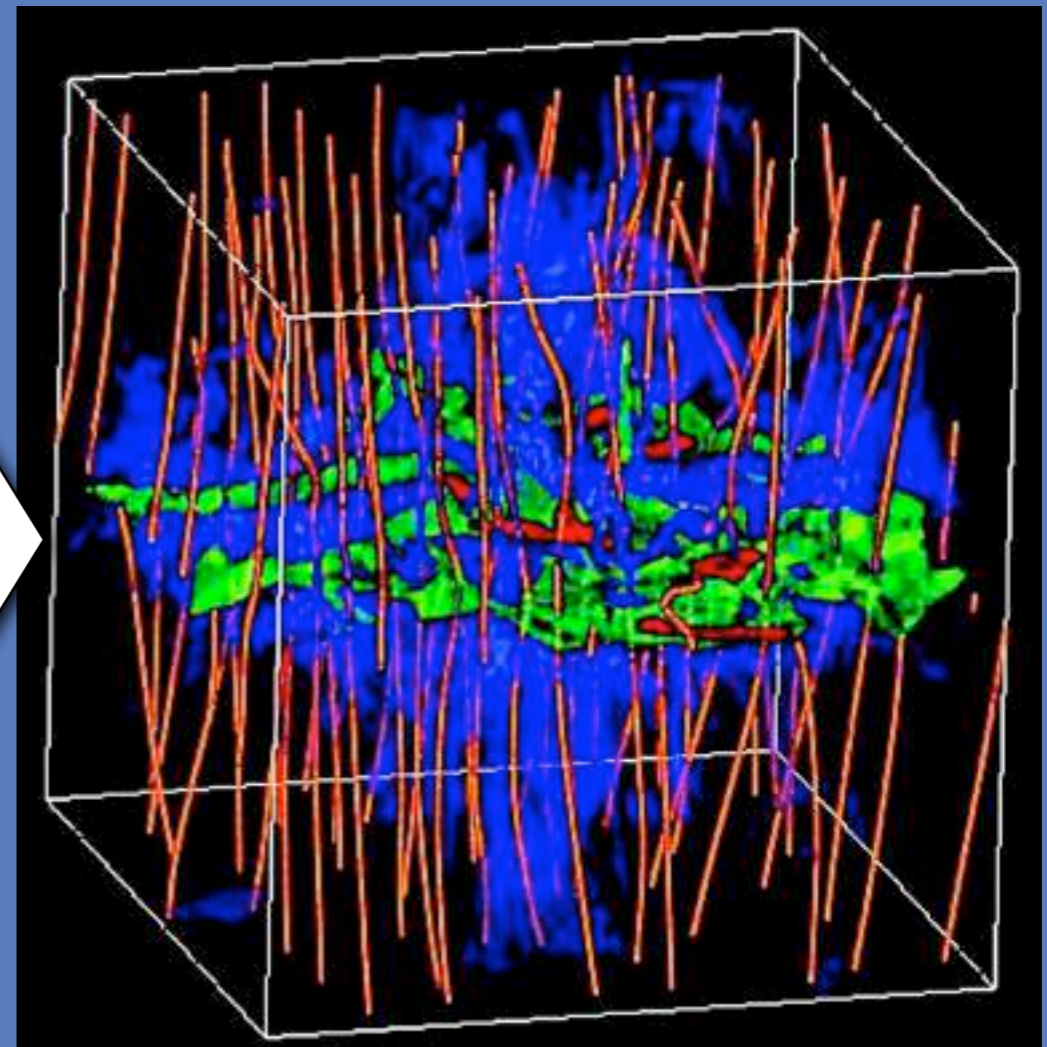
Cloud magnetic-field (B-field) morphologies

1. which morphology is closer to reality?



Federrath+, *ApJ* 2011

or



Nakamura & Li, *ApJ* 2008

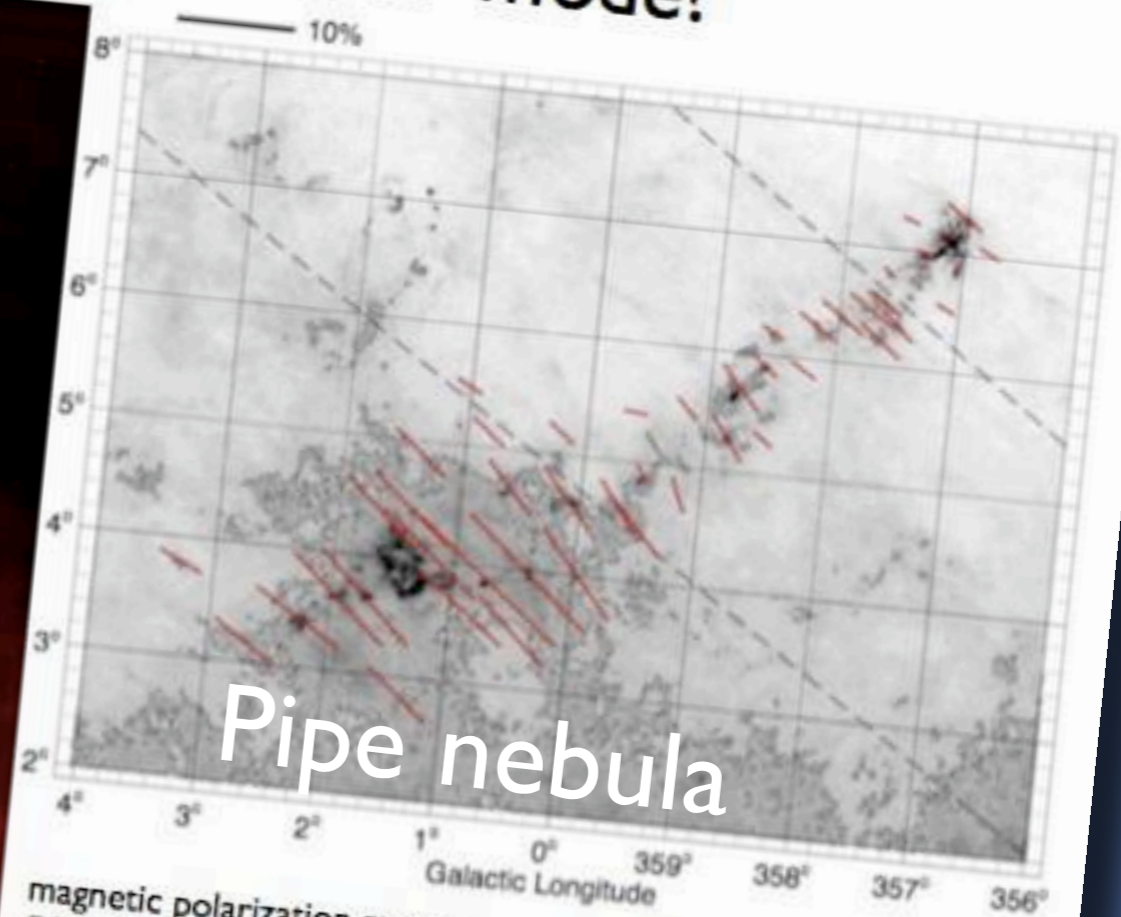
2. consequences of the field morphology on:
gas velocity, cloud shapes, fragmentation, etc

Motivation

what is the more important SF mode?



Orion



Pipe nebula

magnetic polarization measurements in the Pipe nebula
F.O.Alves, Franco, Girart 2008

→ numerical modelling of MC formation
out of differently magnetized ISM

Orion Nebula, Spitzer obs. (T. Megeath)

Observation tools



Dust grain alignment:

a grain spins along the short axis, which precesses around B fields

how to observe

results

note

polarization of dust thermal emission

$\perp B$

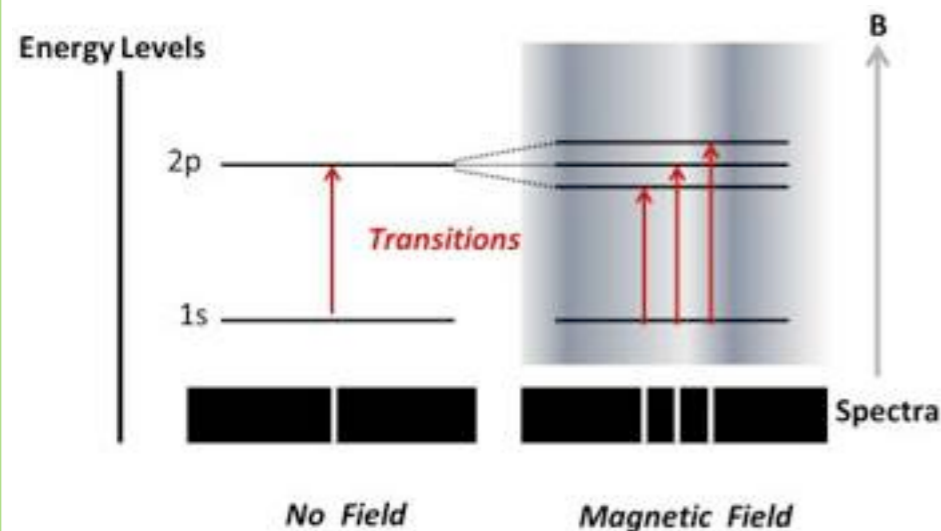
$A_v > 100$ mag

polarization of background star light

$// B$

$A_v < 5$ mag

Zeeman effect



freq. splitting of *circular* line polarization

B_{los}

difficult due to small B

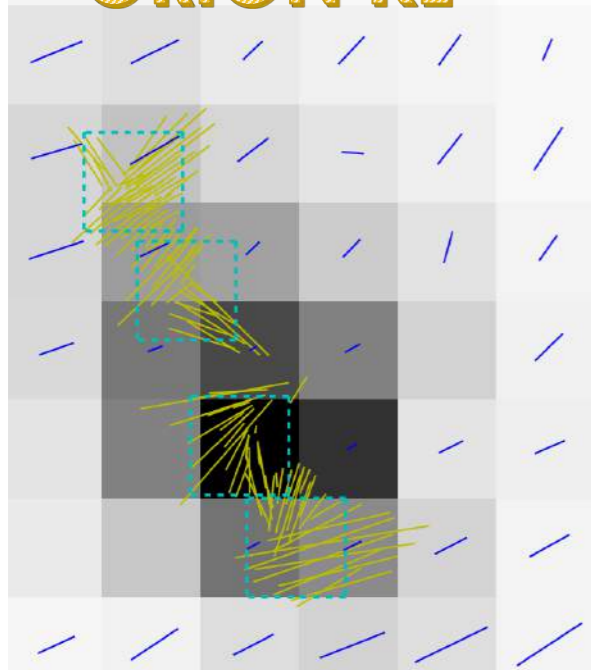
linear line polarization

\perp or $//$
 B

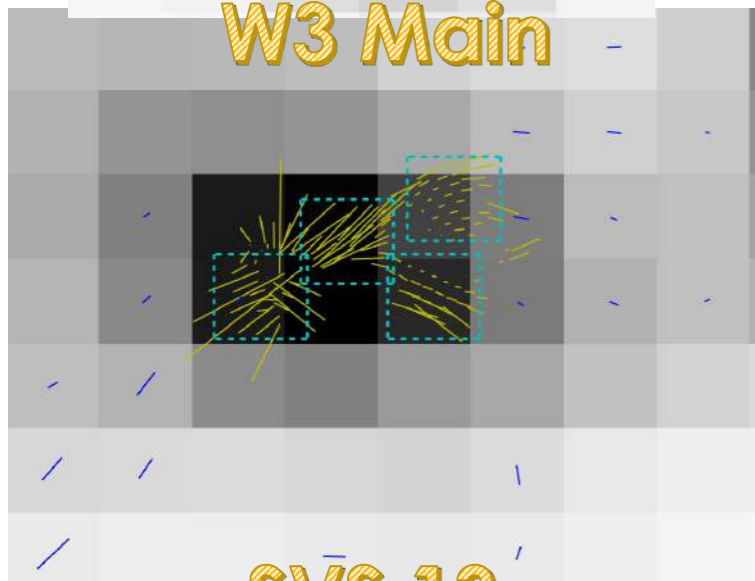
Goldreich-Kylafis effect

Polarization Holes

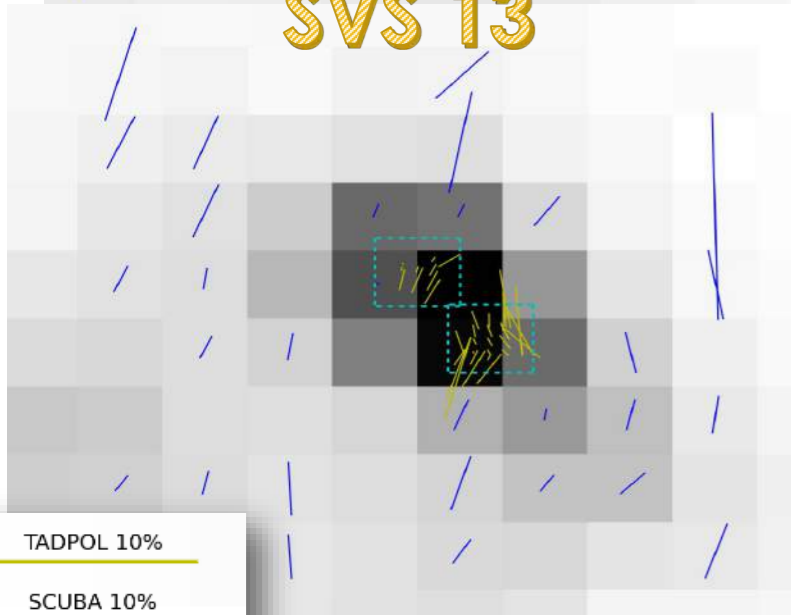
ORION KL



W3 Main

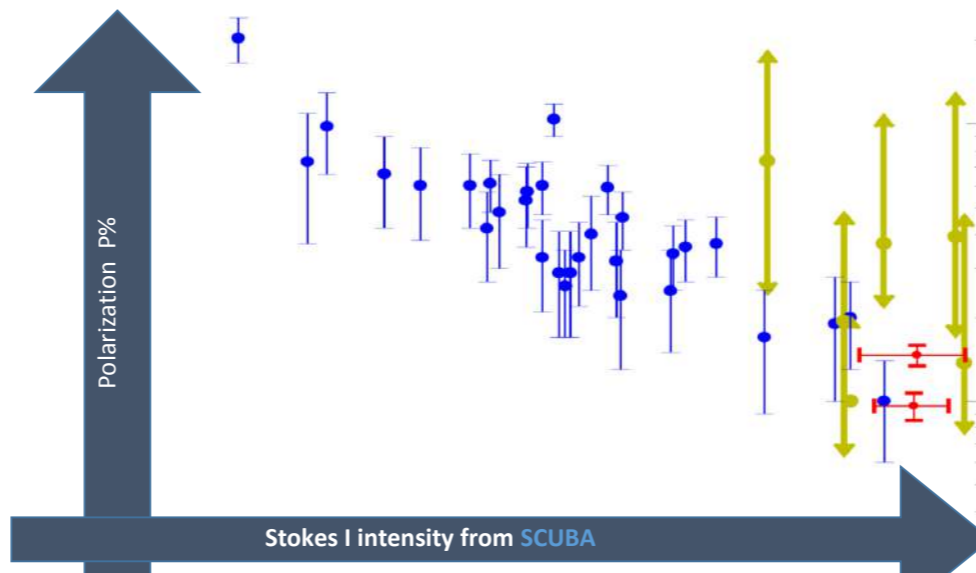
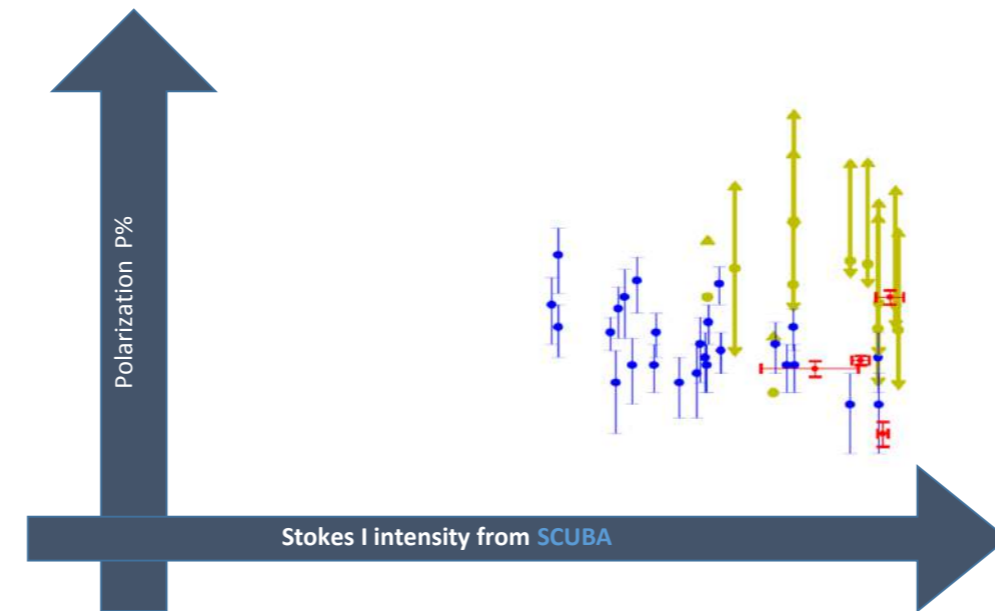
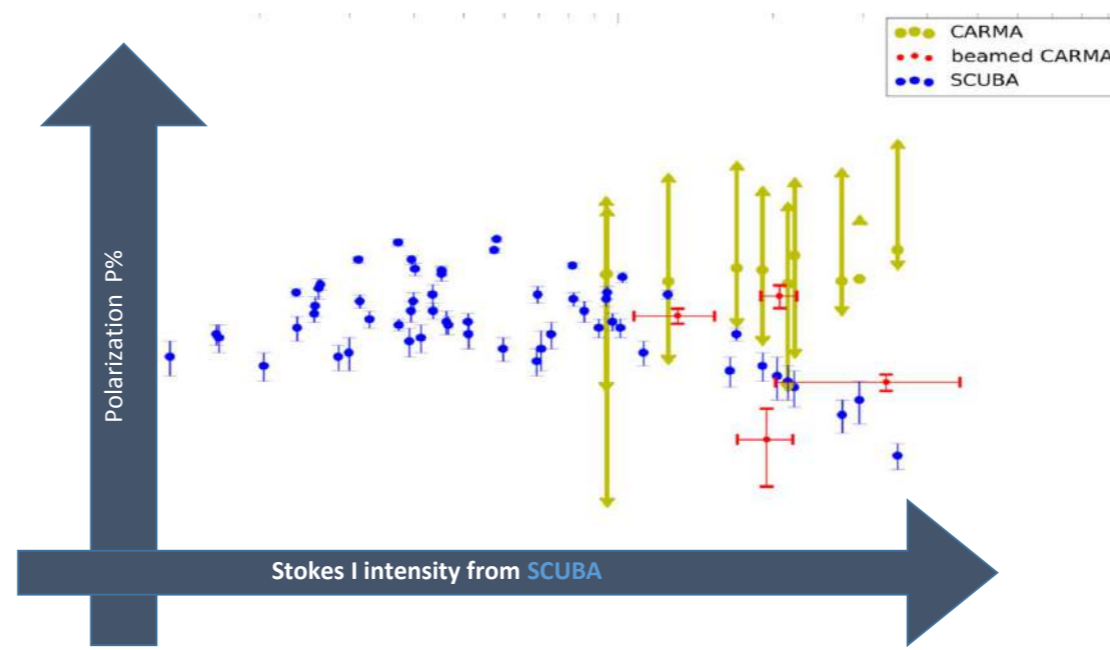


SVS 13



TADPOL 10%

SCUBA 10%



Tang & Li in prep.

Polarization Holes

Tang & Li in prep.

$$\Sigma \propto l_{\text{los}}^{\beta}$$

Higher column density Σ

$$\sigma_v \propto l_{\text{los}}^{\alpha}$$

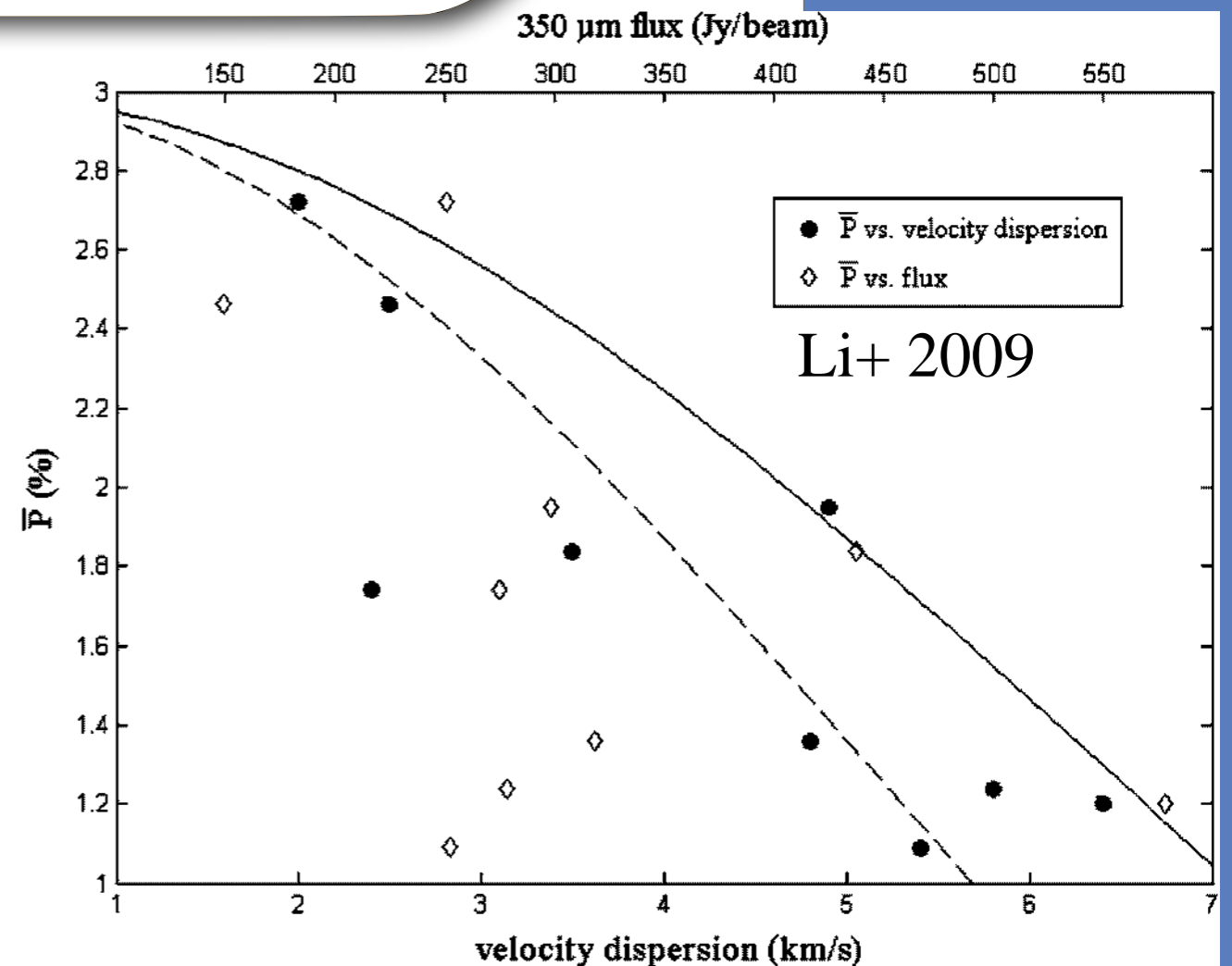
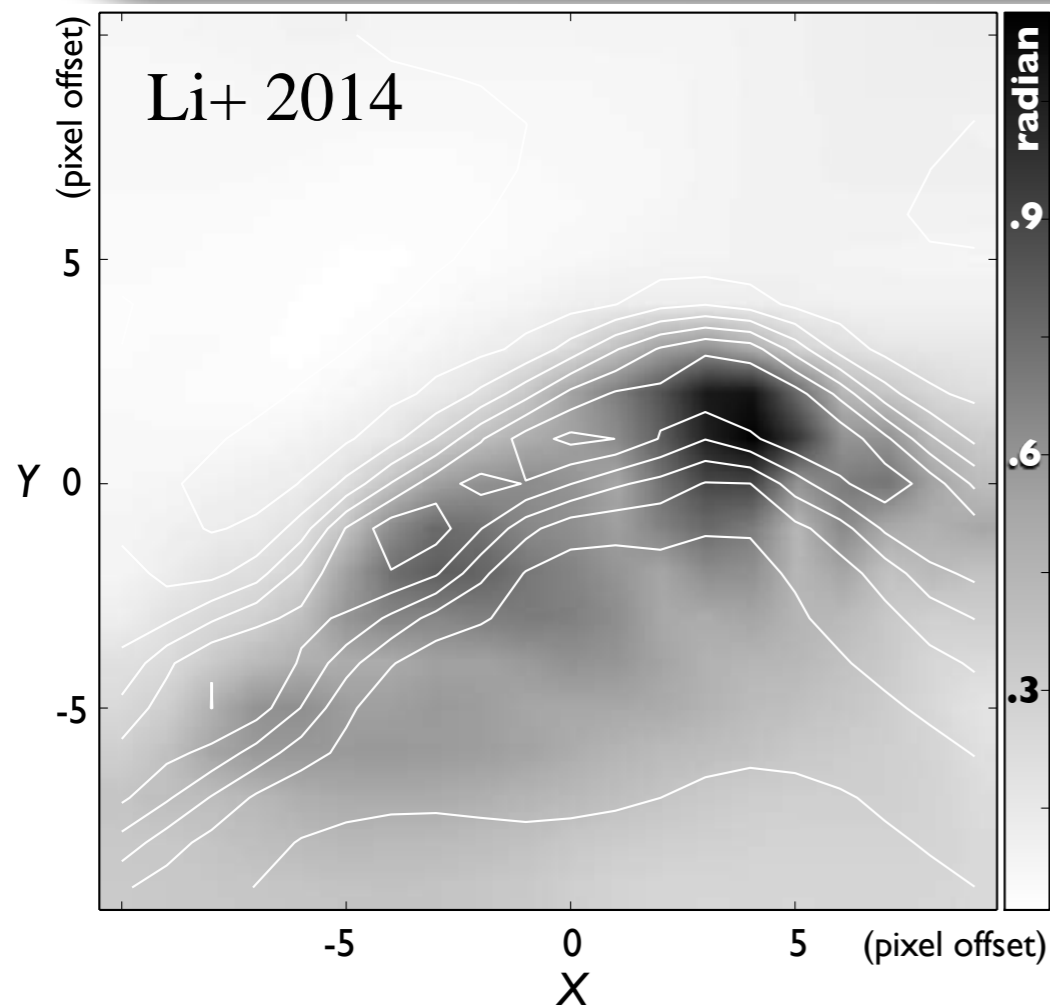
→ more turbulent energy σ_v

$$\delta \phi = \sqrt{4\pi\rho} \frac{\sigma_v}{|B_{\text{pos}}|}$$

→ more fluctuation of B-field $\delta \phi$ along line of sight!

→ **LOWER** degree of polarization

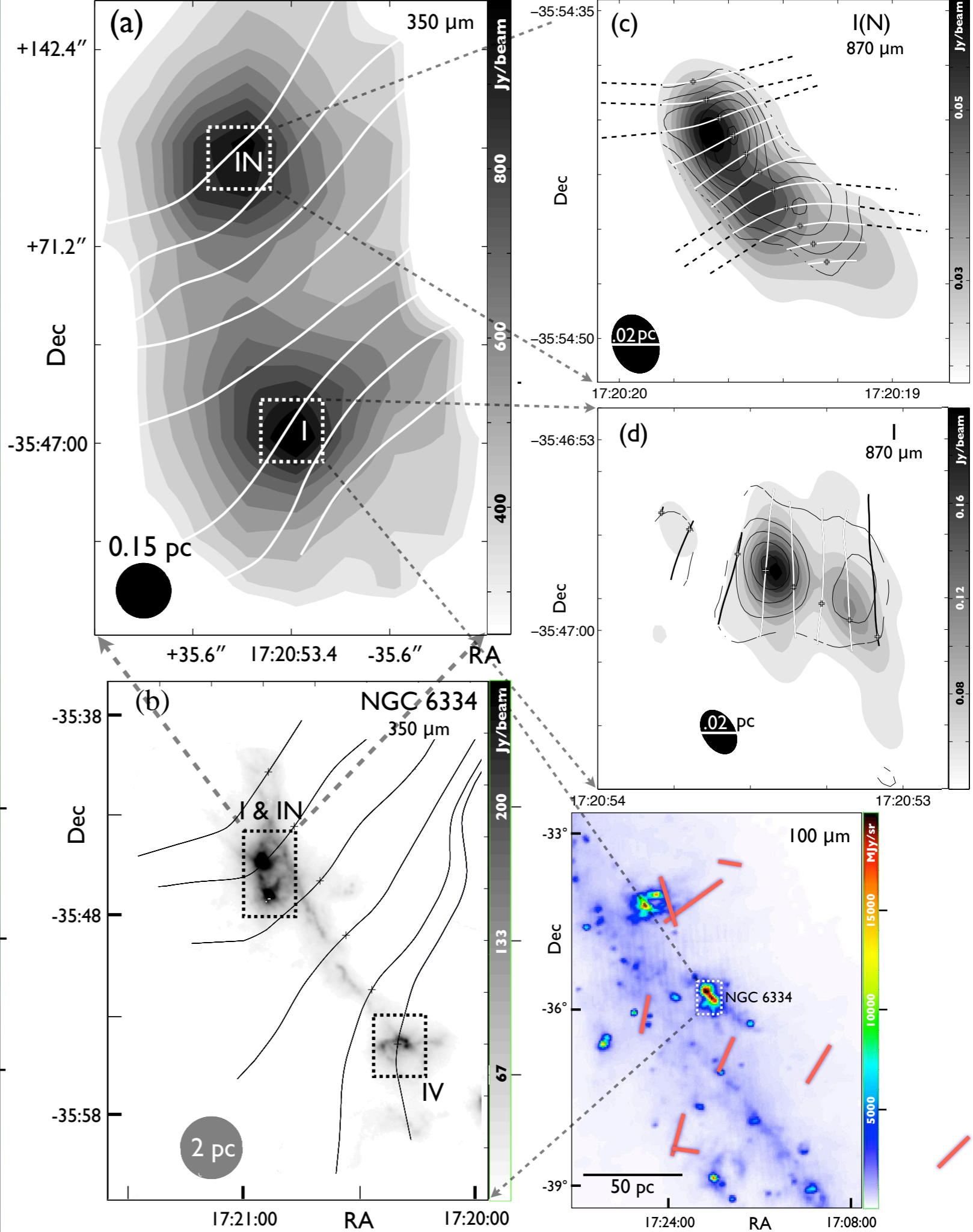
→ A simpler argument without involving alignment efficiency



FIRST MULTISCALE STUDY of CLOUD MAGNETIC FIELDS from 10^2 to 10^{-2} pc

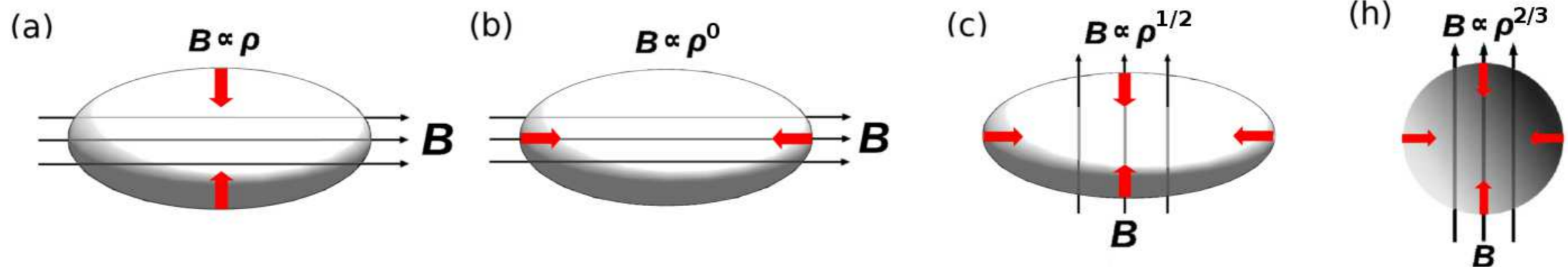
NGC 6334

Li, Yuen, Otto, Leung, Tang, Zhang+
2015

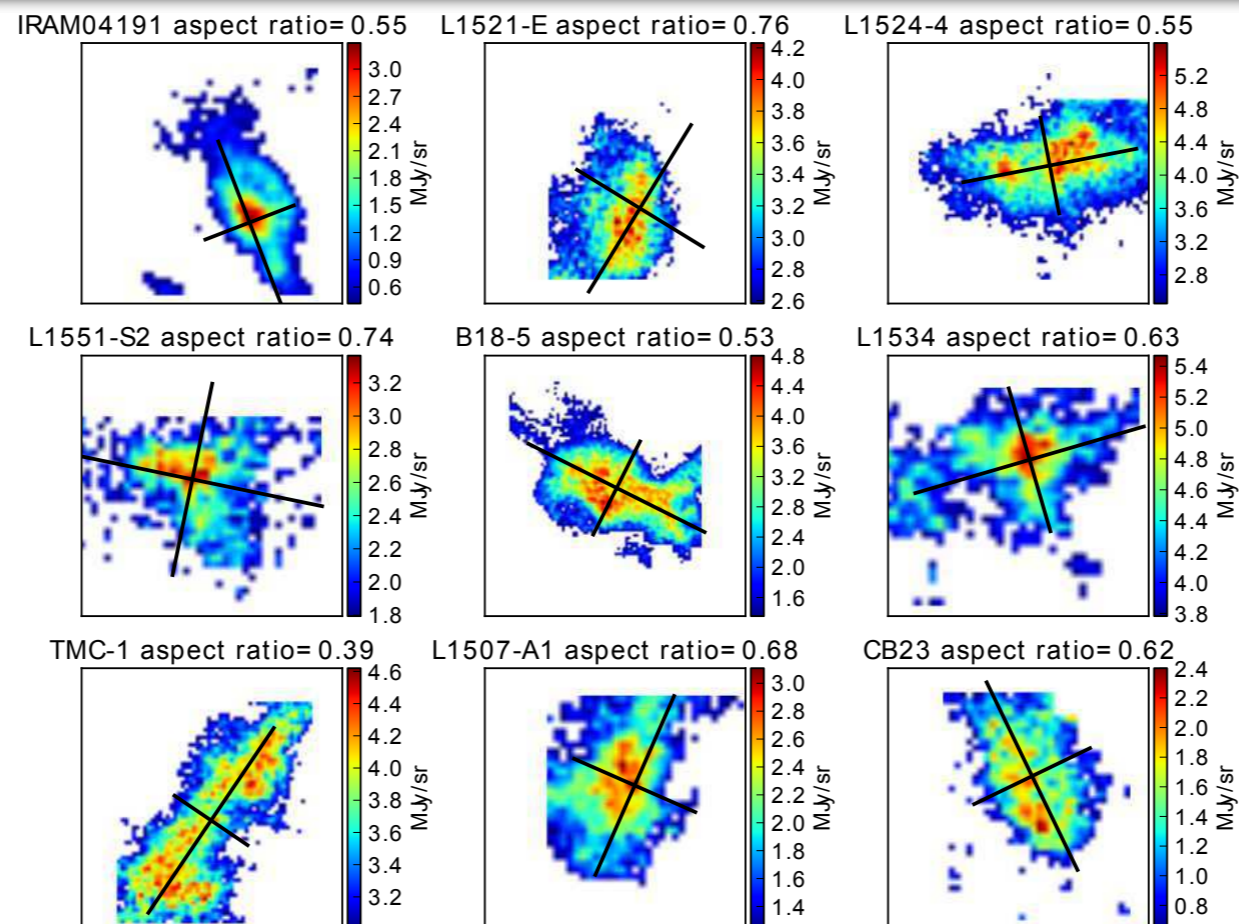


Clump shapes and B-ρ relations

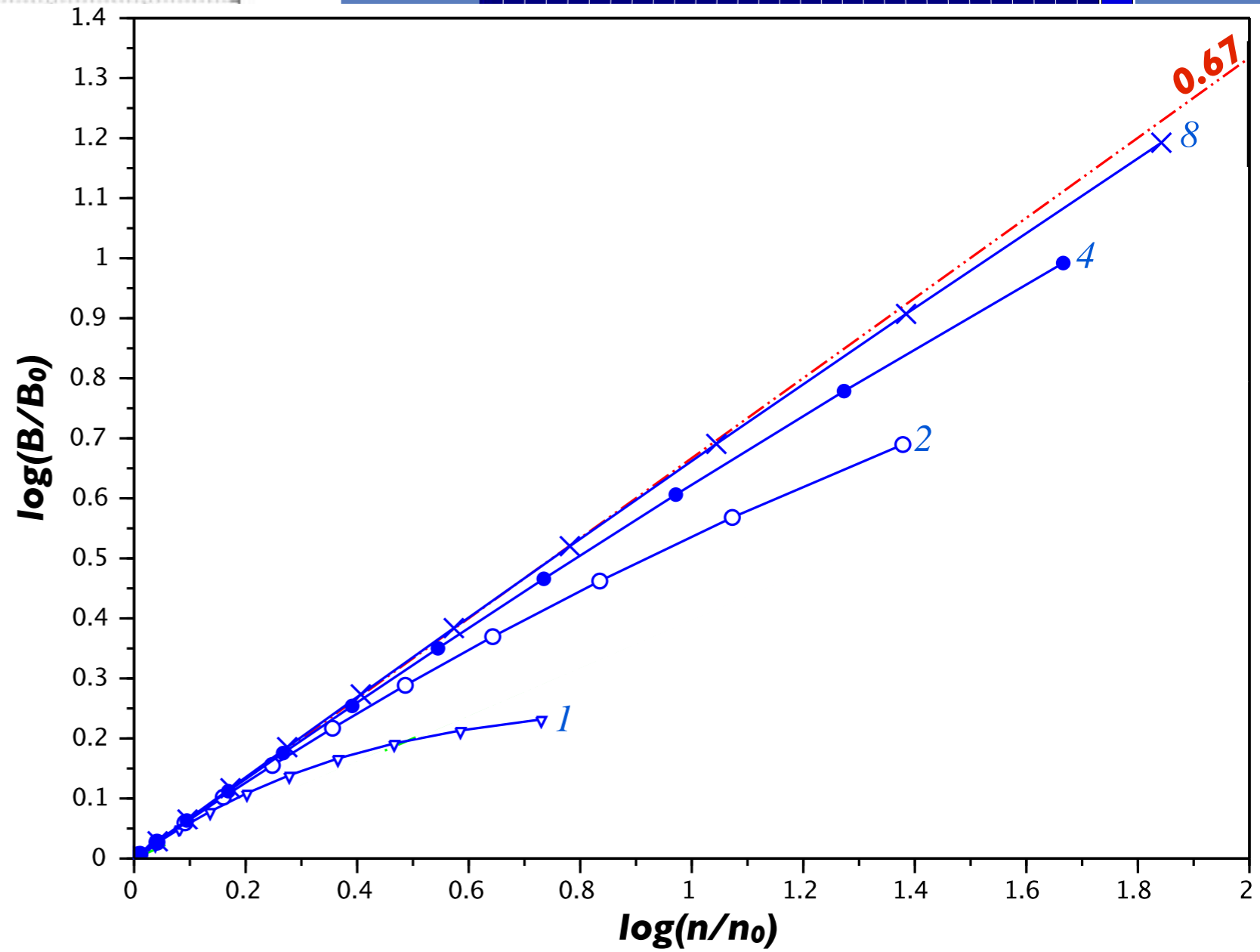
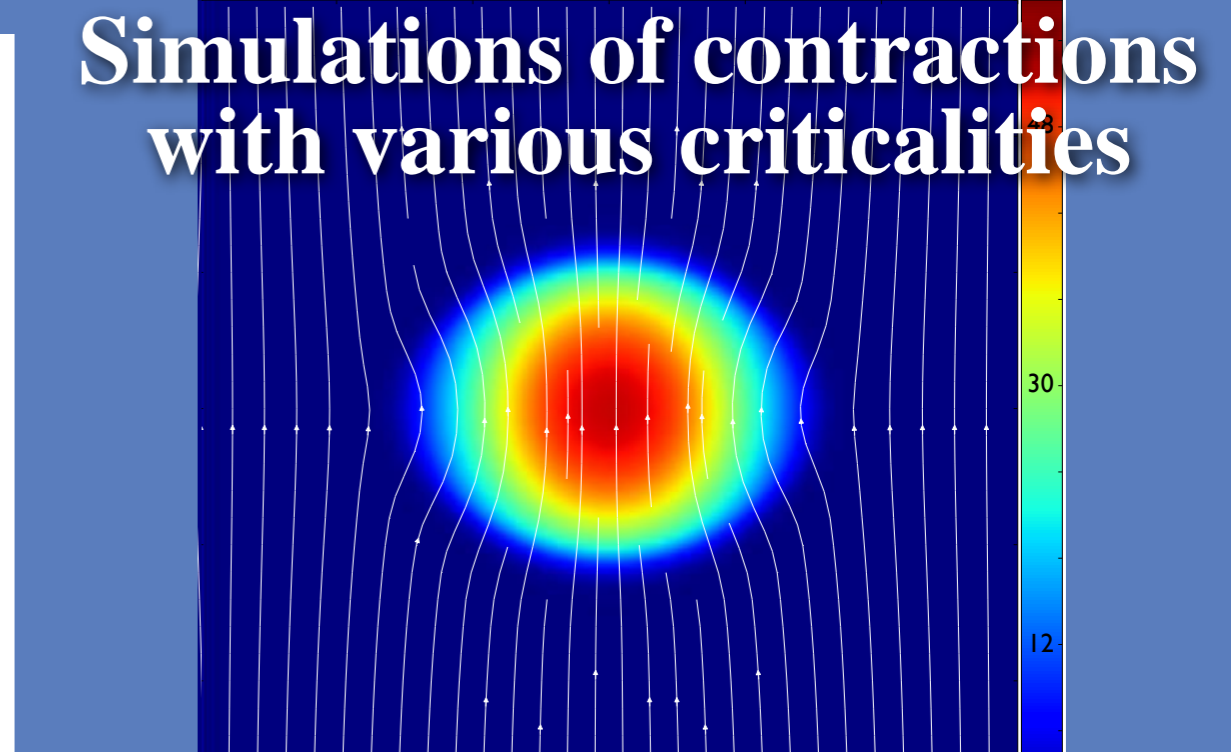
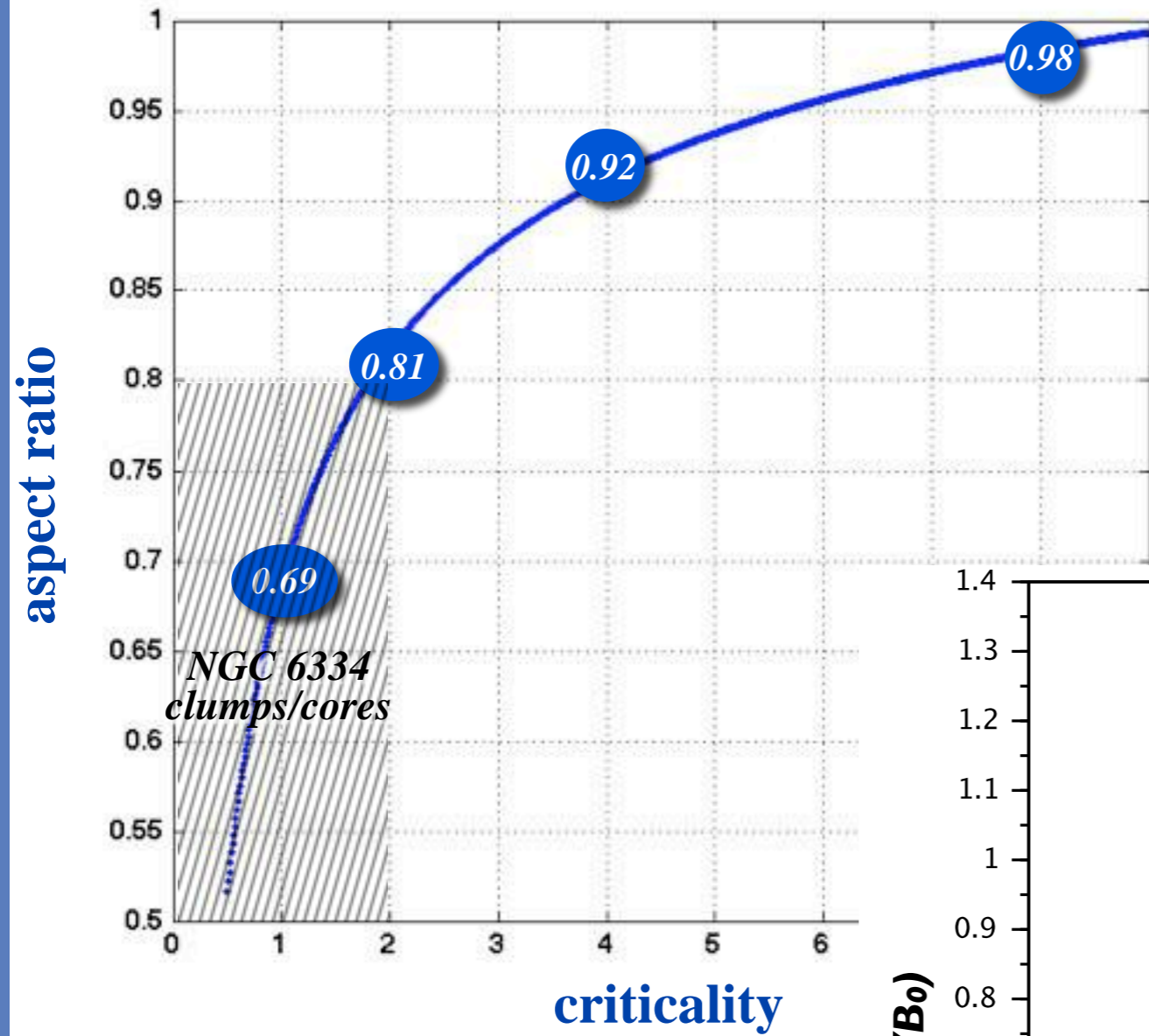
Tritsis et al. (2015)

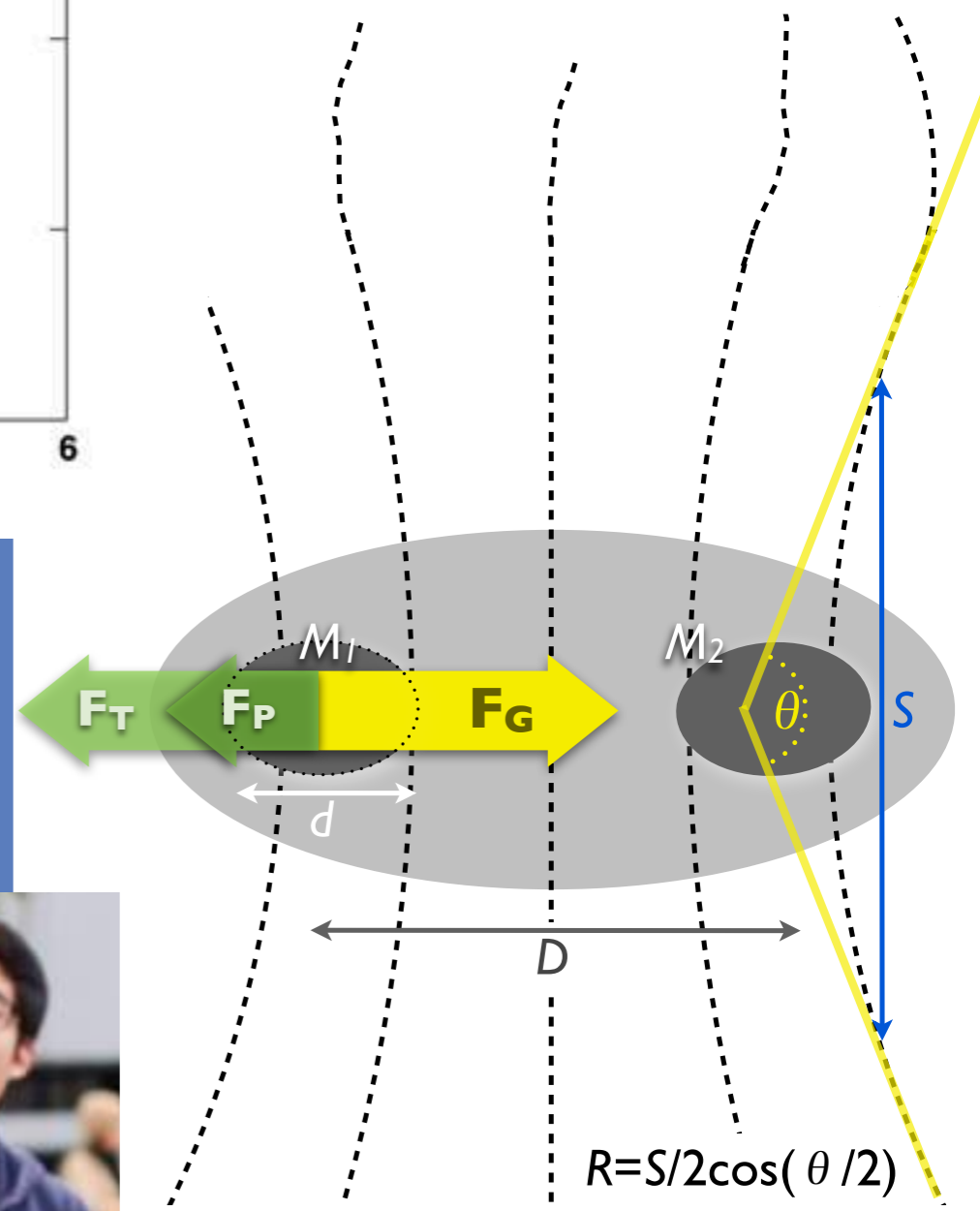
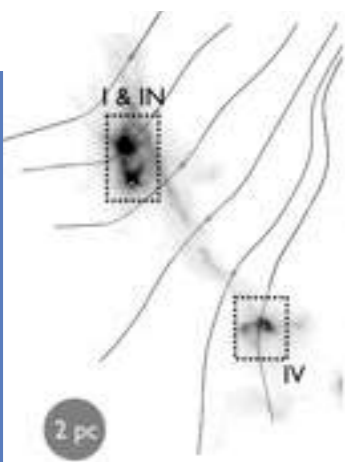
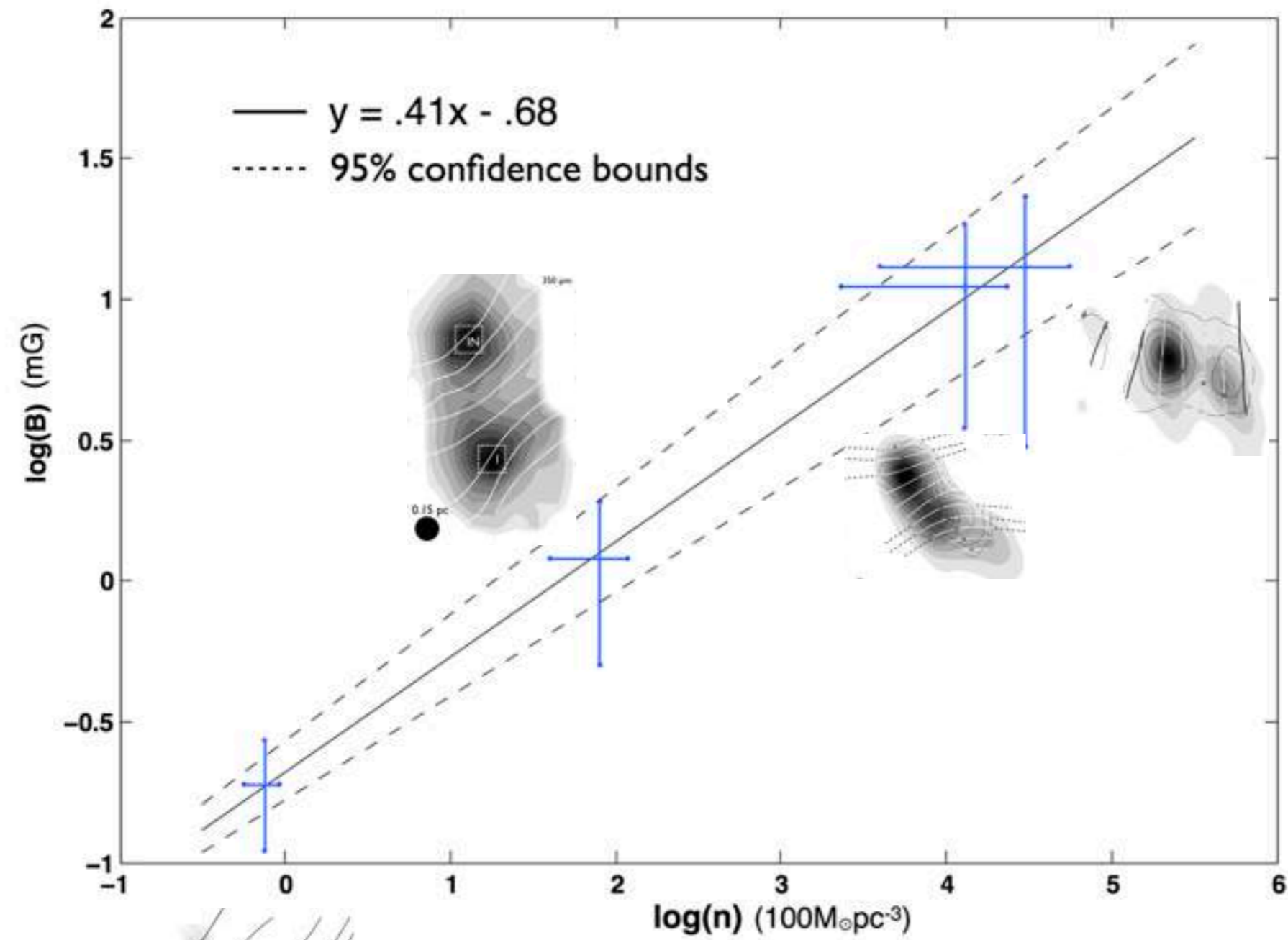


Black arrows represent the direction of the magnetic field and bold red arrows the contraction. The $B \propto \rho^{2/3}$ relation is uniquely associated with spherical contraction



Simulations of contractions with various criticalities

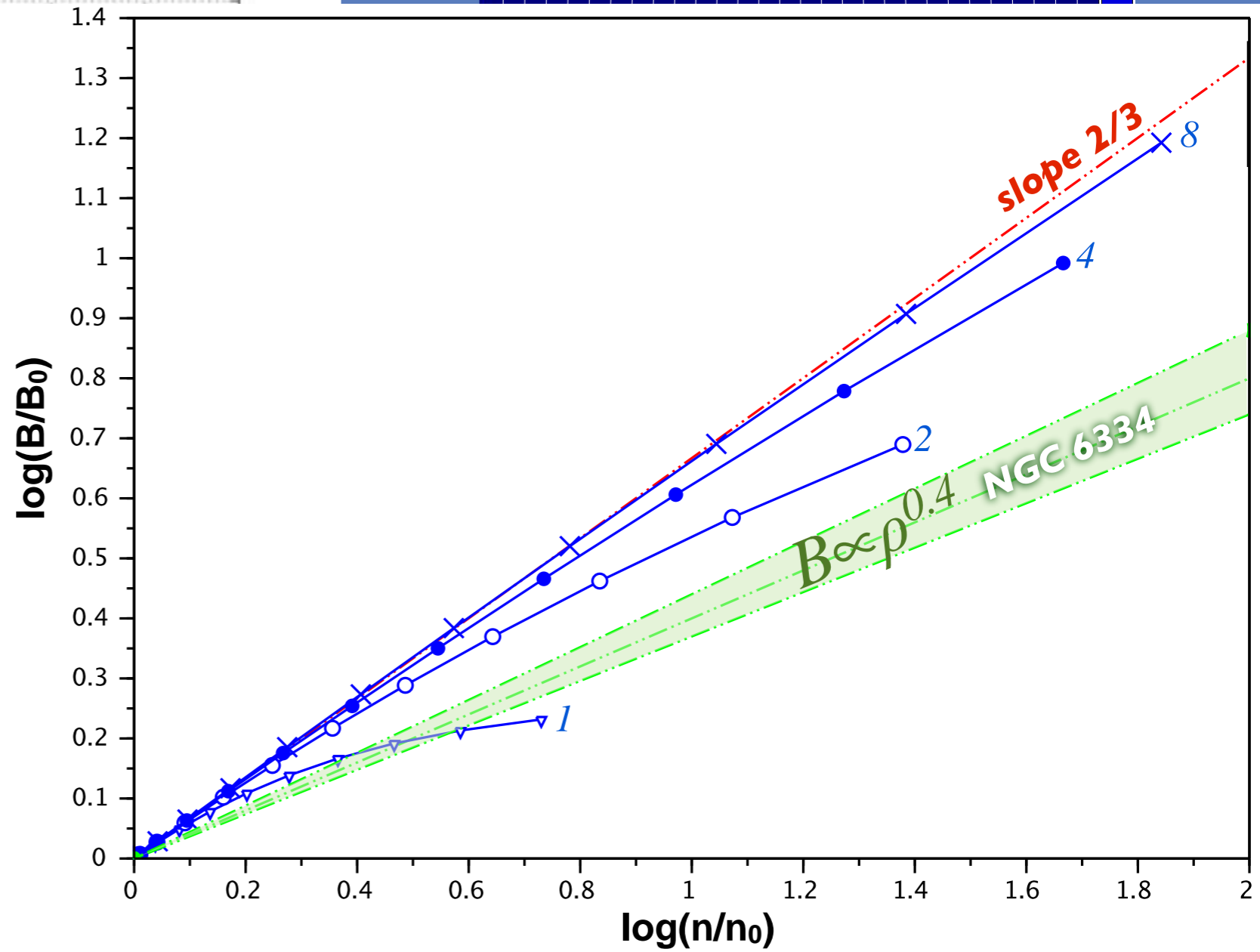
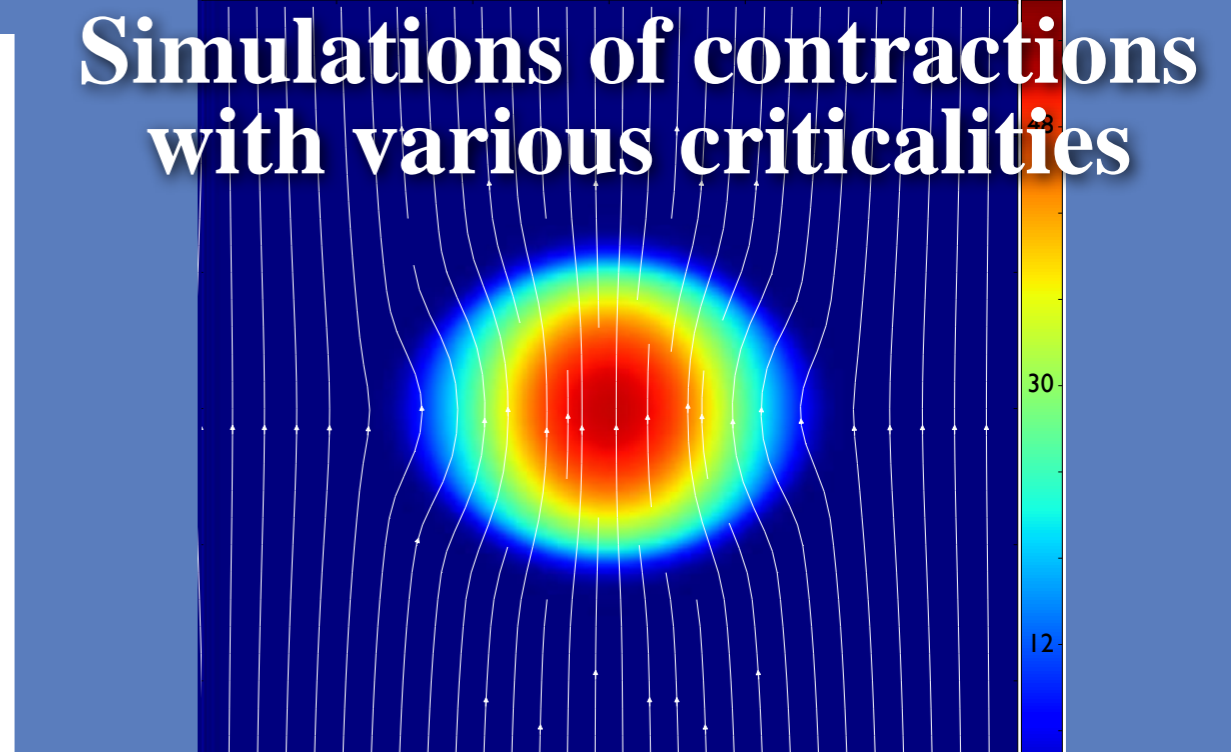
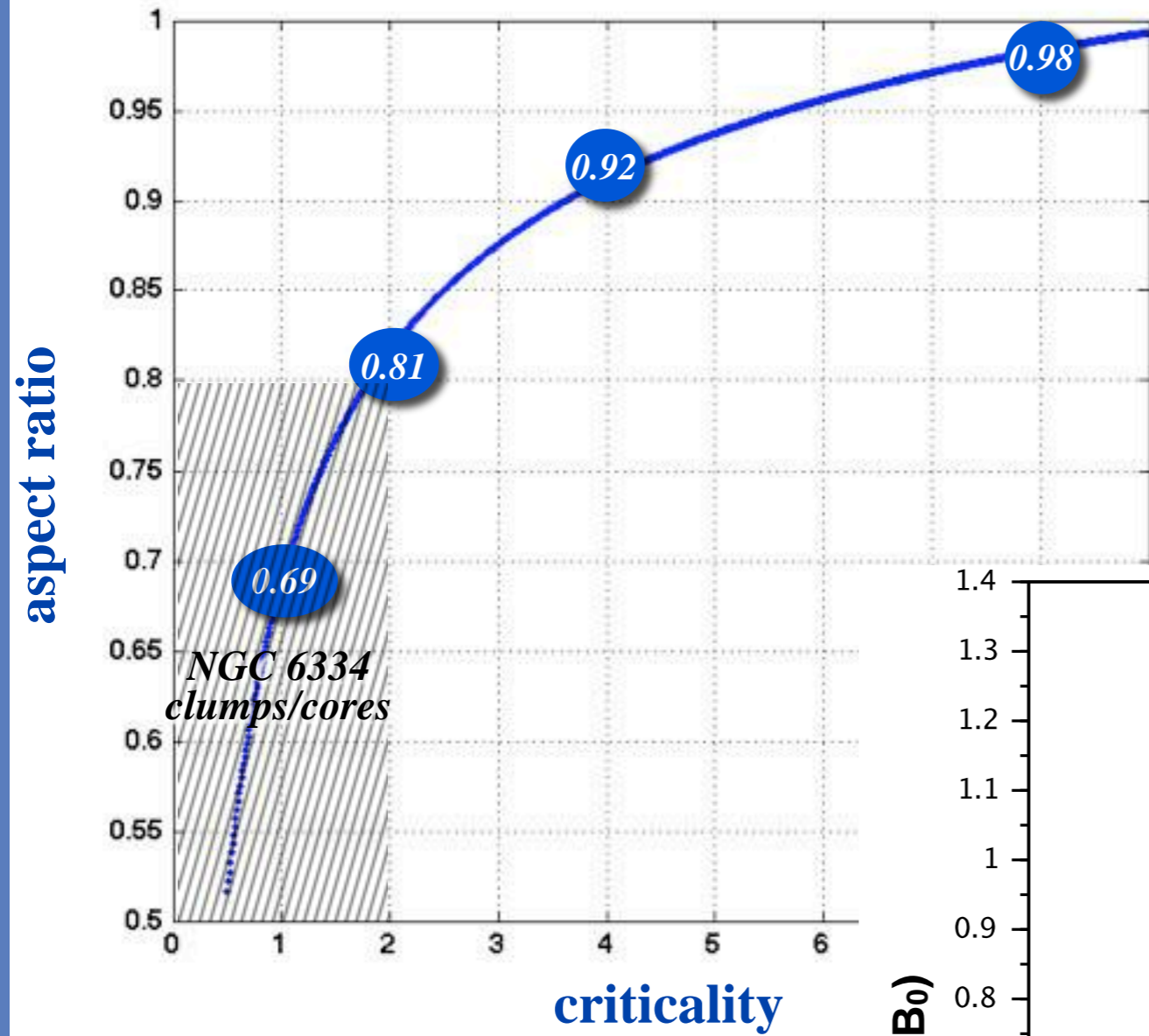




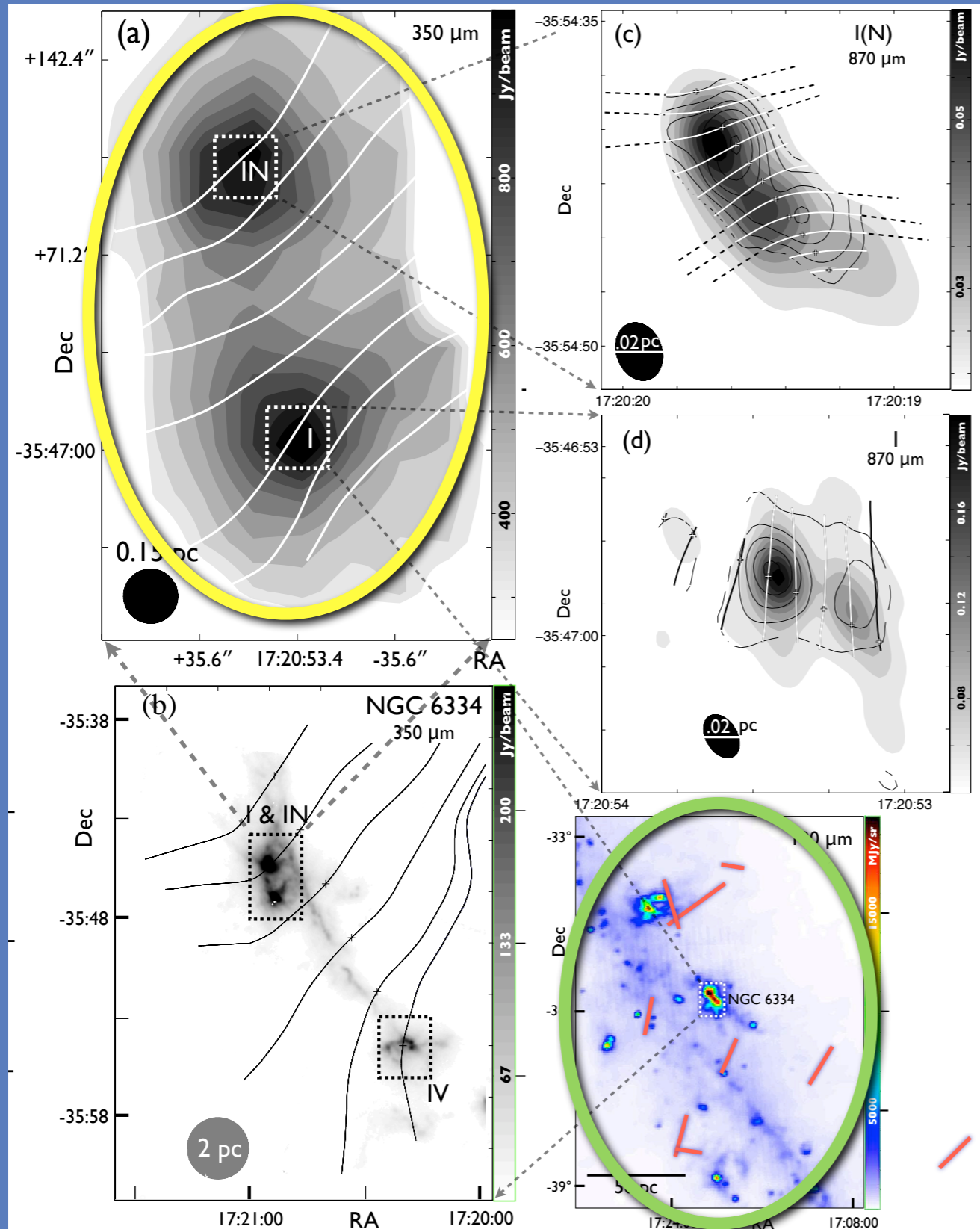
Li, Yuen, Otto, Leung, Tang, Zhang+
 2015



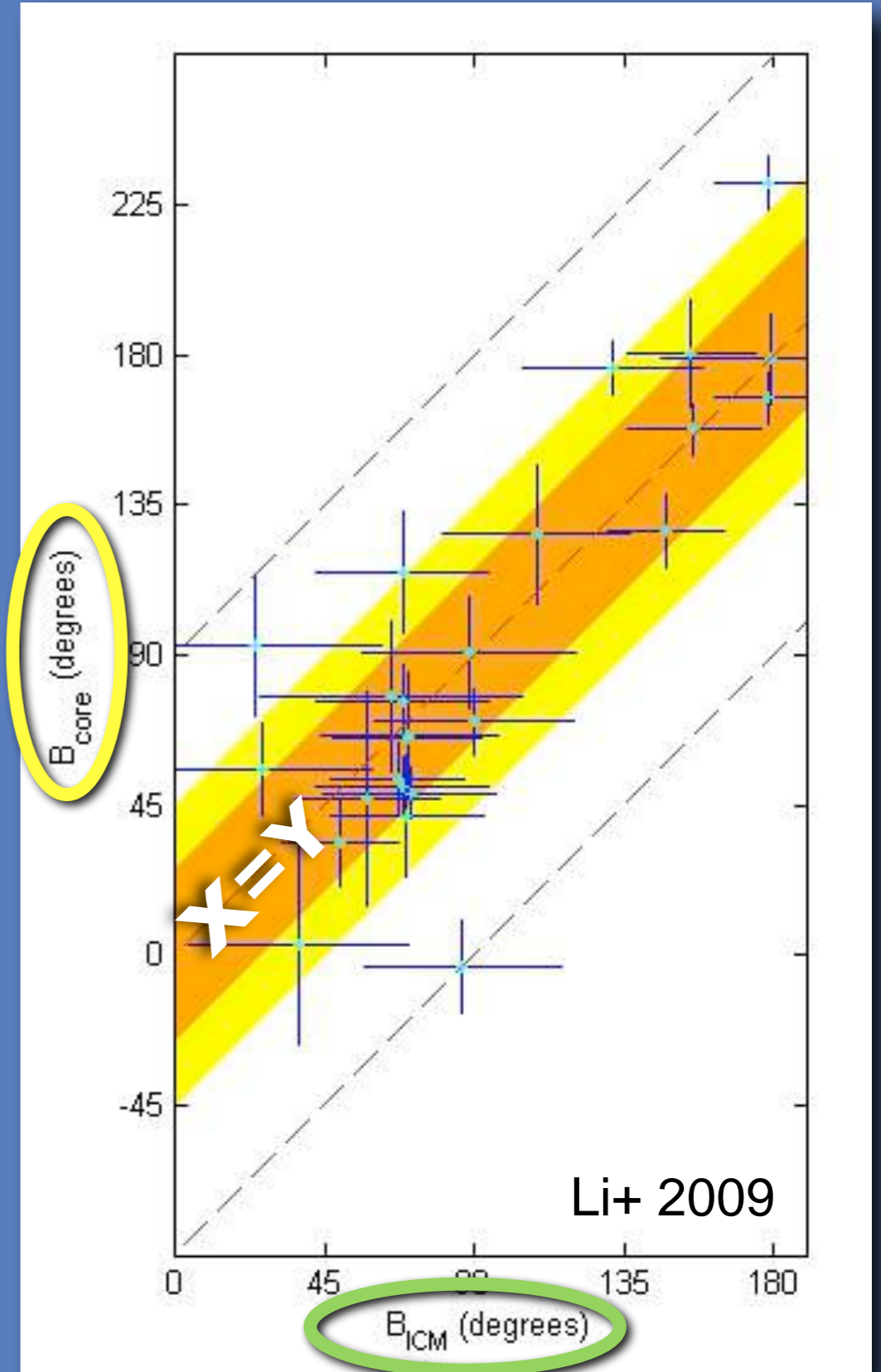
Simulations of contractions with various criticalities



NGC 6334 is a special case?

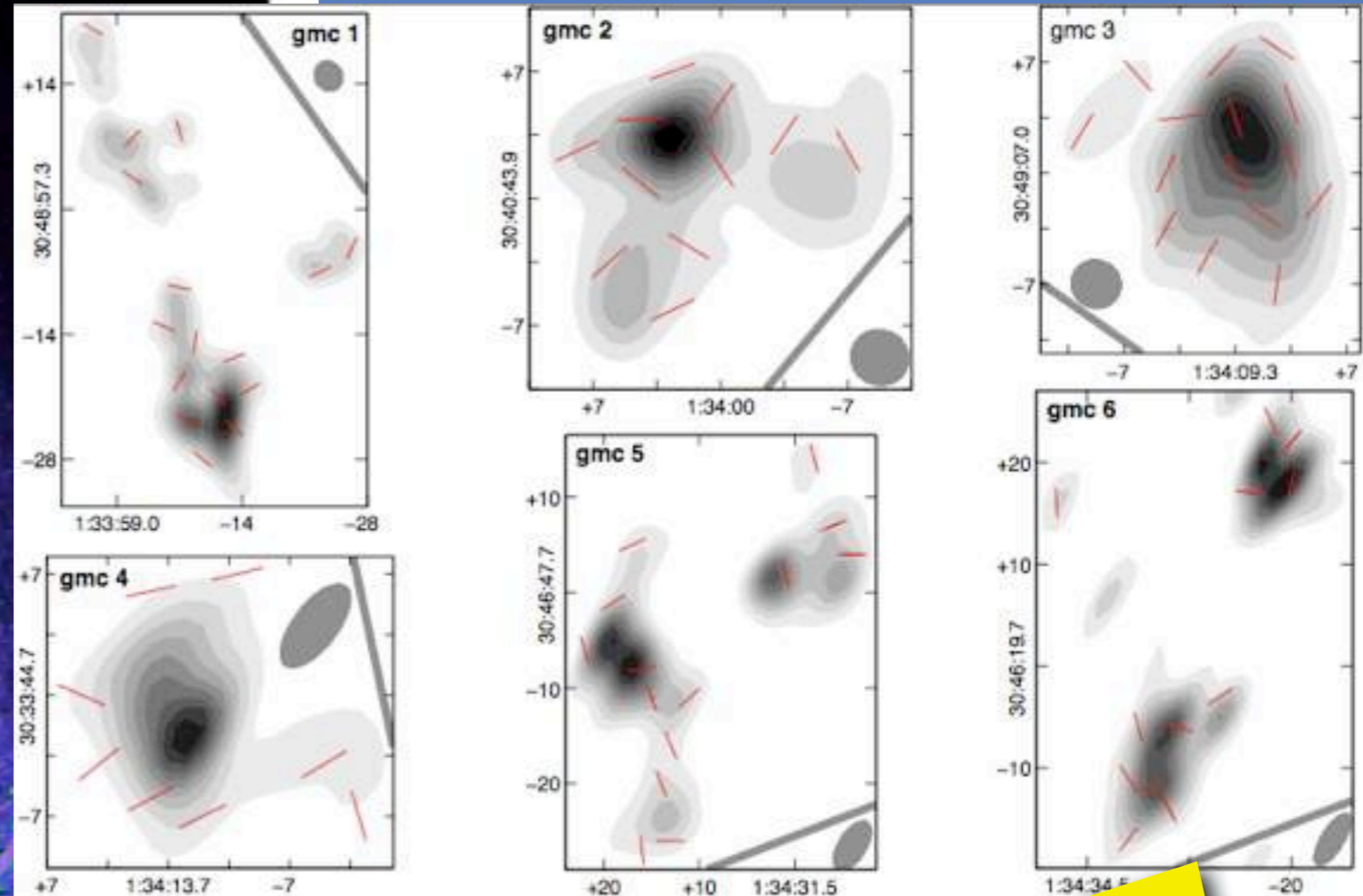
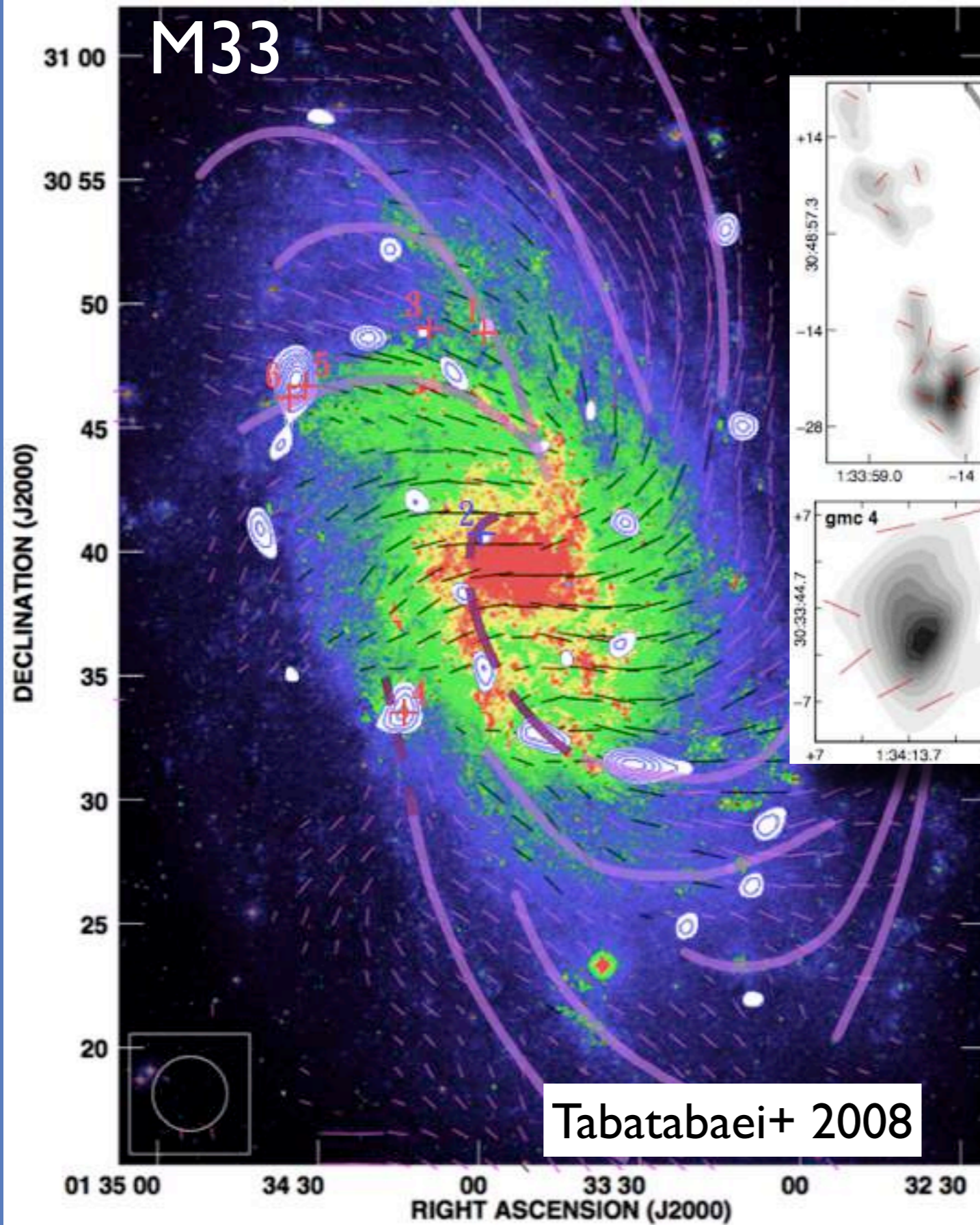


Probably not!



Milky Way is a special case?

The first Bird's-eye View of MC B-fields
Goldreich-Kylafis effect (CO):

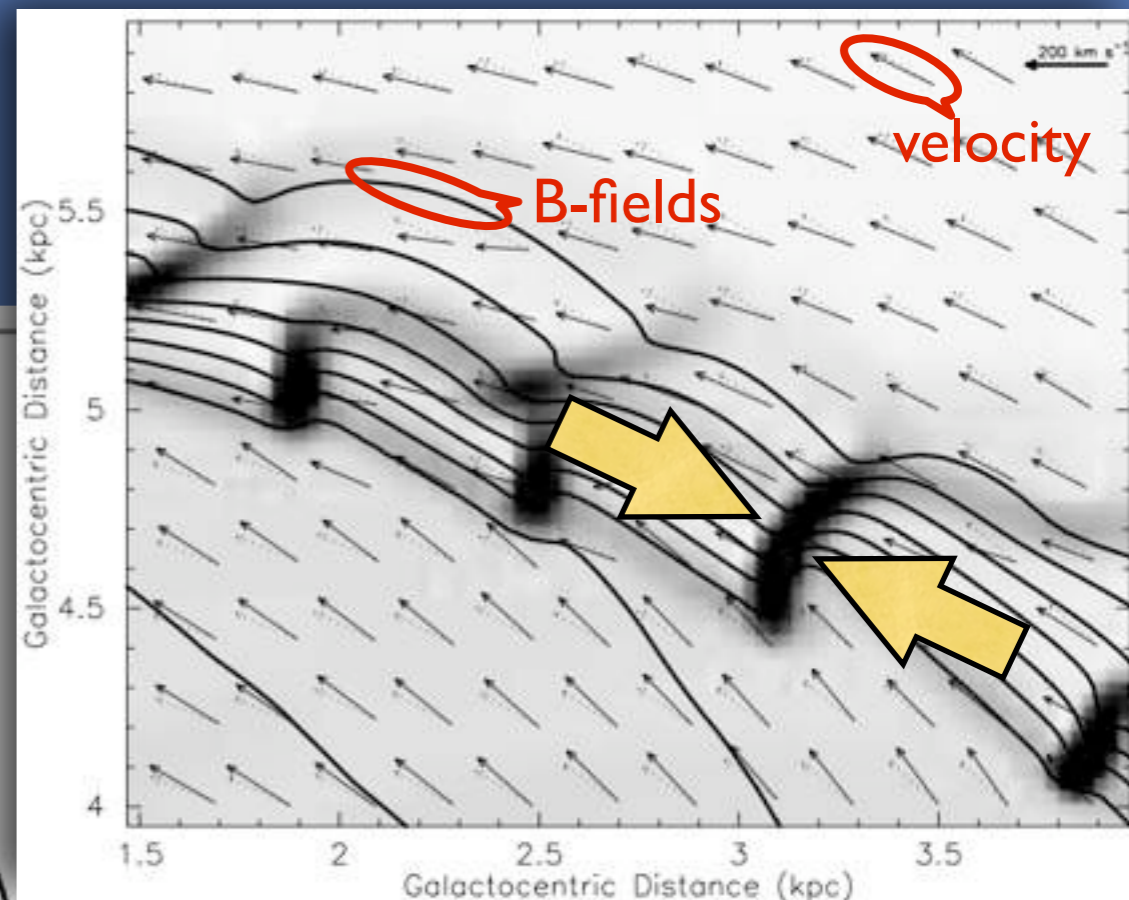
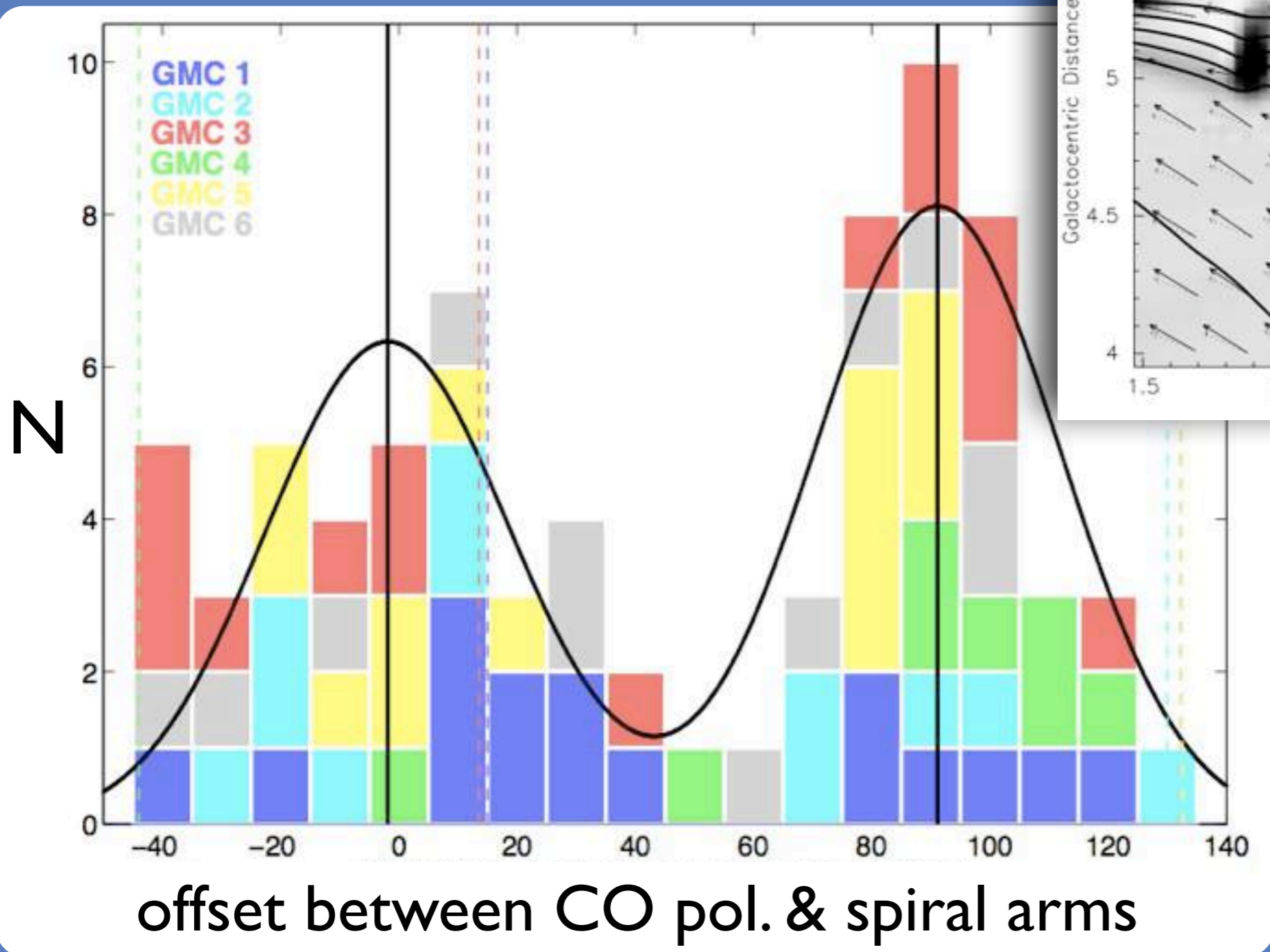


Li & Henning 2011



Probably not!

The first Bird's-eye View of MC B-fields

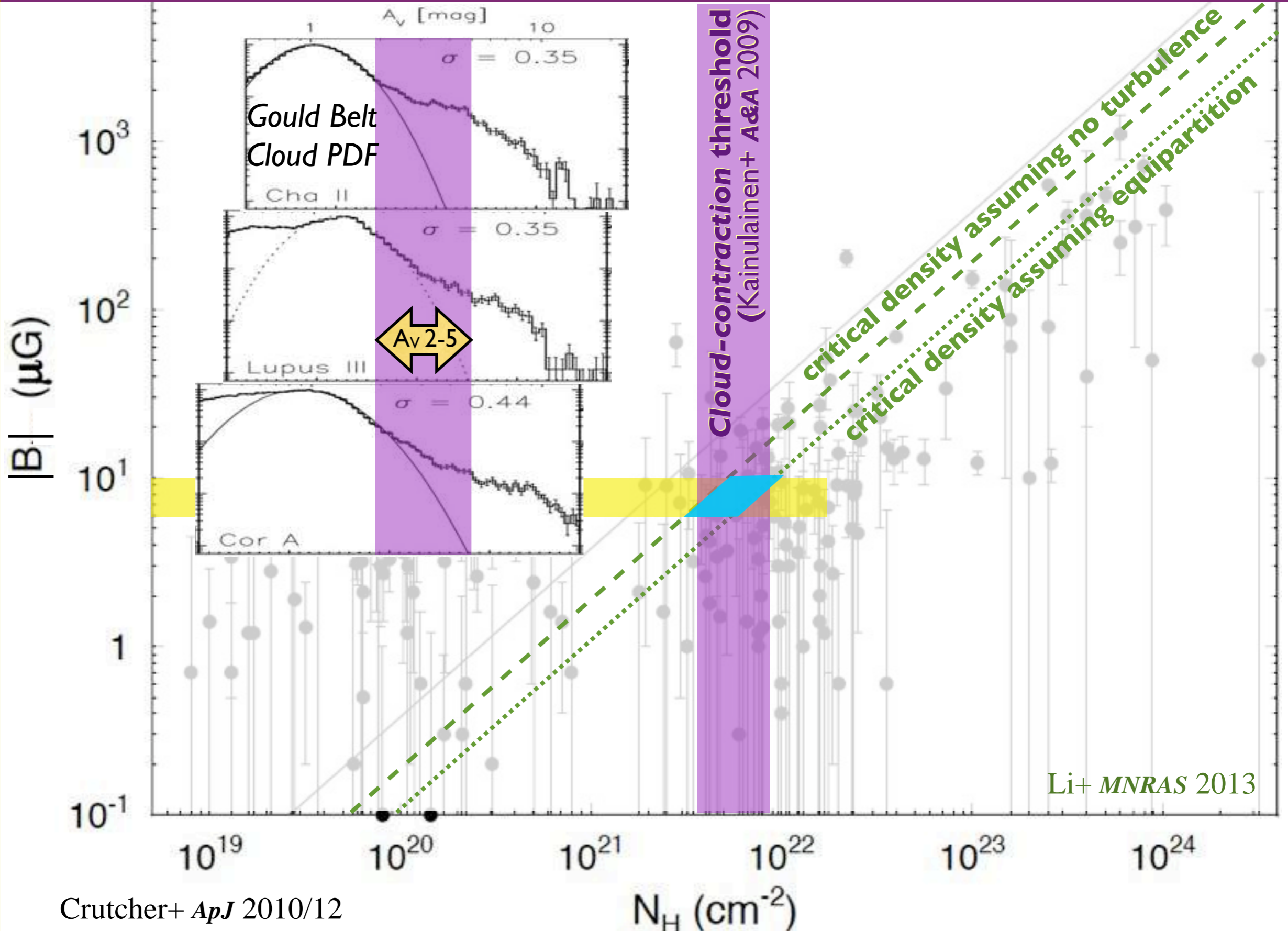


Shetty & Ostriker 2007

Li & Henning 2011



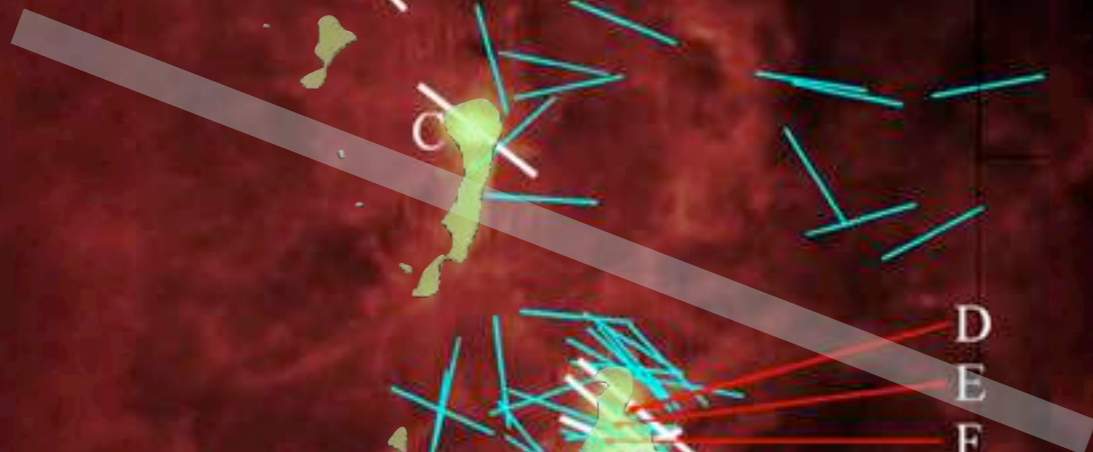
Galactic B fields define cloud contraction density threshold



So clouds \perp B always?

Orion

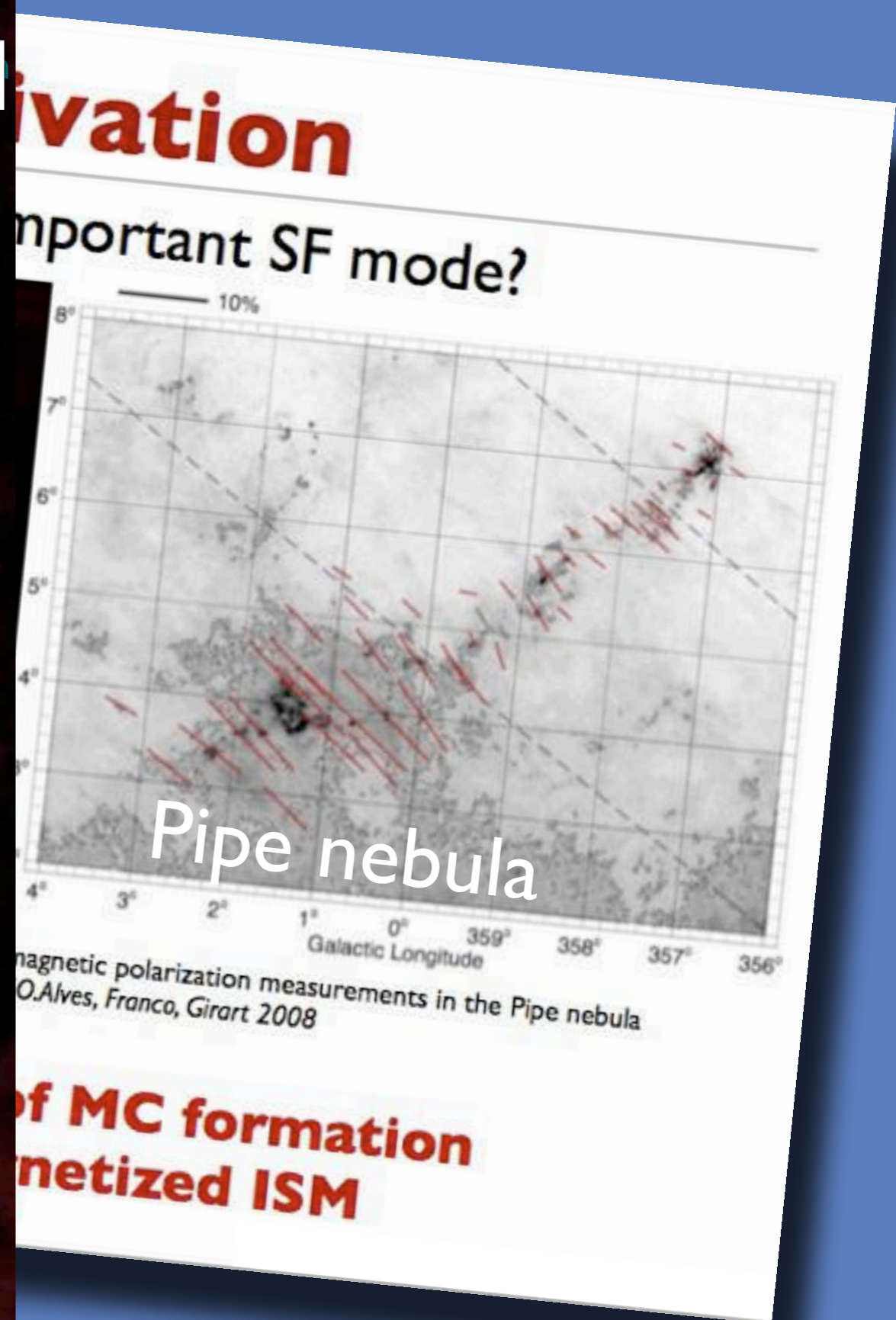
background star light



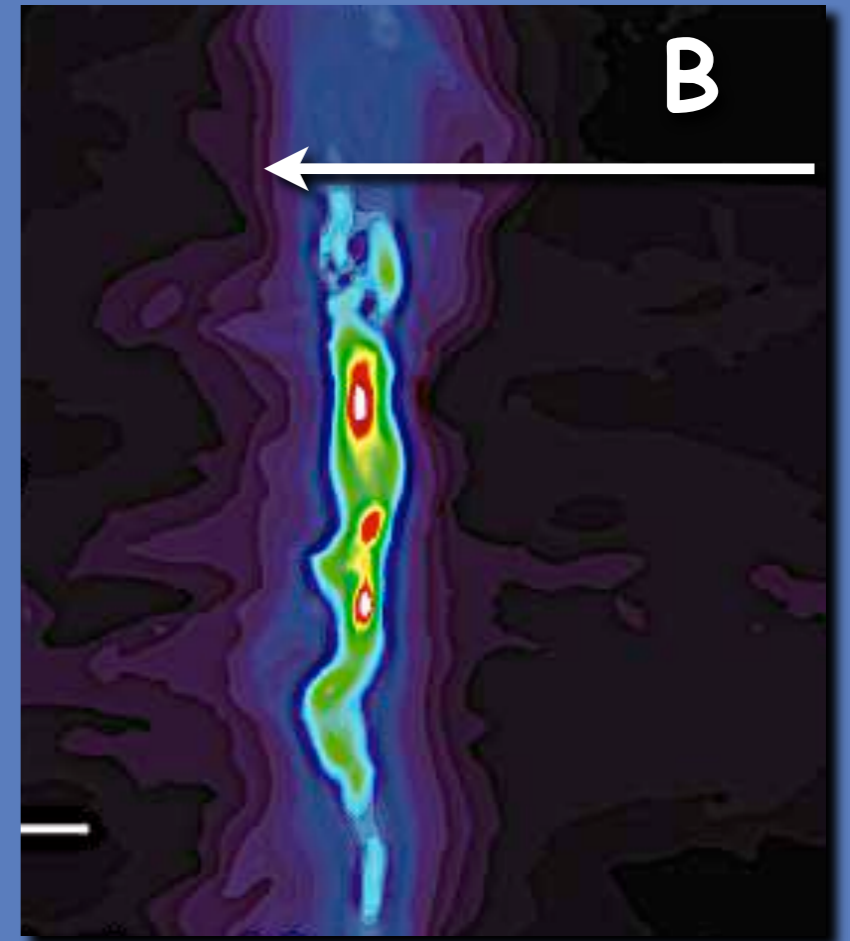
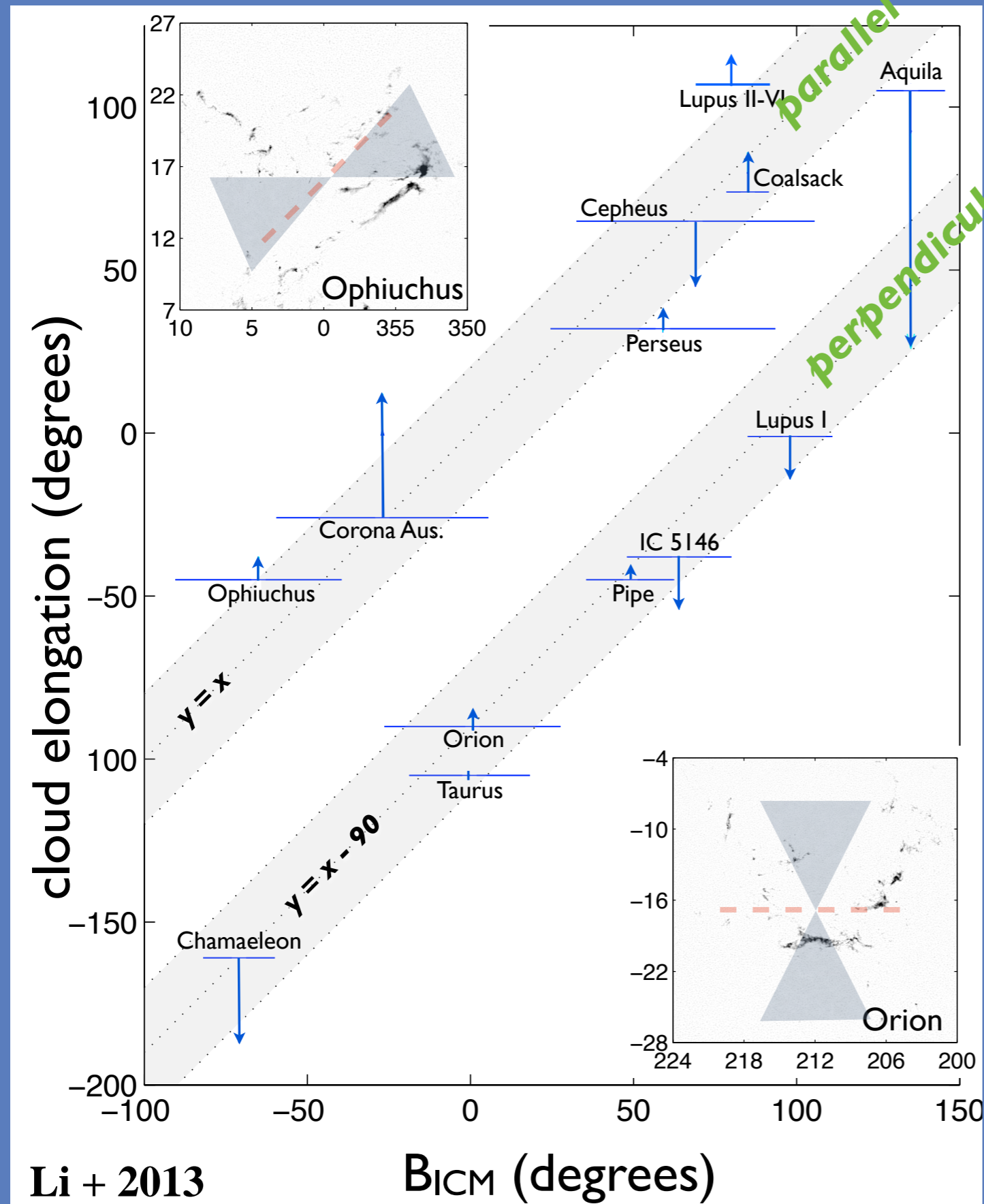
A B C D E F G H

30 pc

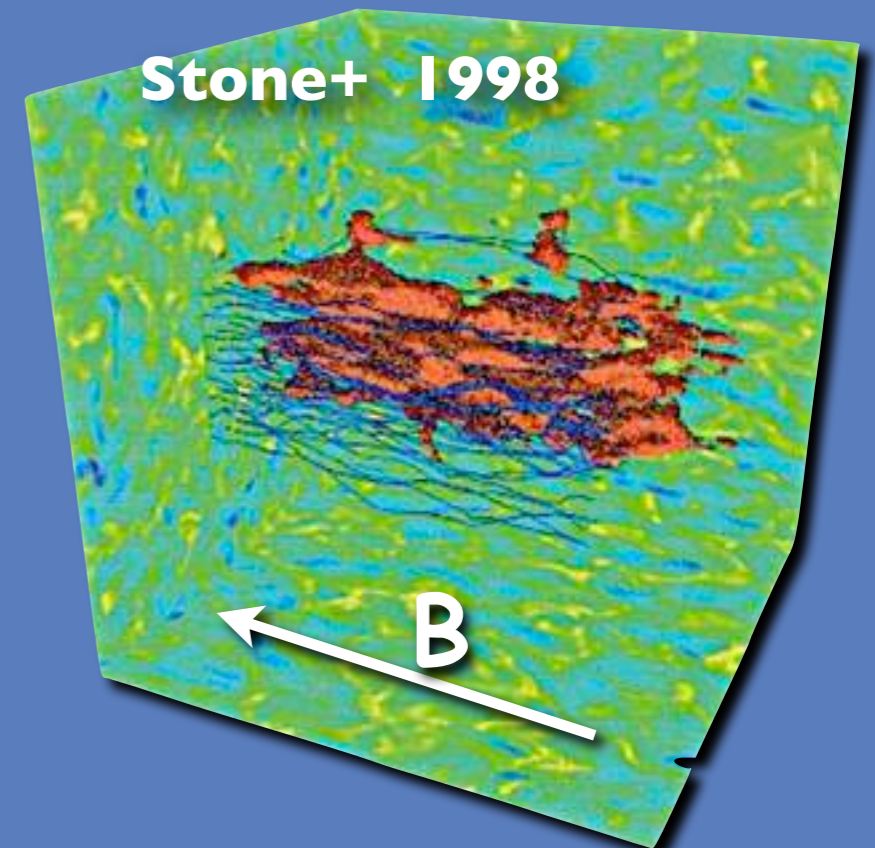
Li+ 2009, 2011



When Galactic B fields anchor deeply into molecular clouds

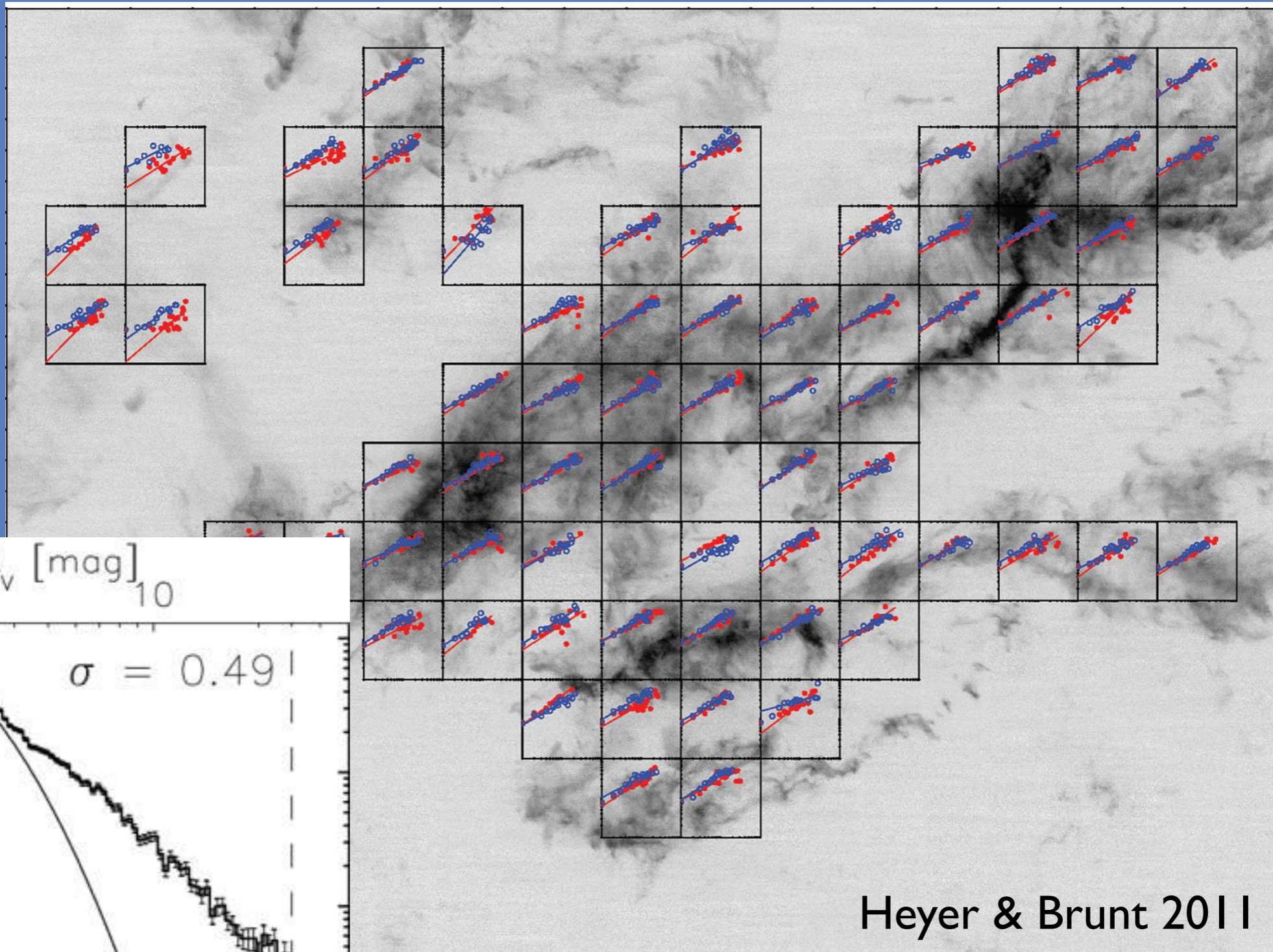


Nakamura & Li 2008

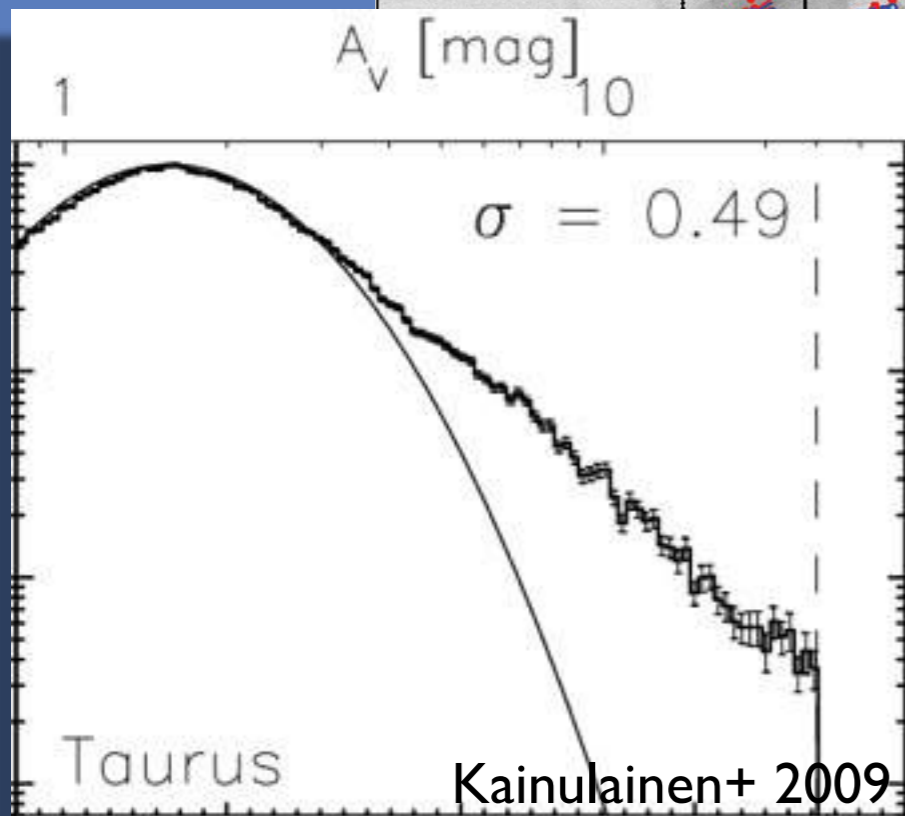


Turbulence anisotropy?

Only observed for $A_V < 3$ in Taurus



Heyer & Brunt 2011



A_v (mag)



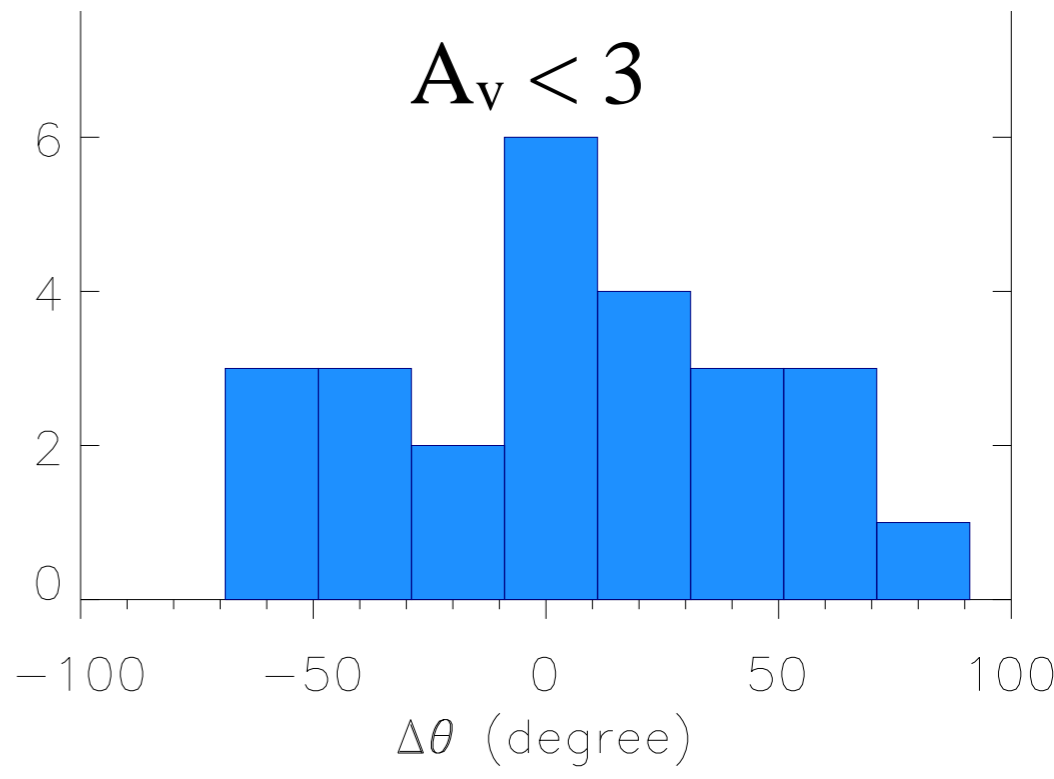
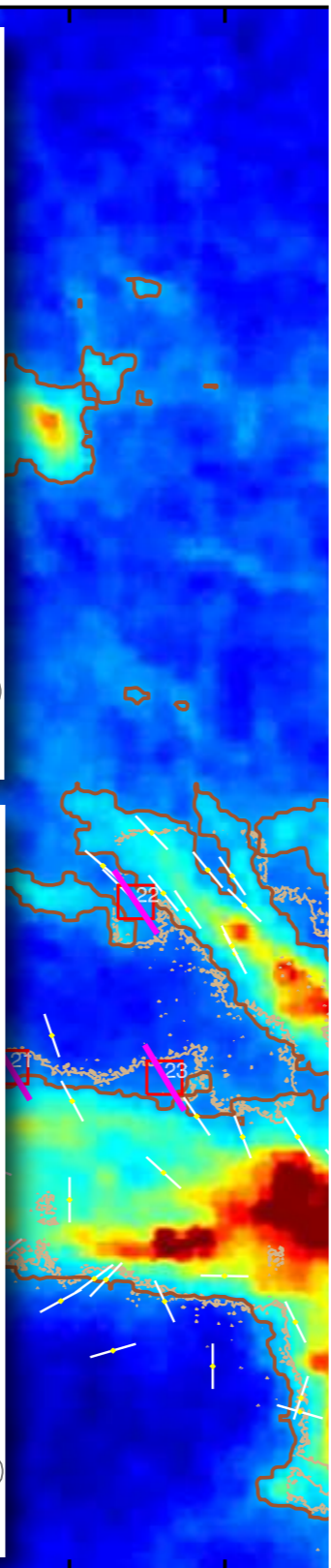
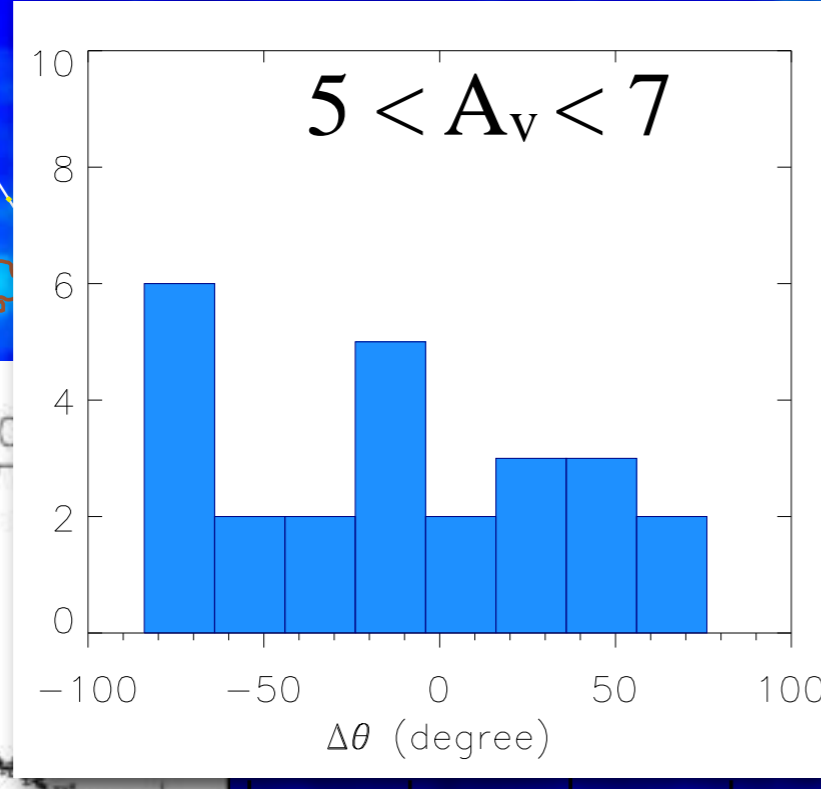
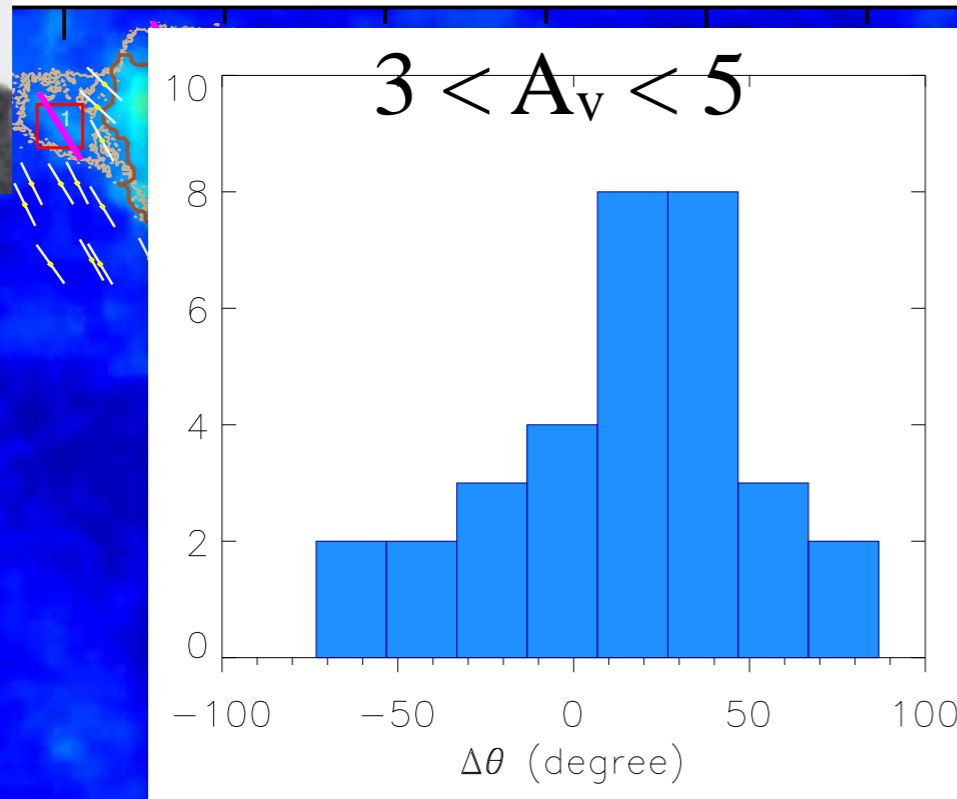
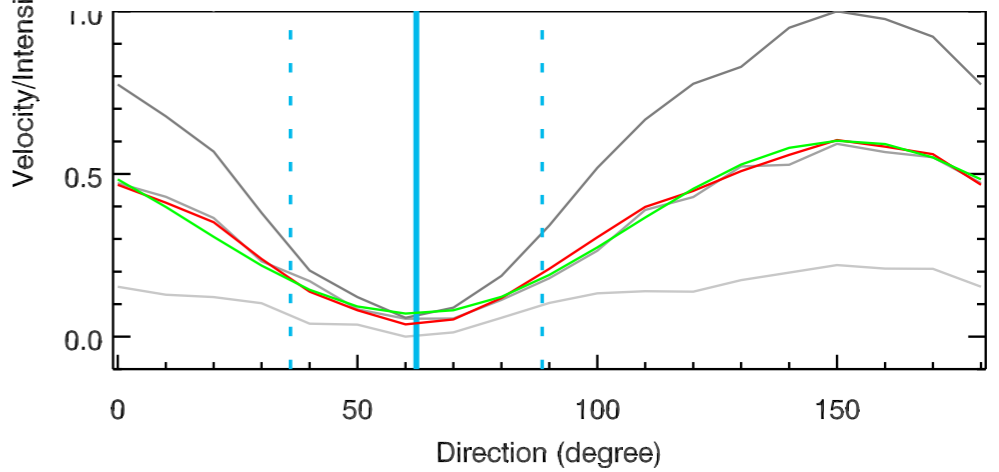
2 4

Velocity centroid map (along line-of-sight s):

$$V(\vec{r}) = \frac{\int I(\vec{r}, s)v(\vec{r}, s)ds}{\int I(\vec{r}, s)ds}$$

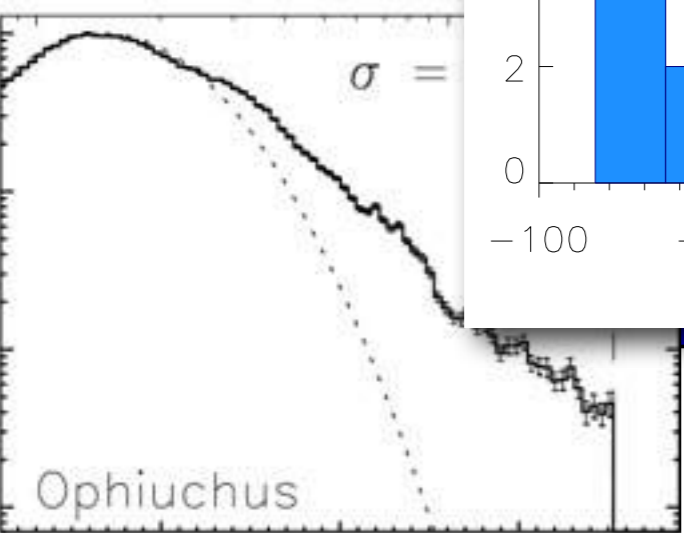
The two-point 2nd order structure function:

$$SF_V(l, \varphi) = \text{median}[V(\vec{r}) - V(\vec{r} + l\hat{e}_\varphi)]_{\vec{r}}$$



DEC (J2000)

-22
-23
-24



250

248

246

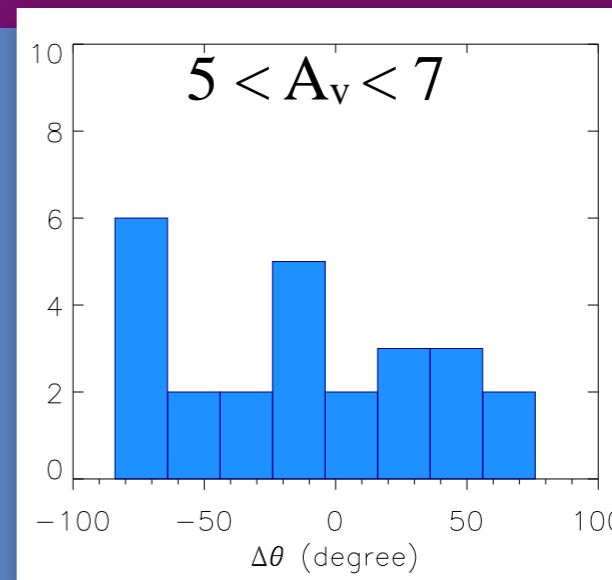
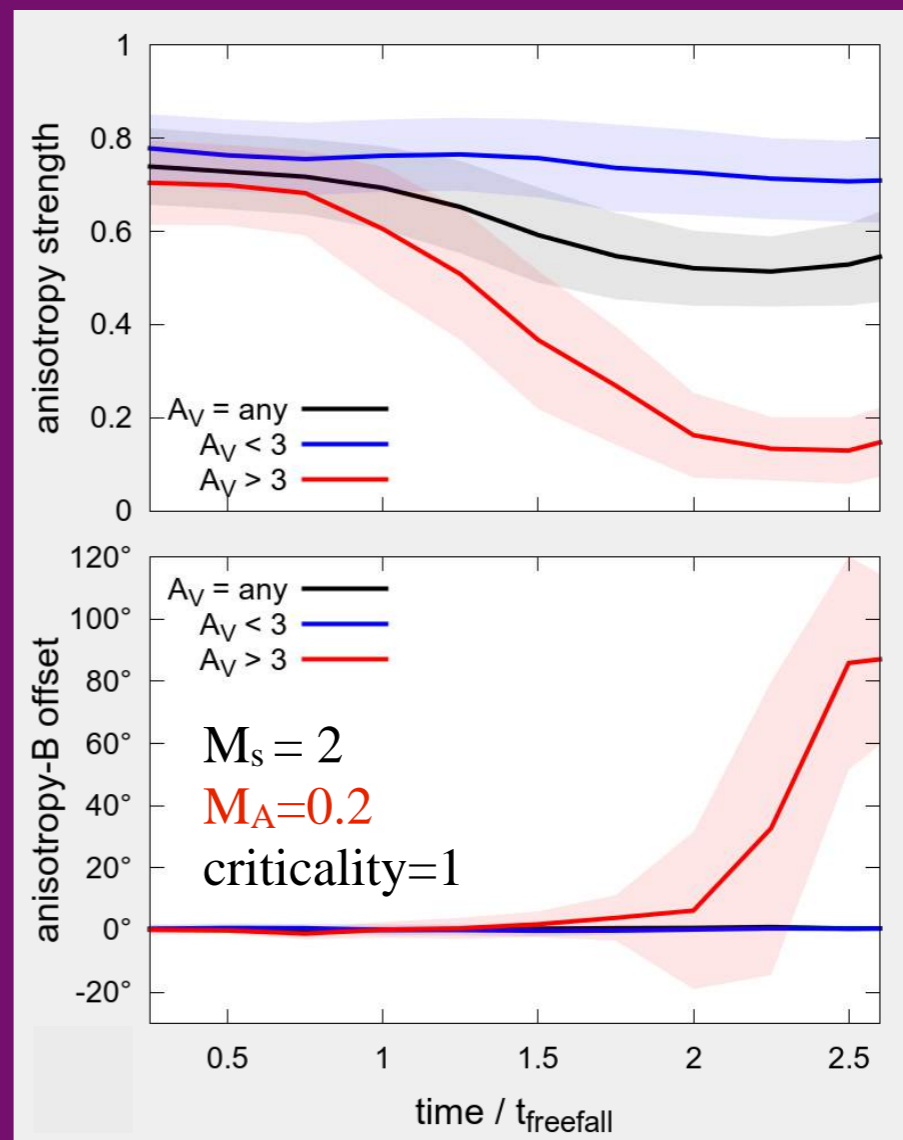
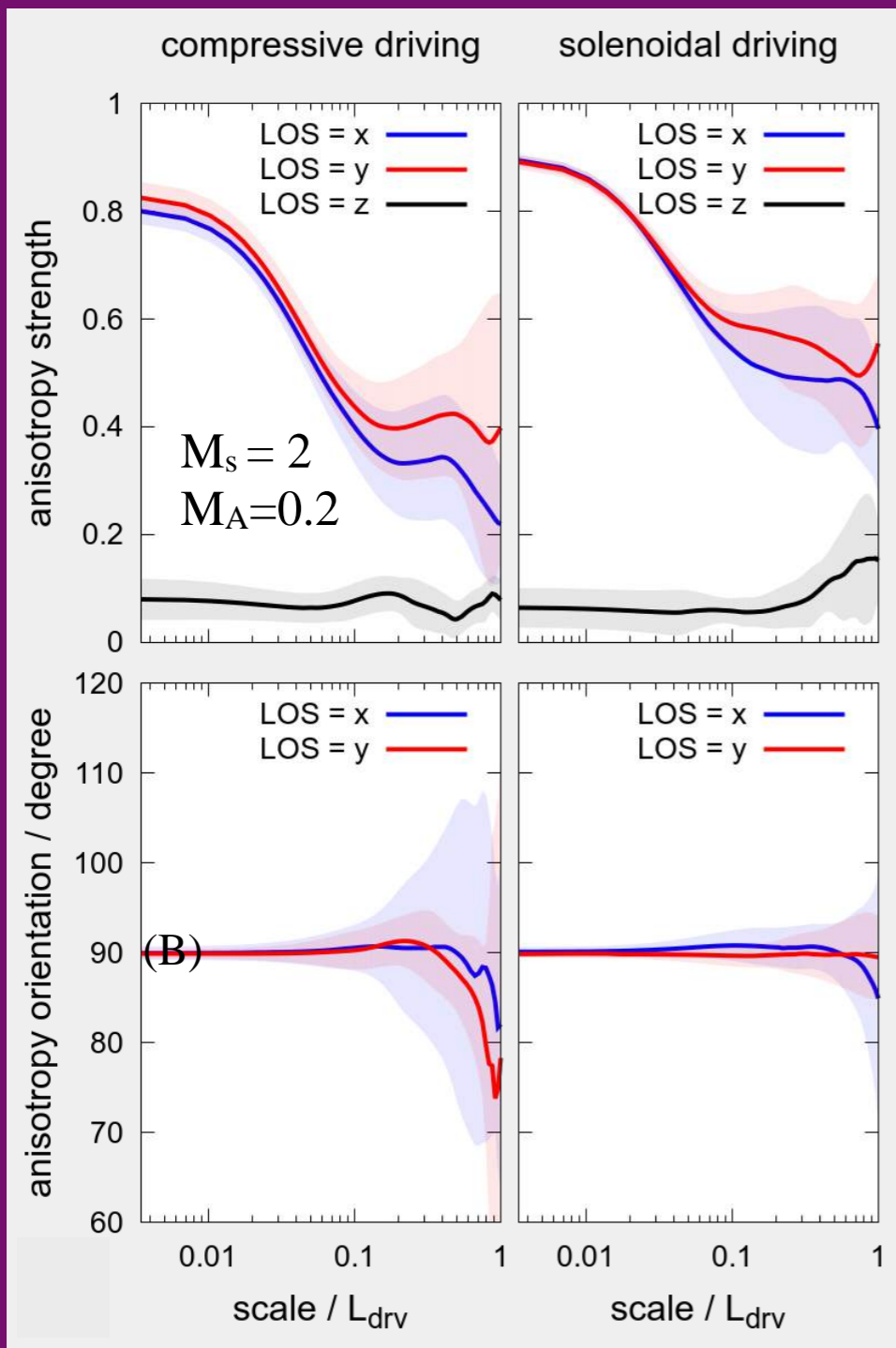
RA (J2000)

Do we see velocity anisotropy decreasing with N in *sub-Alfvénic* simulations?

Yes, when *gravity* is turned on!

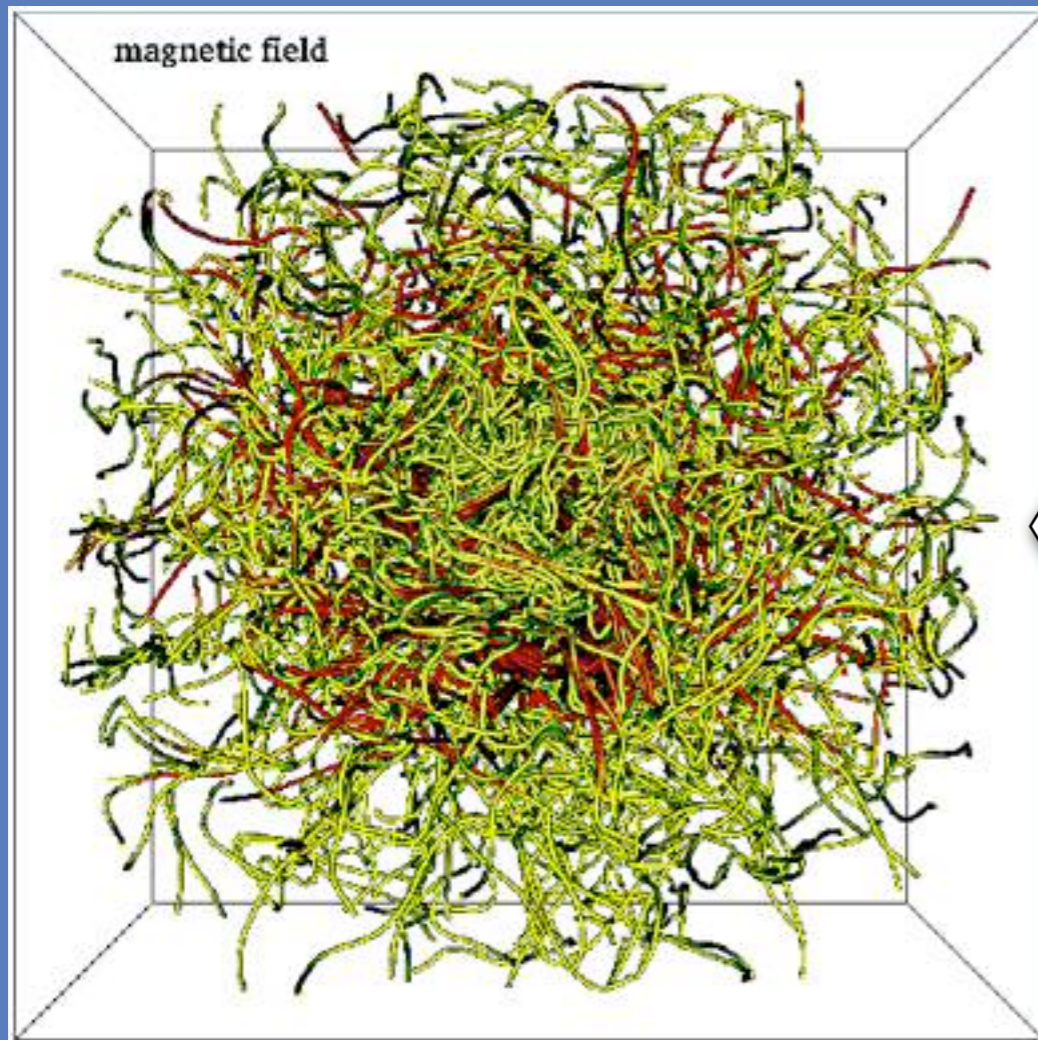
2nd order structure function: $SF_V(l, \varphi) = \langle (V(\vec{r}) - V(\vec{r} + l\hat{e}_\varphi))^2 \rangle_{\vec{r}}$
 (scale l , POS angle φ)

For each scale l , fit to: $SF_V(l, \varphi) \sim c_l (1 - b_l \cos[2(\varphi - \alpha_l)])$

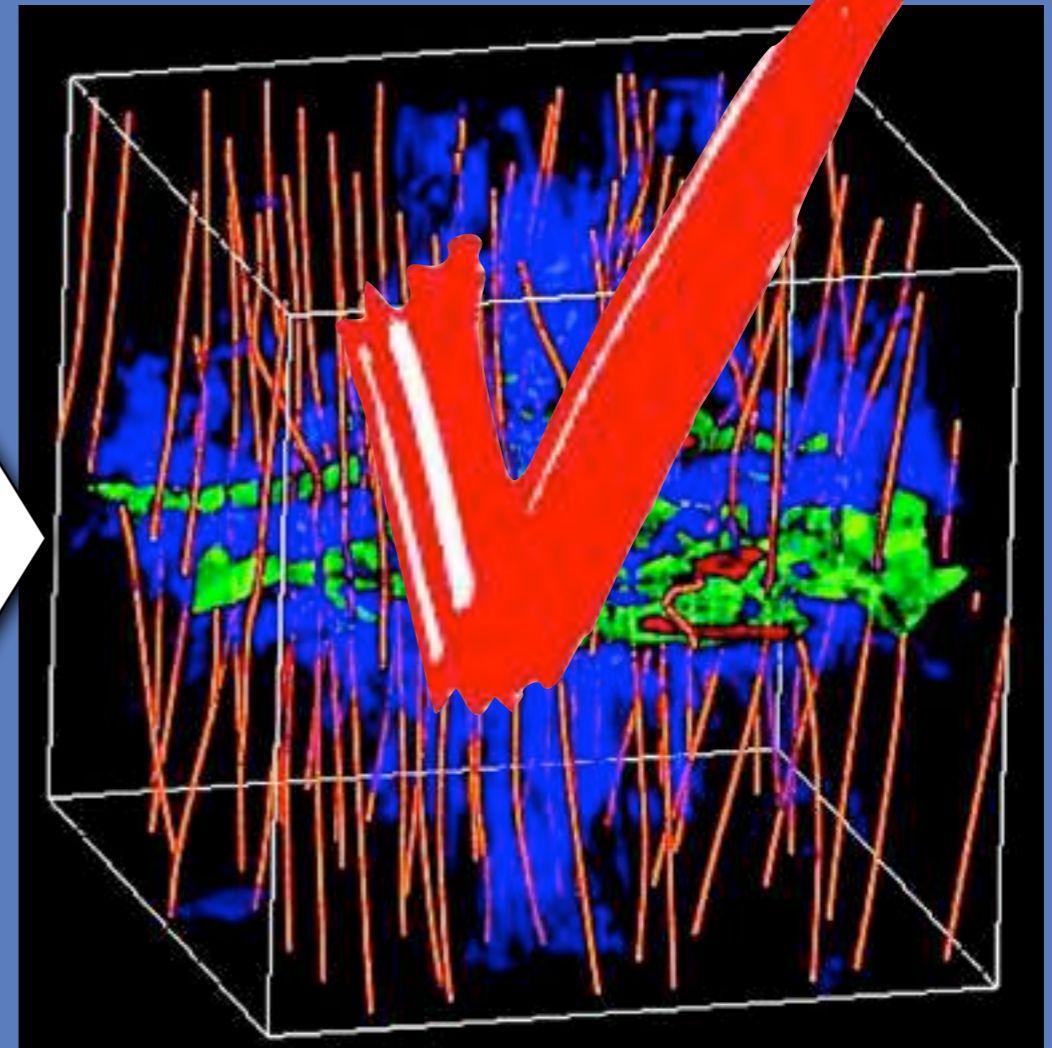


Summary

1. which morphology closer to reality?



Federrath+, *ApJ* 2011



Nakamura & Li, *ApJ* 2008

2. consequences of the field morphology:
*turbulence anisotropy observed for $A_v < 3-5$,
cloud shapes tend to be // or \perp B (Gould belt) and
 $B \propto \rho^{0.4}$. (NGC 6334)*