

Generation and Saturation of Magnetic Fields in the ISM Regulated by SF Feedback

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Galactic Magnetic Fields

- **$\mathbf{B} = \mathbf{B}_{\text{reg}} + \mathbf{b}$**
 - **\mathbf{b}** : Random (turbulent) magnetic fields
 - **\mathbf{B}_{reg}** : Regular (ordered) magnetic fields

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- How (rapidly) are they generated?
- Are they saturated? at what level?
- Are they correlated with galactic properties?

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- How (rapidly) is \mathbf{b} generated?
- Is \mathbf{b} saturated? at what level?
- Is \mathbf{b} correlated with galactic properties?
- In the presence of (substantial) mean magnetic fields

How to generate \mathbf{b}

- Beck et al. (1996)
 - “tangling of the large-scale field by turbulence and from Parker and thermal instabilities,
 - compression of ambient magnetic fields by shock fronts associated with supernova remnants and stellar winds, and
 - self-generation of random magnetic fields by turbulence (small-scale dynamo).”
- We need **turbulence** to generate \mathbf{b}
 - TI, GI, differential-rotation, and **Supernovae!**

What do we need to saturate b correctly
for given galactic conditions?

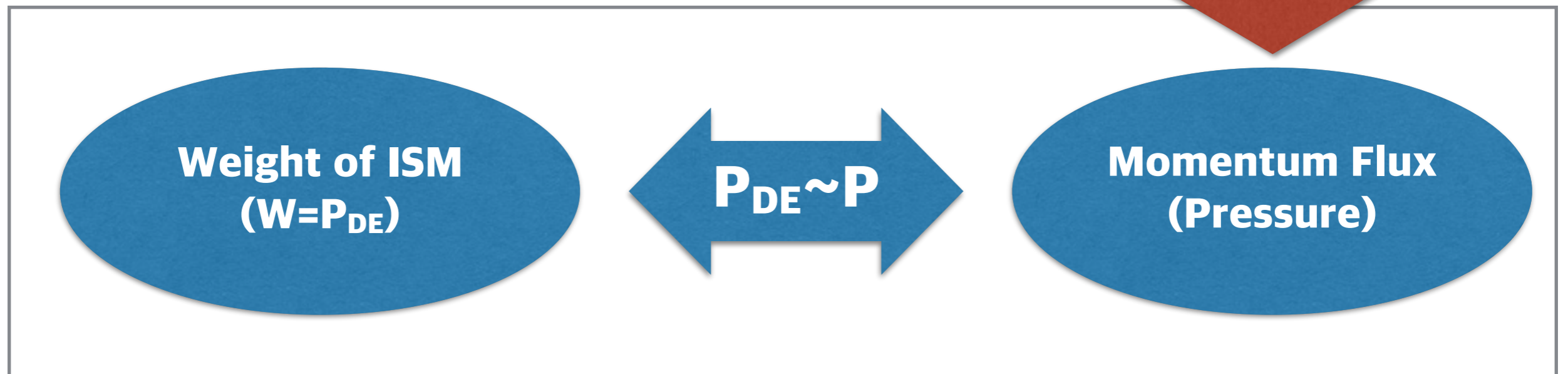
Self-Regulation of SFR

(a) Energy and Momentum Equilibrium



$\Sigma_{\text{SFR}} \sim P/\eta$

$P \sim \eta \Sigma_{\text{SFR}}$



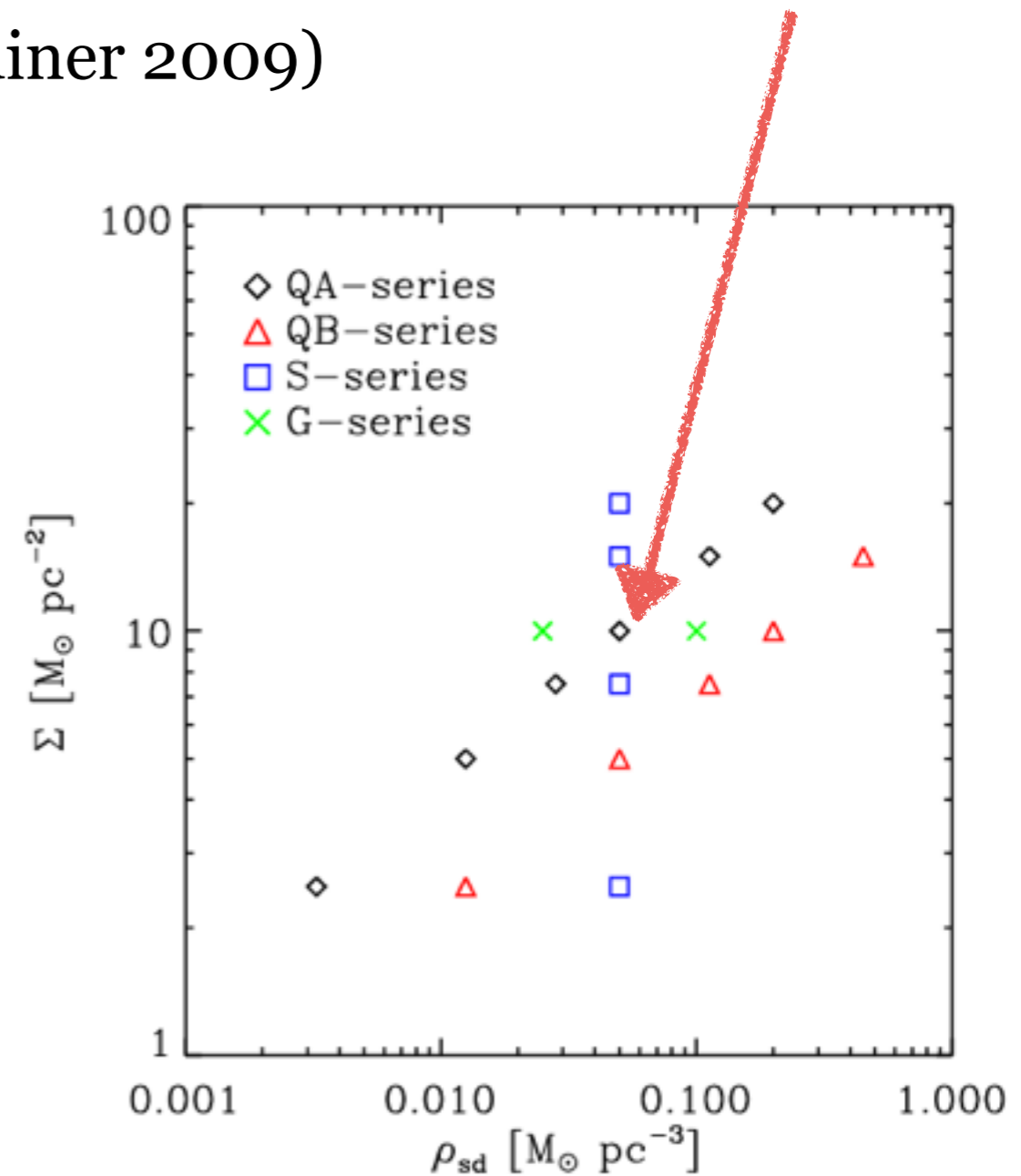
(b) Vertical Dynamical Equilibrium

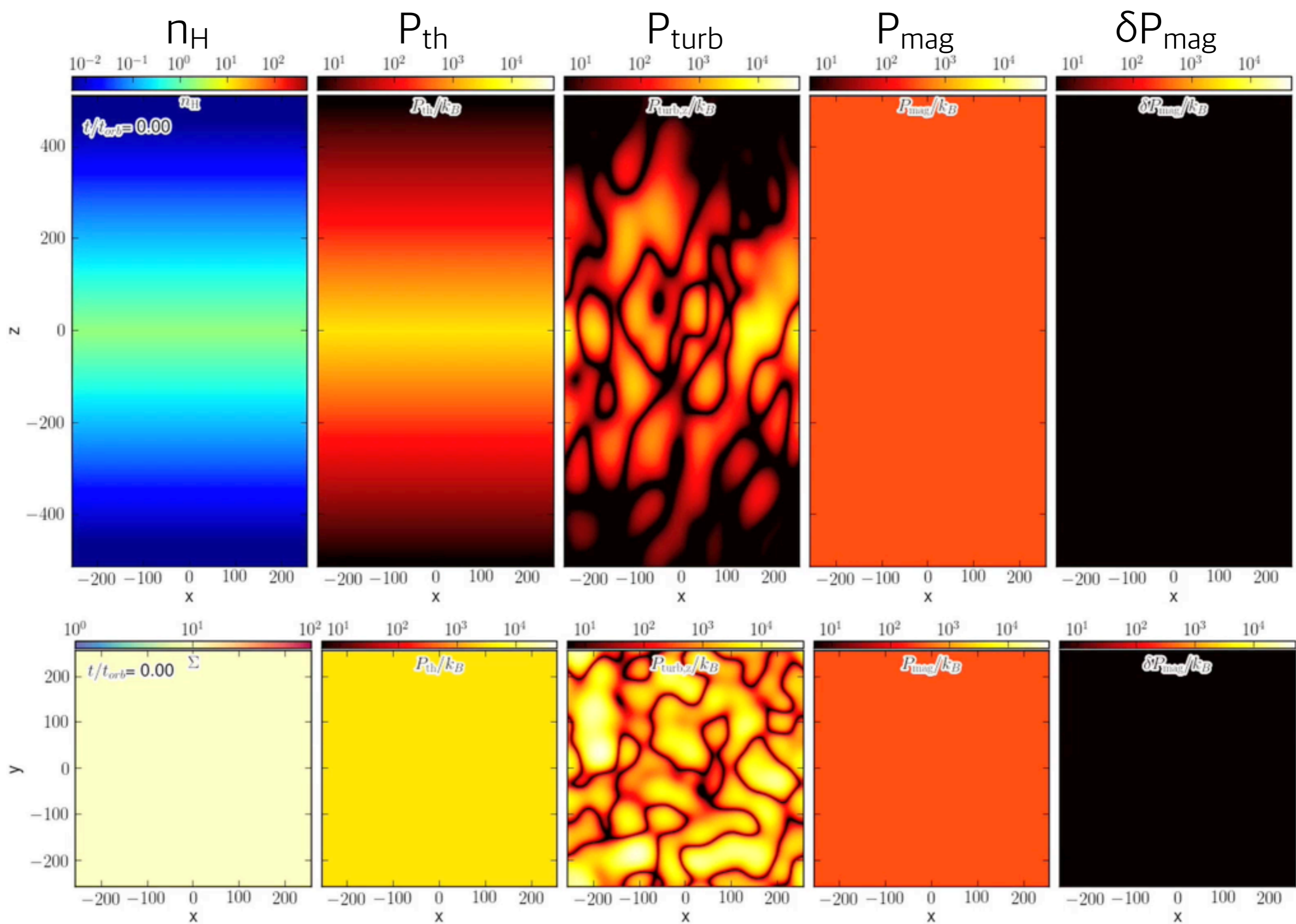
Numerical Simulations

CGK, Kim, Ostriker (2011); CGK, Ostriker, Kim (2013); CGK & Ostriker (2015b)

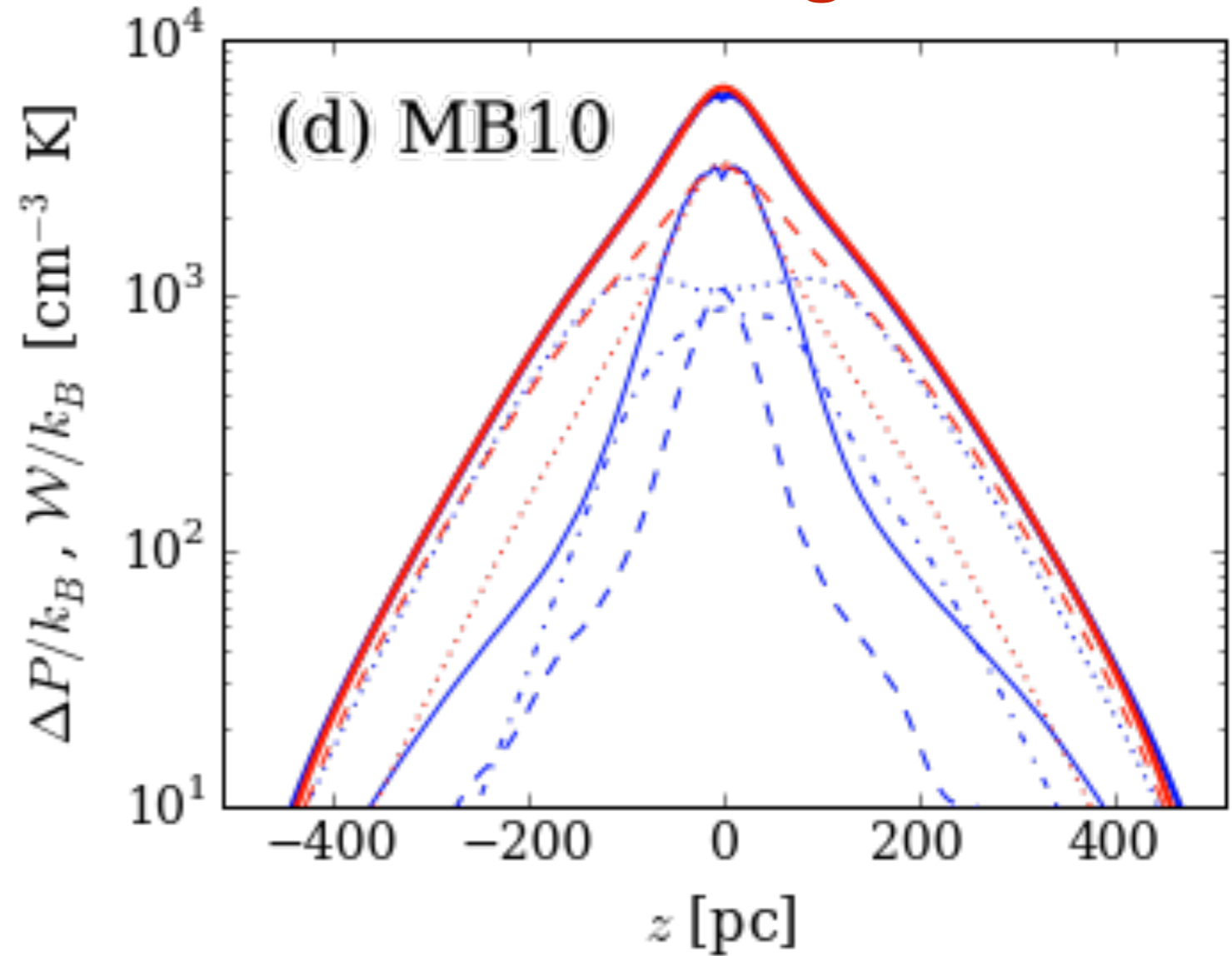
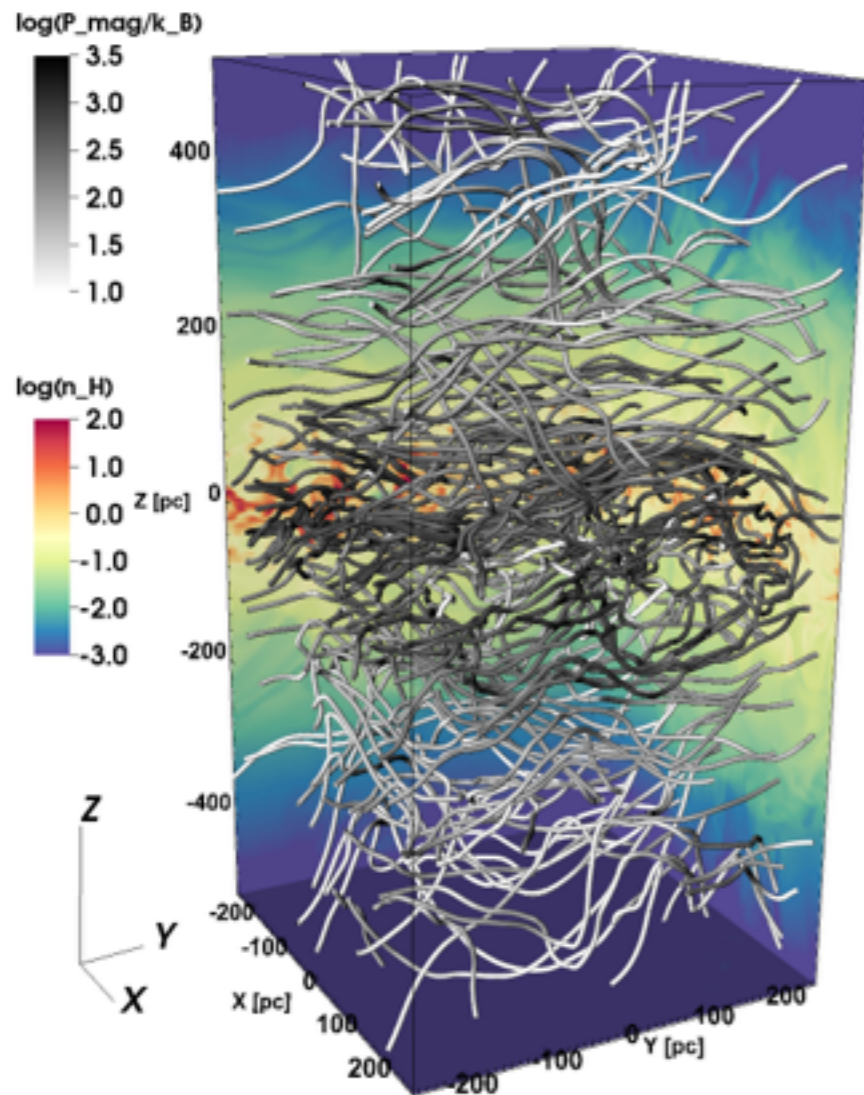
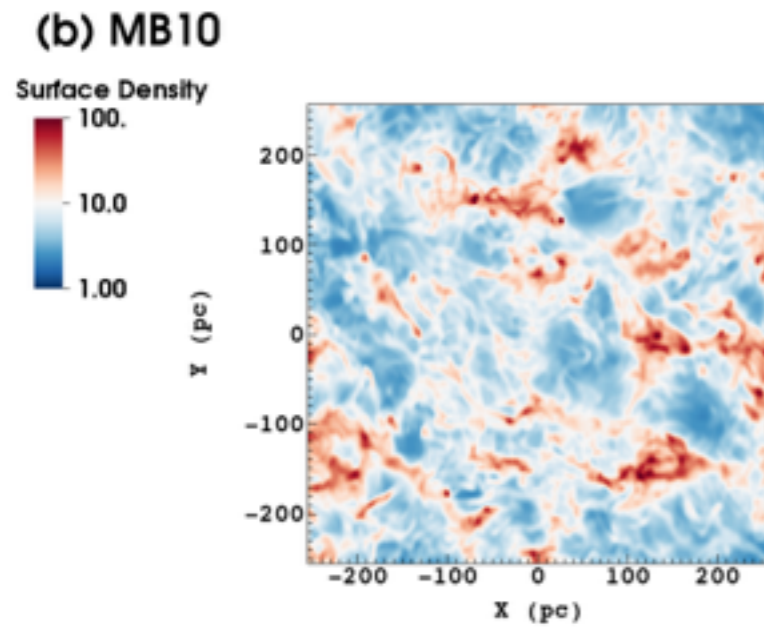
Additional parameter variations for
heating efficiency & magnetization

- ✓ Athena (Stone et al. 2008; Stone & Gardiner 2009)
- ✓ Local Shearing-Box
- ✓ SF feedback (momentum, heating)
- ✓ Optically thin cooling
- ✓ external gravity (fixed potential)
- ✓ gaseous self-gravity
- ✓ galactic differential rotation
- ✓ initial azimuthal magnetic fields
- hot gas





Pressures in Blue; Weights in Red



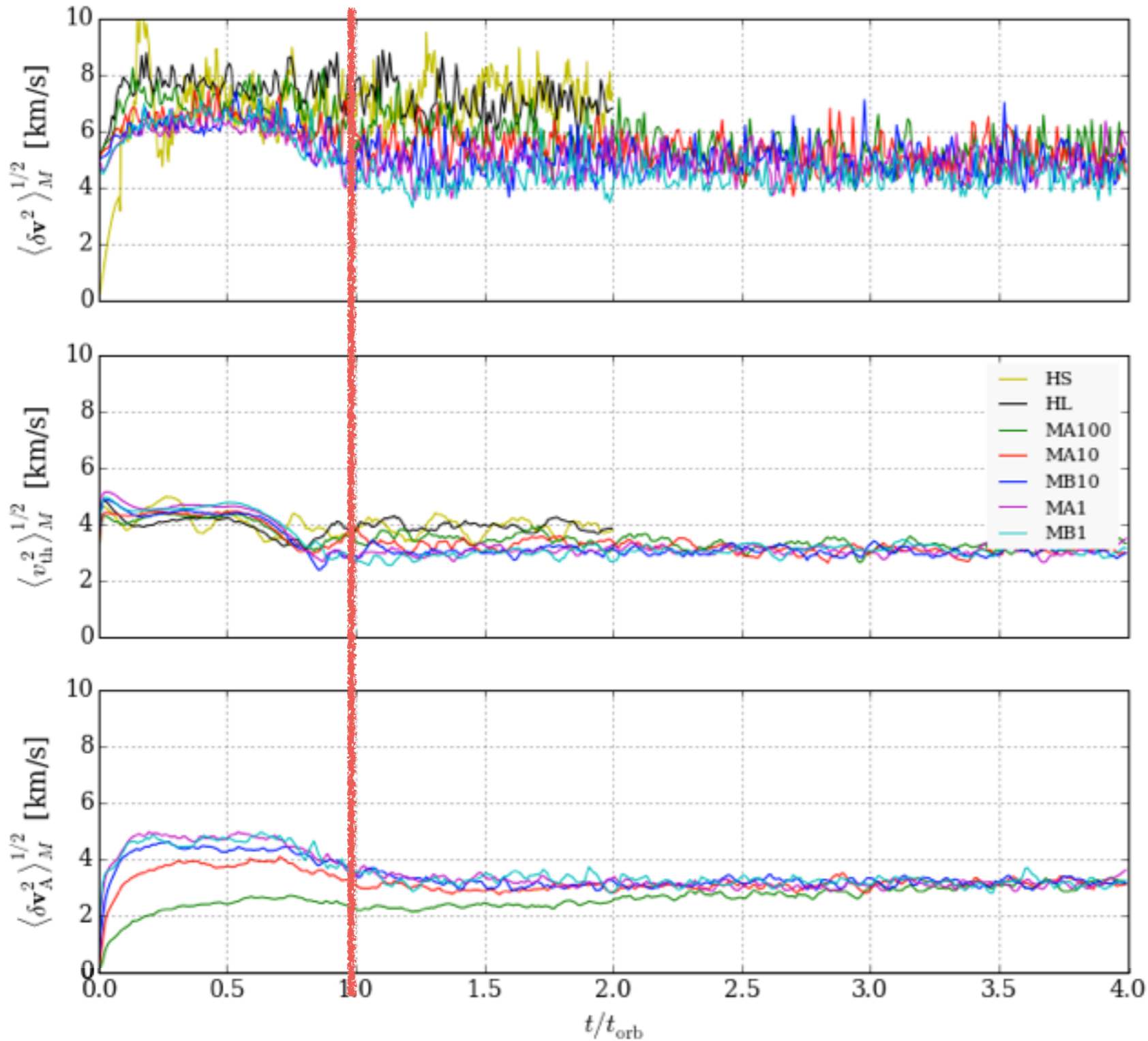
- $\Delta P_{\text{tot}} = P_{\text{turb}} + P_{\text{th}} + \Delta \Pi_{\text{mag}} + \Delta P_{\text{cr}} + \Delta P_{\text{rad}}$

- $\Delta \Pi_{\text{mag}} = \Delta(B_x^2 + B_y^2 - B_z^2) / 8\pi$

- $W = \Sigma(g_{\text{sg}} + g_{\text{ext}}) / 2$

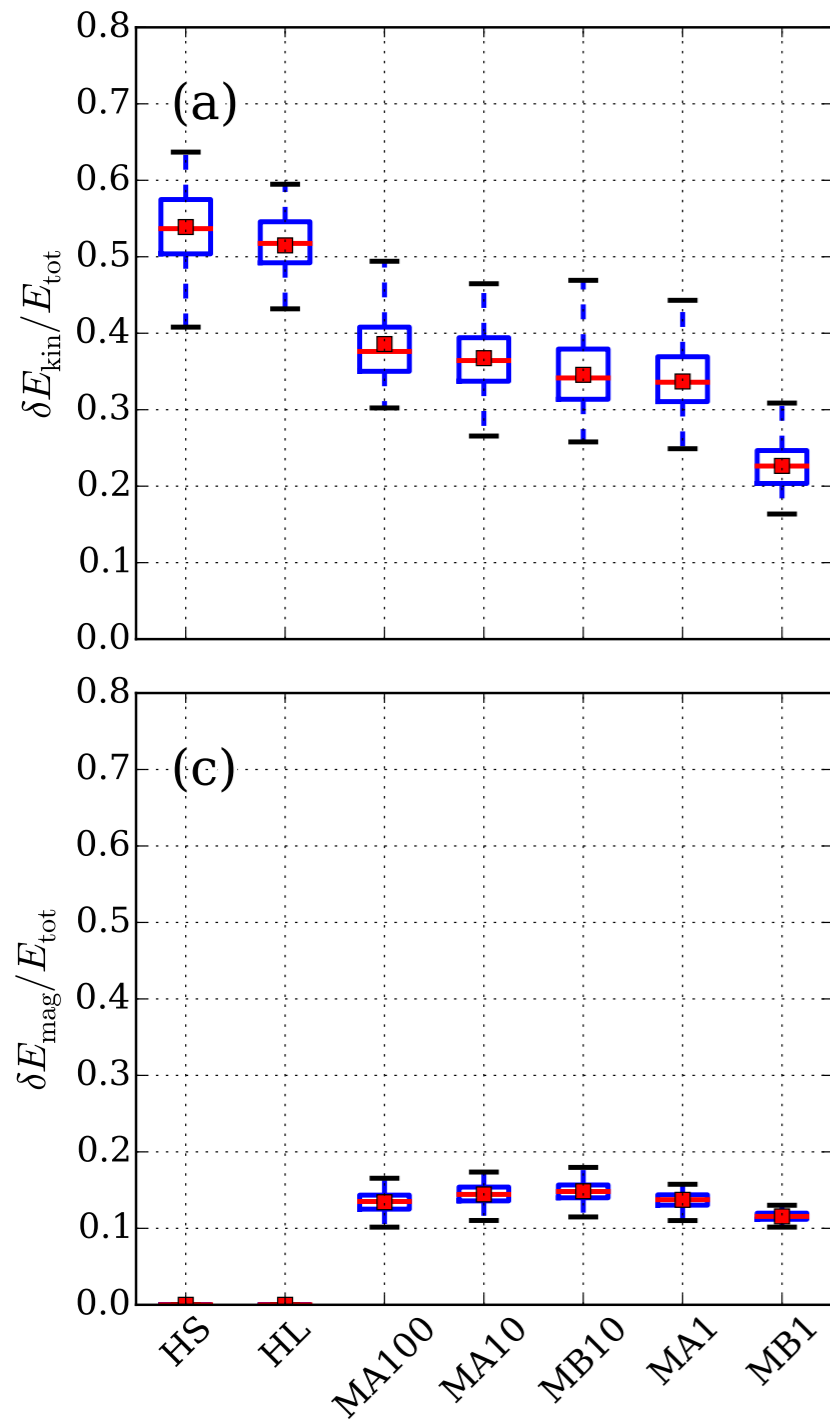
- $\sim \pi G \Sigma^2 / 2 + \Sigma \sigma_z (2G\rho^*)^{1/2}$

Saturated State



- Total energy is well saturated
- Rapid generation of turbulent magnetic fields
- Saturation of turbulent fields
- $\delta E_{\text{kin}} \sim (2-2.5) \delta E_{\text{mag}}$

Saturation of b



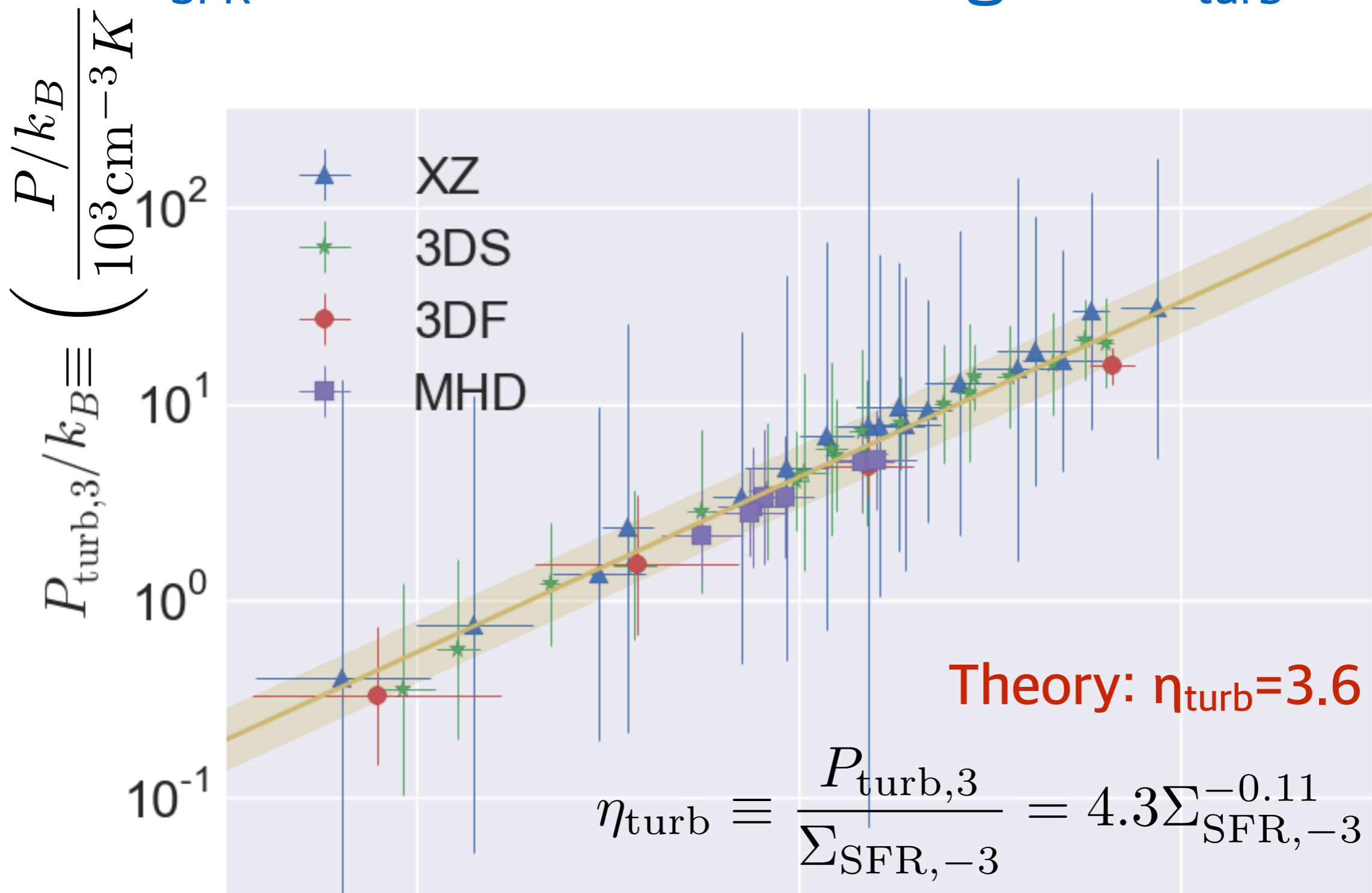
- random magnetic fields saturate at around the equipartition between the magnetic and kinetic energy in the turbulence (e.g., Haugen et al. 2004; Cho et al. 2009)

- $\mathbf{b} \sim \mathbf{B}_{\text{eq}} = (4\pi\rho\sigma^2)^{1/2}$

- our simulation shows $\delta E_{\text{kin}} \sim (2-2.5)\delta E_{\text{mag}}$

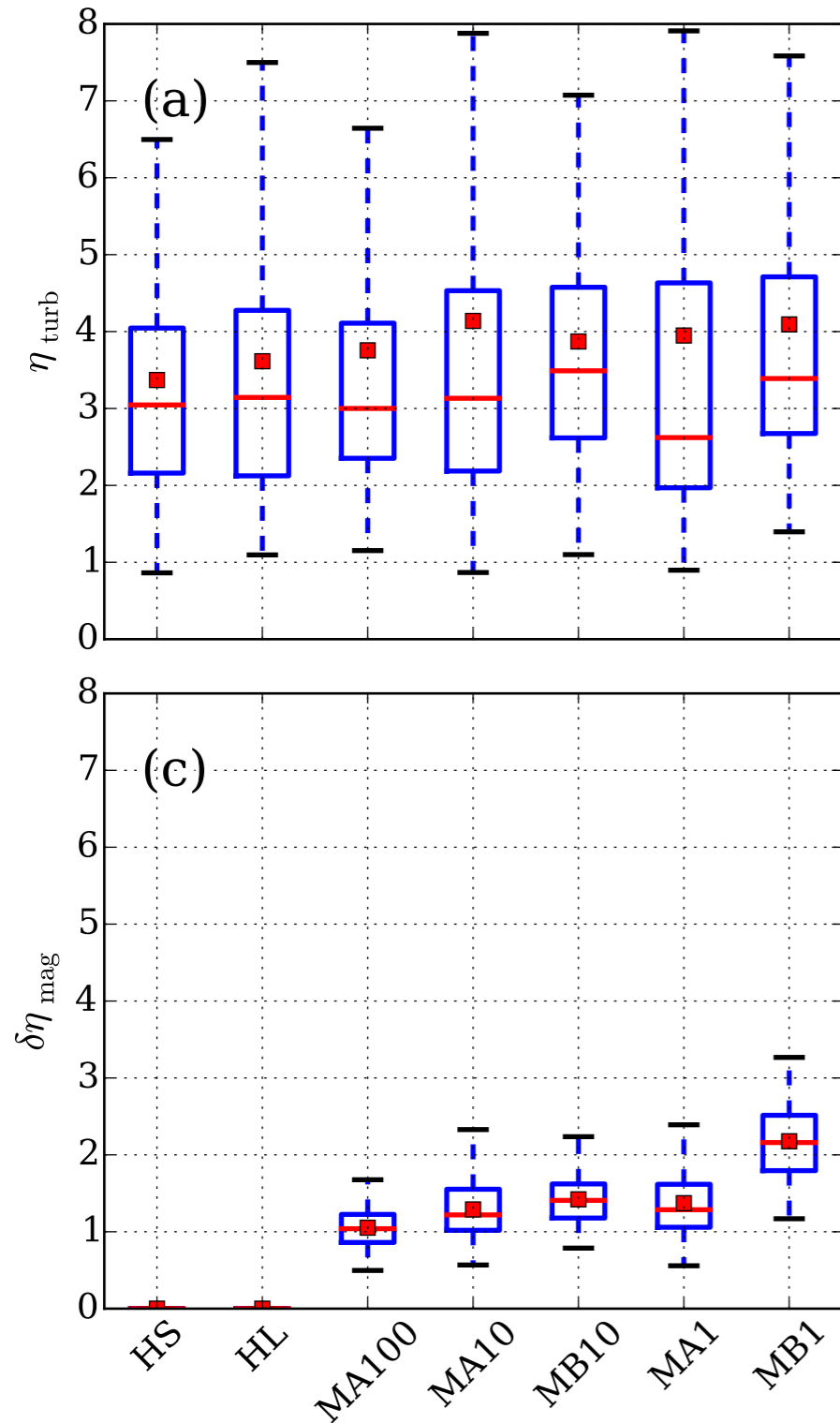
- $\mathbf{b} \sim (0.6-0.7)\mathbf{B}_{\text{eq}}$

$\Sigma_{\text{SFR}} \rightarrow \text{Turbulence Driving} \rightarrow P_{\text{turb}}$



$$\Sigma_{\text{SFR},-3} \equiv \left(\frac{10^1 \Sigma_{\text{SFR}}}{10^{-3} M_{\odot} \text{ kpc}^{-2} \text{ yr}^{-1}} \right)$$

Regulation of SFR

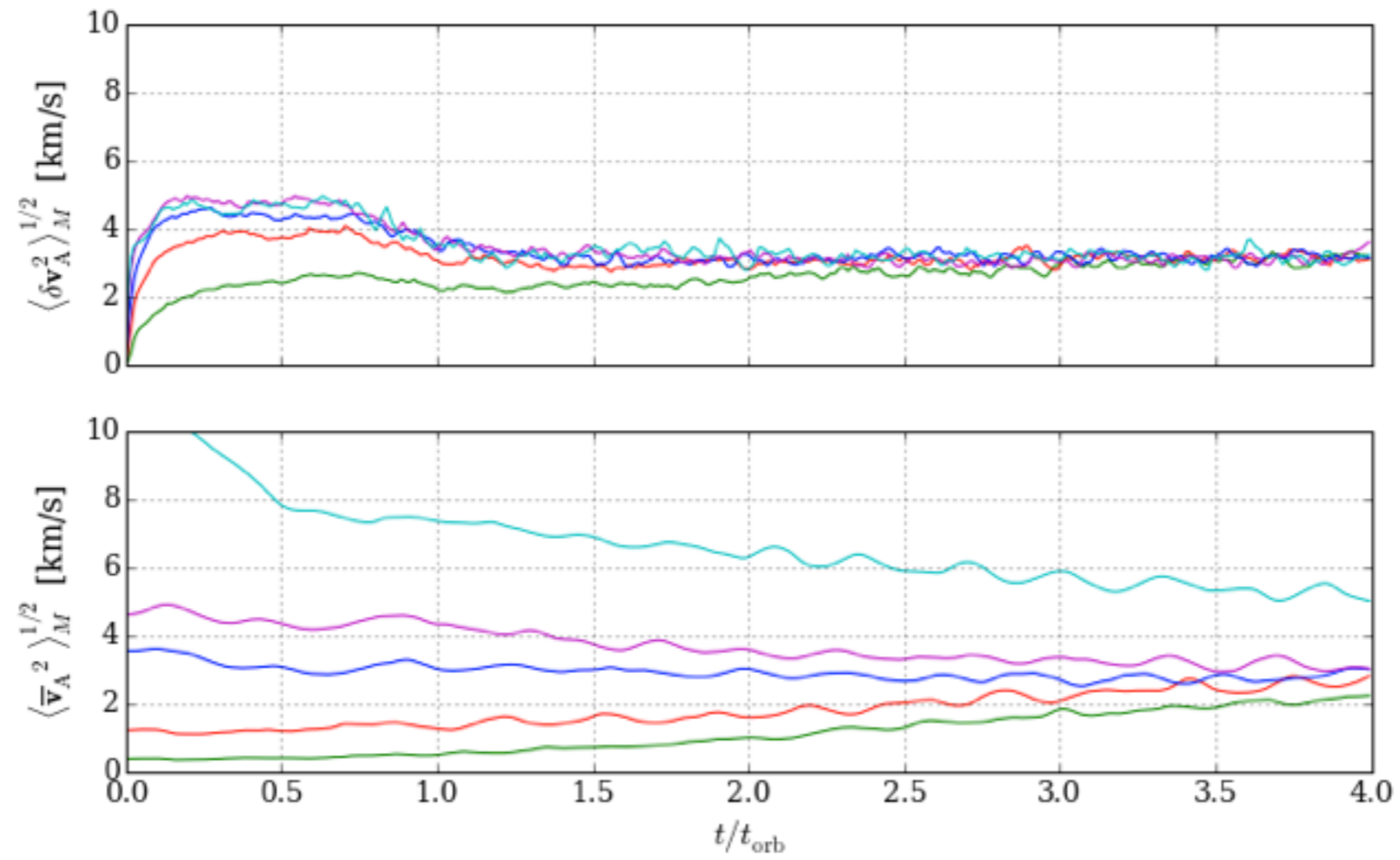


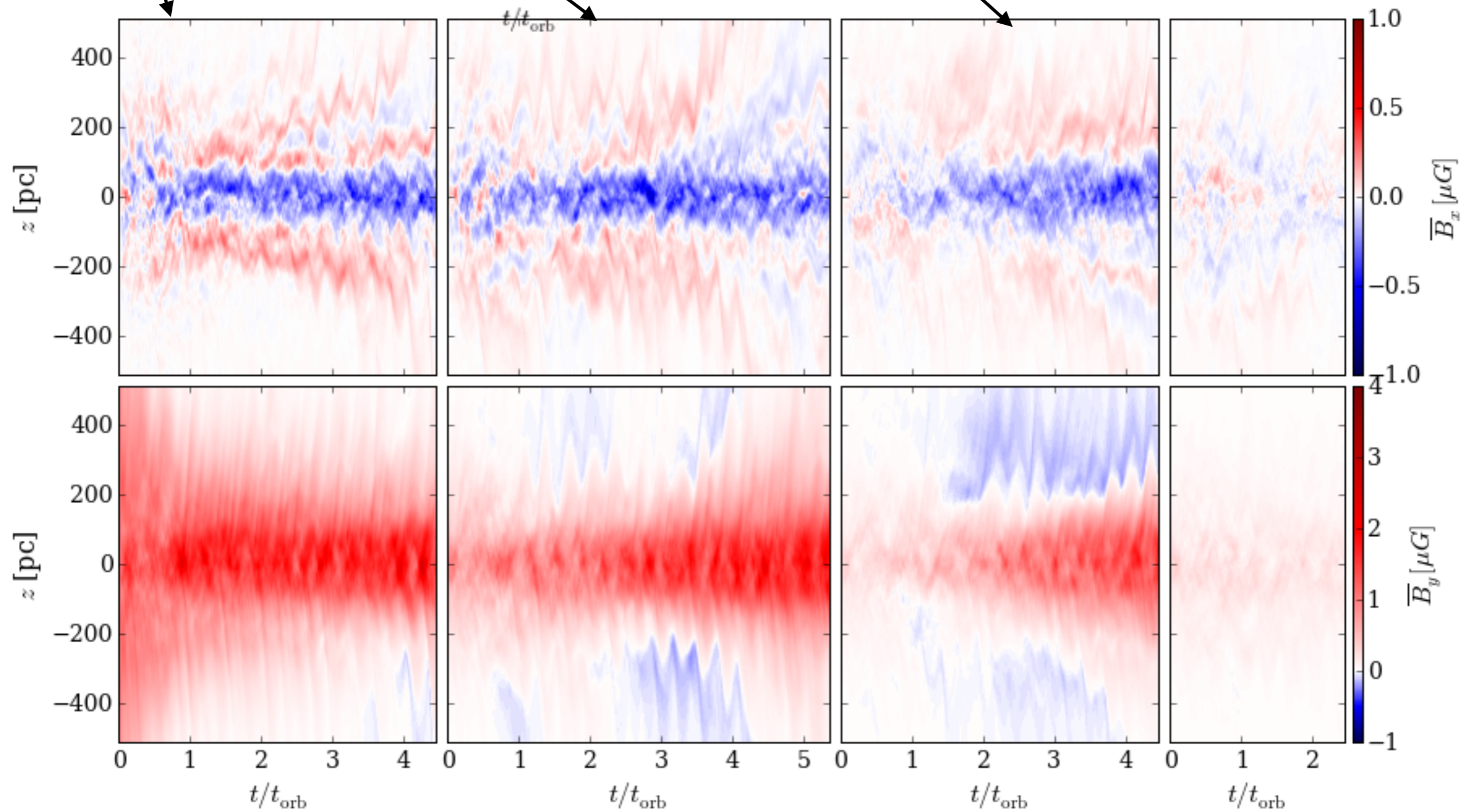
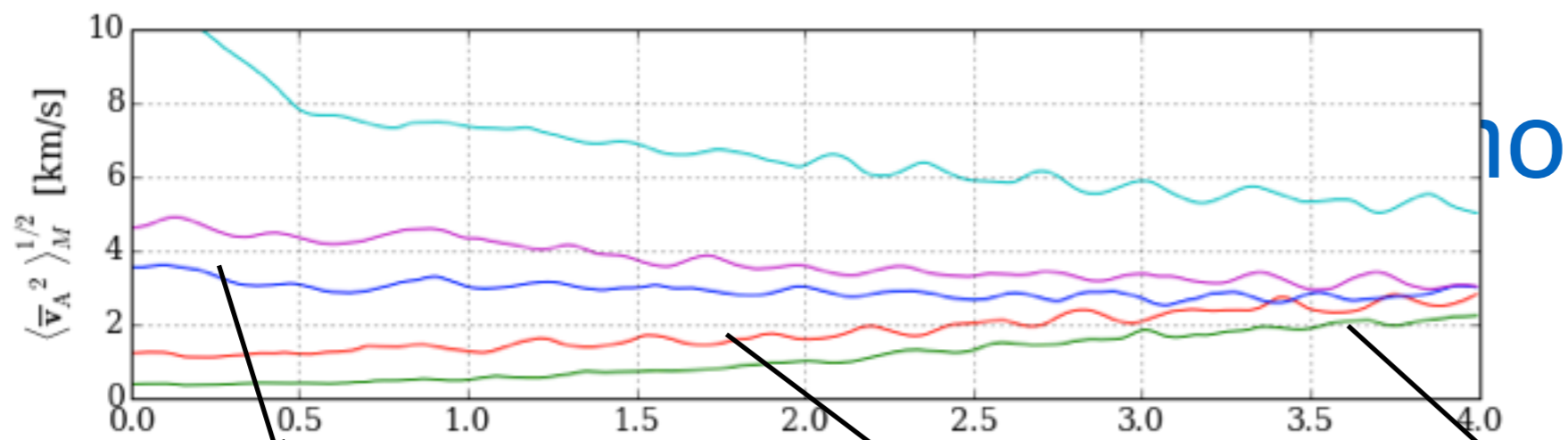
- Feedback yields: $\eta \sim P / \Sigma_{\text{SFR}}$ (in suitable units)
- If we have 1 SF, we will get
 - ~ 4 turbulent kinetic support (both HD and MHD)
 - ~ 1 thermal support
 - ~ 1 turbulent magnetic support
- Vertical force balance requires the same total support for given surface density and external gravity
 - SFR can be reduced in MHD models

Concluding Remarks

- SF feedback provides pressure support and VDE constrains SFR
 - $W(\Sigma, \Sigma^*, \sigma_g, \sigma^*, \dots) = P_{\text{tot}} = \eta \Sigma_{\text{SFR}}$
- Saturation level of turbulent magnetic fields is set by equipartition ($\delta E_{\text{mag}} \sim \delta E_{\text{kin}}/2$), which depends on the SFR
 - $\delta \Pi_{\text{mag}} \approx P_{\text{turb}}/4 = \eta_{\text{turb}}/4 \Sigma_{\text{SFR}}$
 - $b \sim 2\mu\text{G} (\Sigma_{\text{SFR}}/10^{-3} M_{\text{sun}} \text{pc}^{-2} \text{yr}^{-1})^{1/2}$
- **Cosmic rays can amplify magnetic fields and provide additional vertical support**

Mean field dynamo





Non-rotating model cannot generate the mean magnetic fields!!

Mean field dynamo

- growth time
 - (0.3-1) Gyr
- magnetic pitch angle
 - $\tan(p_B) \approx -0.17$
 - trailing
- overall in good agreement with $\alpha\Omega$ -dynamo

